

# Physics of Solar Atmosphere, Corona and Heliosphere and Space Weather

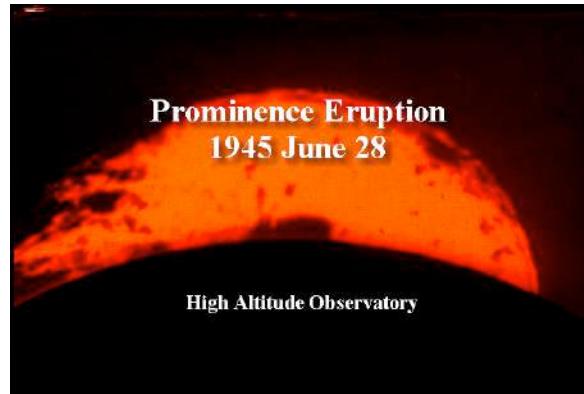
Allan Sacha Brun  
Service d'Astrophysique/ AIM, CEA Saclay

- Observations of flares, CME's and surface magnetic activity
- Behaviour of rising flux tubes in the convective zone
- Parker's solar wind model

# Solar eruptions



flare

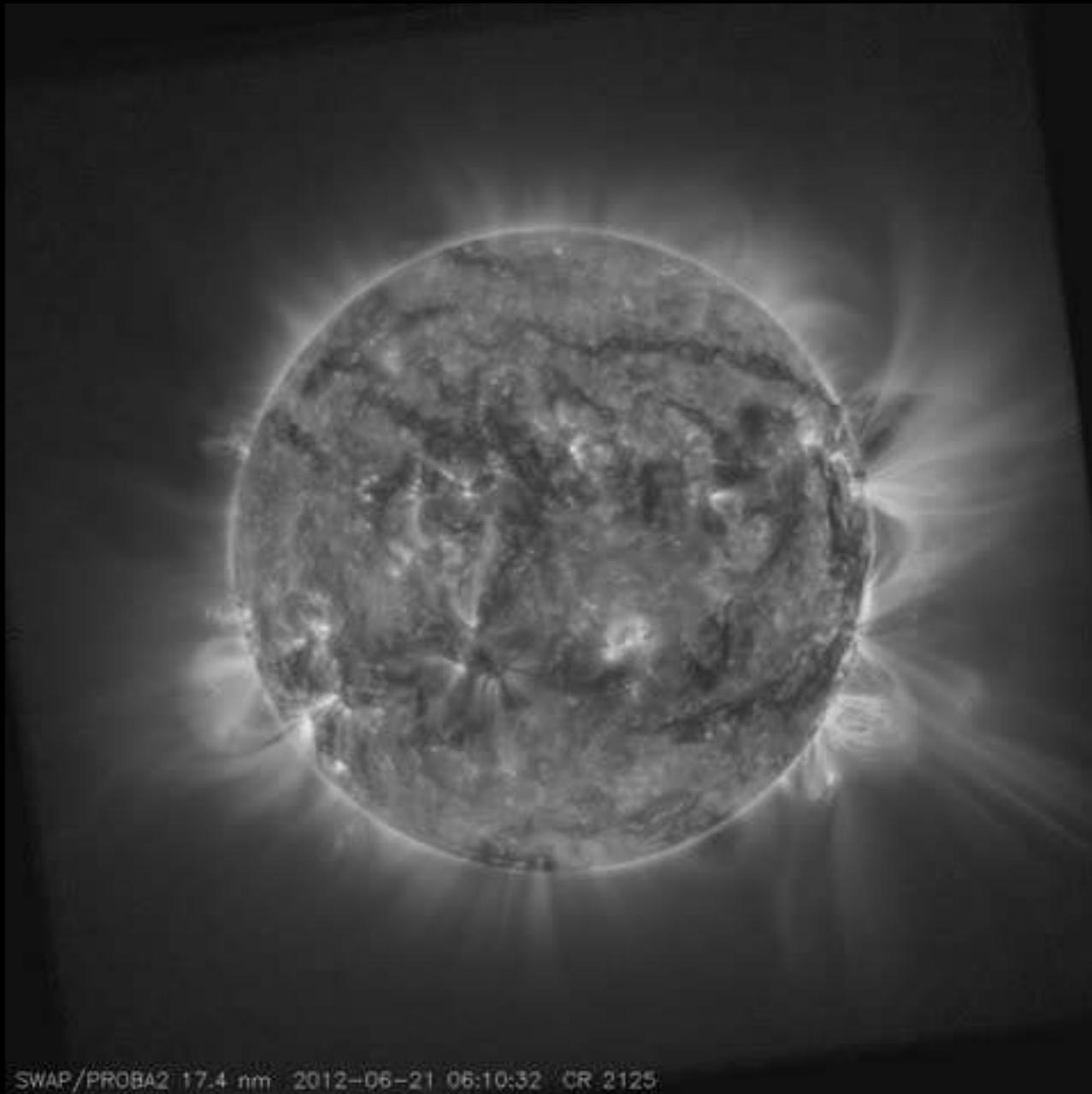


prominence eruption



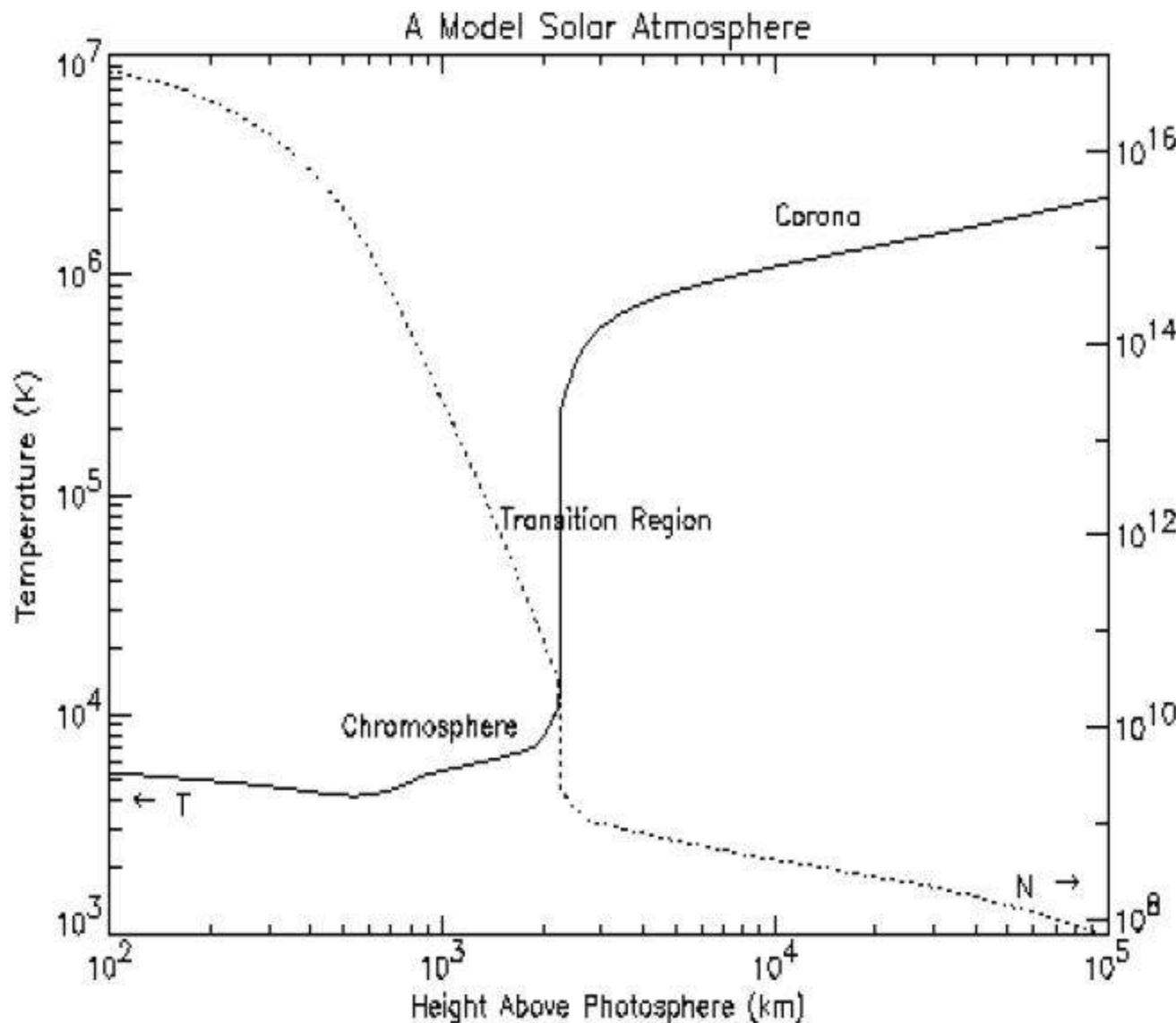
CME

- three main observational manifestations of large-scale solar eruptions
- main driver of space weather disturbances at Earth → forecast onset & impact
- basic eruption-scenario (magnetic explosion) well understood, but:
  - (1) what are the specific initiation mechanisms and thresholds?
  - (2) to what extent and how are individual eruptions coupled?
  - (3) how can we predict their onset and their impact at Earth?



SWAP/PROBA2 17.4 nm 2012-06-21 06:10:32 CR 2125

## Structure of Solar Upper Atmosphere



Plasma  $\beta$   
 $\beta = P_{\text{gas}}/P_{\text{mag}}$

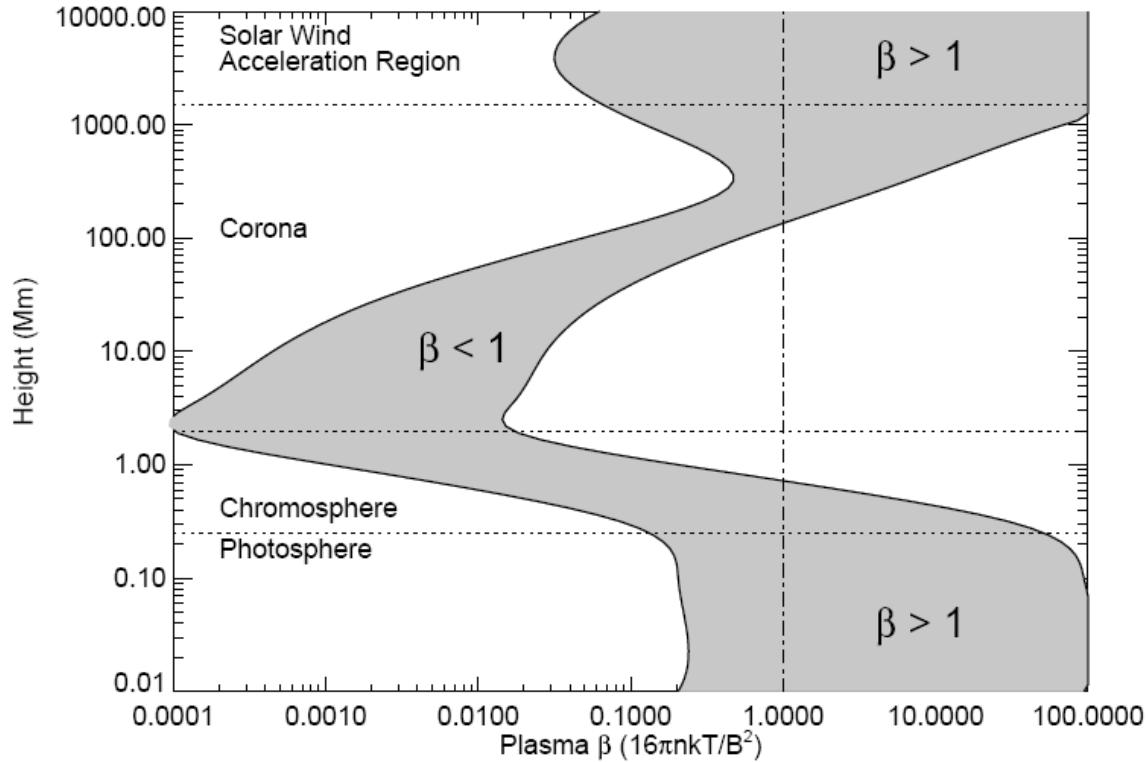


Figure 1.22: Plasma  $\beta$  in the solar atmosphere for two assumed field strengths, 100 G and 2500 G. In the inner corona ( $R \lesssim 0.2R_{\odot}$ ), magnetic pressure generally dominates static gas pressure. As with all plots of physical quantities against height, a broad spatial and temporal average is implied (Gary, 2001).

Table 1.1: The plasma- $\beta$  parameter in the solar atmosphere.

Parameter	Photosphere	Cool corona	Hot corona	Outer corona
Electron density $n_e$ ( $\text{cm}^{-3}$ )	$2 \times 10^{17}$	$1 \times 10^9$	$1 \times 10^9$	$1 \times 10^7$
Temperature $T$ (K)	$5 \times 10^3$	$1 \times 10^6$	$3 \times 10^6$	$1 \times 10^6$
Pressure $p$ (dyne $\text{cm}^{-2}$ )	$1.4 \times 10^5$	0.3	0.9	0.02
Magnetic field $B$ (G)	500	10	10	0.1
Plasma- $\beta$ parameter	14	0.07	0.2	7

10 dyne/cm<sup>2</sup> = 1 Pascal  
 $10^3$  dyne/cm<sup>2</sup> = 1 mbar  
 1 atm = 1013 mbar

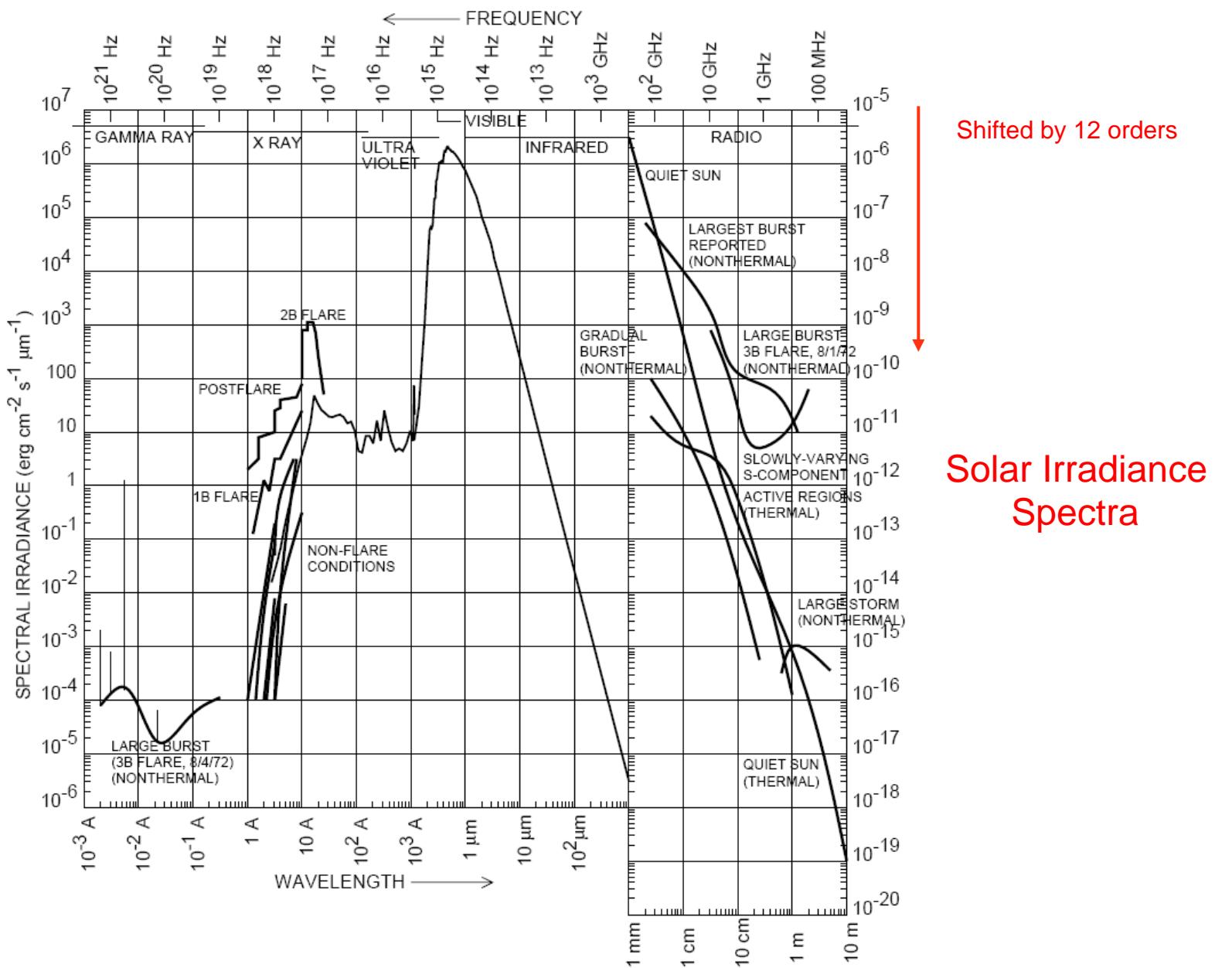


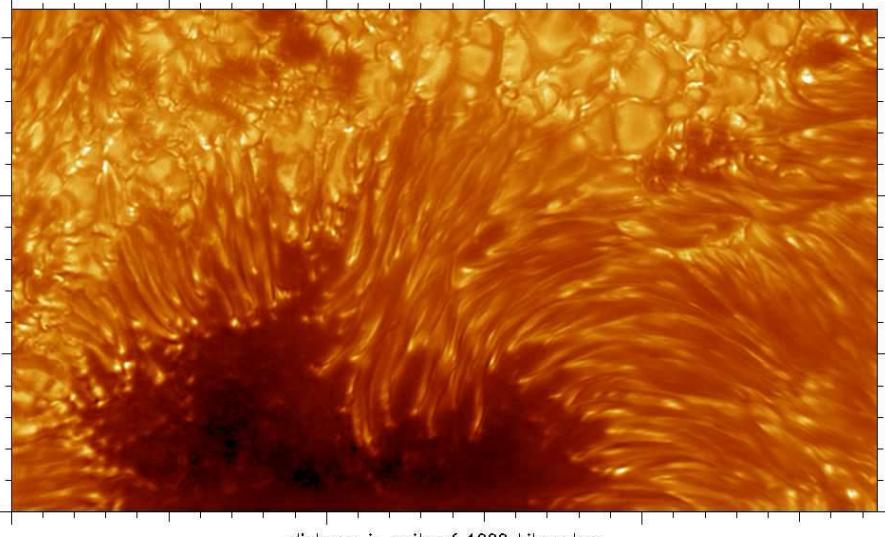
Figure 1.25: The solar irradiance spectrum from gamma-rays to radio waves. The spectrum is shifted by 12 orders of magnitude in the vertical axis at  $\lambda = 1 \text{ mm}$  to accommodate for the large dynamic range in spectral irradiance (after Zombeck, 1990 and Foukal, 1990).

# *Granulation and Sunspot Dynamics*

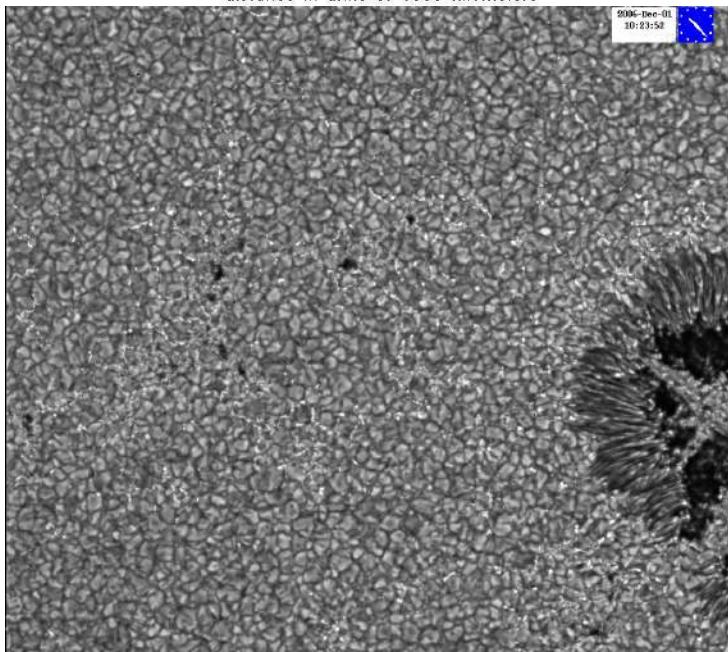
(Solar Swedish Telescope- Hinode)

G-Band, 15 July 2002, Swedish 1-m solar telescope

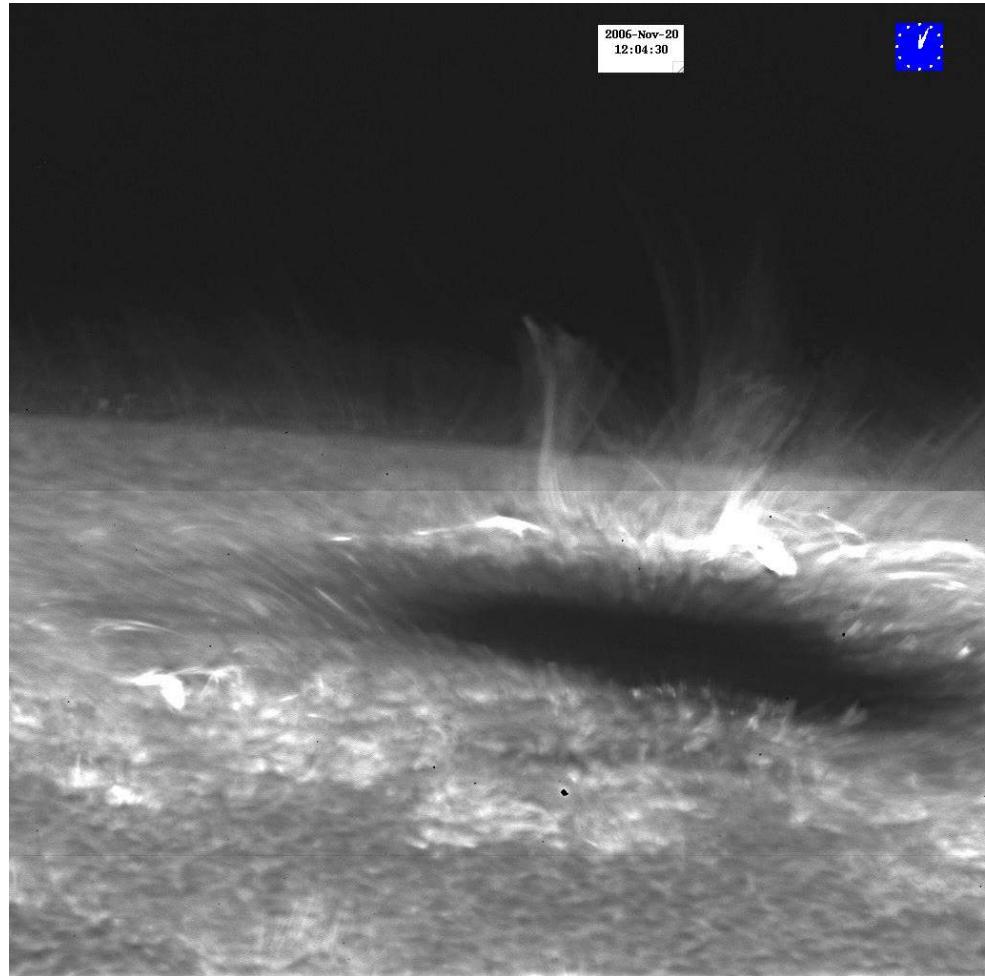
00:00:00



distance in units of 1000 kilometers



2006-Dec-01  
10:23:52



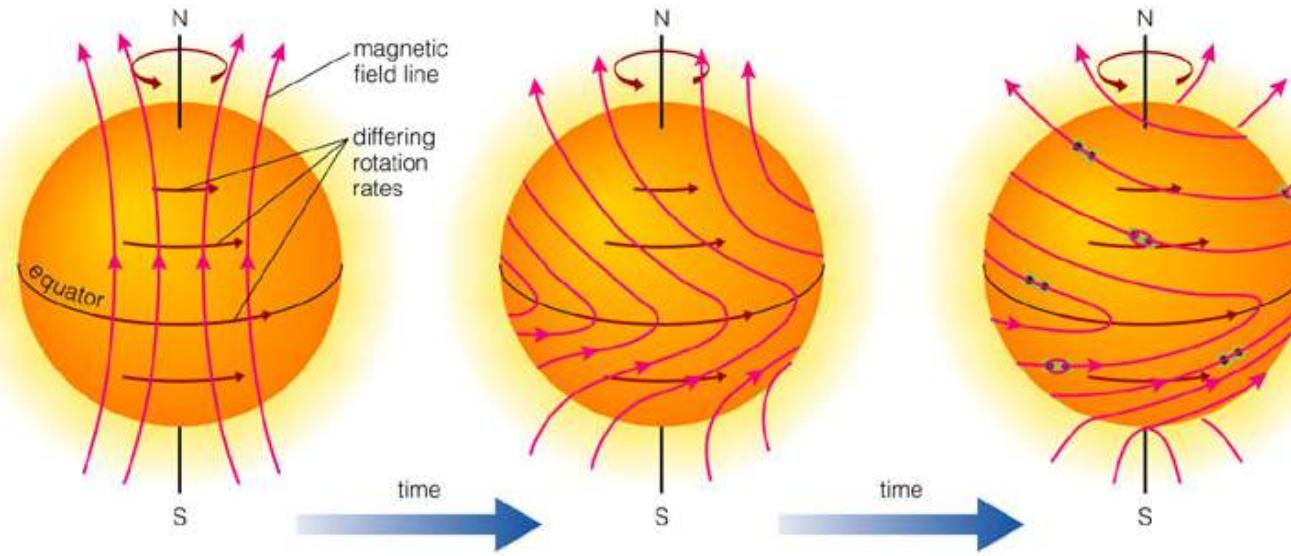
2006-Nov-20  
12:04:30



# Active Region Classification (Mt. Wilson)

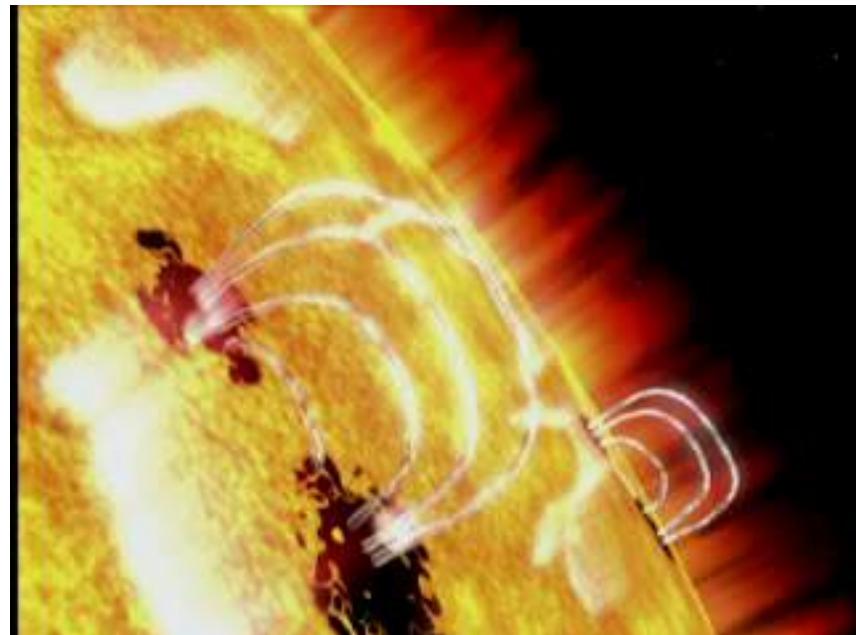
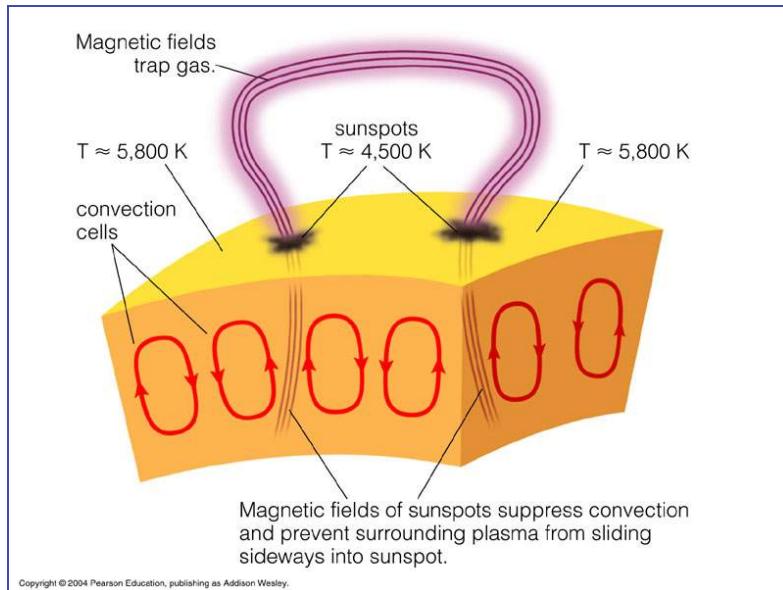
- **ALPHA**: A single dominant spot, often linked with a plage of opposite magnetic polarity.
- **BETA**: A pair of dominant spots of opposite polarity (Bipolar, i.e., a leader and a follower).
- **GAMMA**: Complex groups with irregular distribution of polarities.
- **BETA-GAMMA**: Bipolar groups which have more than one clear north-south polarity inversion line.
- **DELTA**: Umbrae of opposite polarity together in a single penumbra.

# Transport et génération du champ toroidal $B_{\text{tor}}$



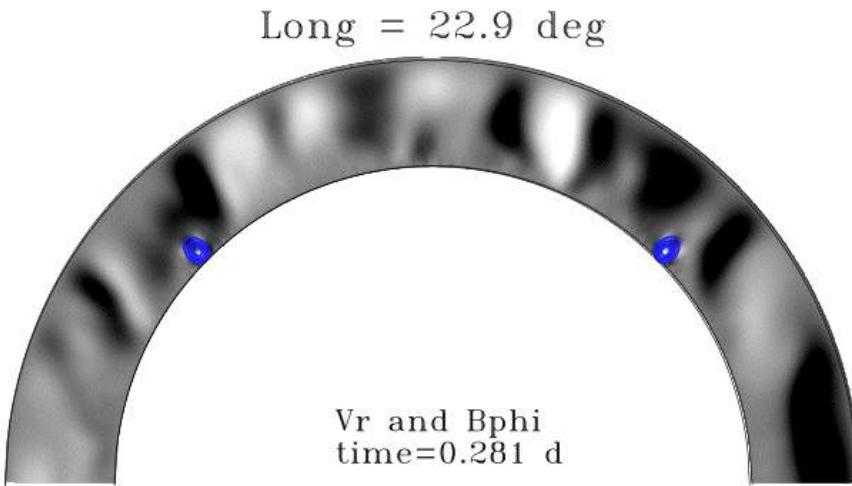
Effet Omega ( $\omega$ ):  
enroulement des  
lignes de champ

Go 3-D model



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# Transport & generation of toroidal field in Convection zone

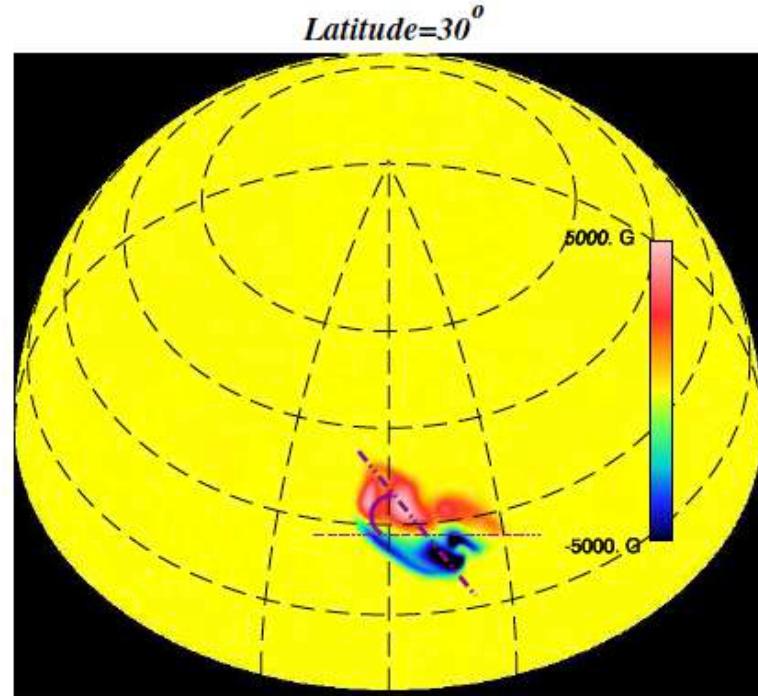
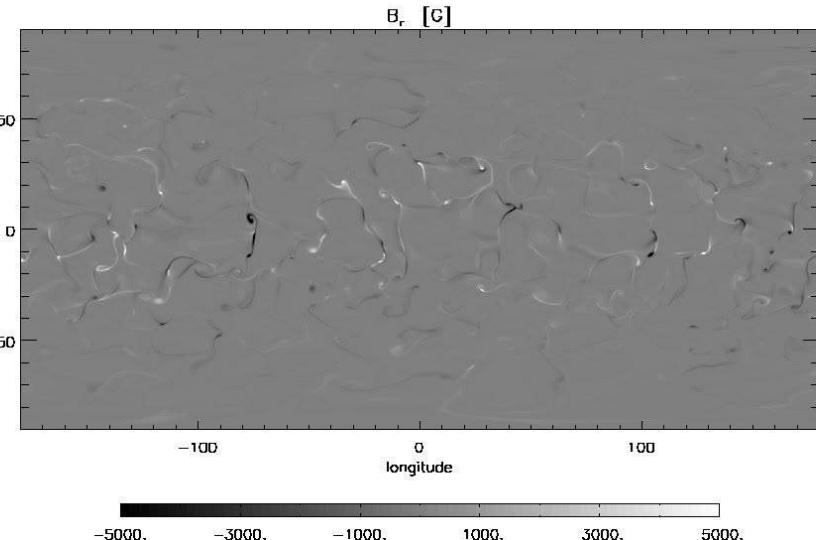


Jouve & Brun 2007 (AN), 2009, 2013, ApJ

Pinto & Brun 2013, ApJ

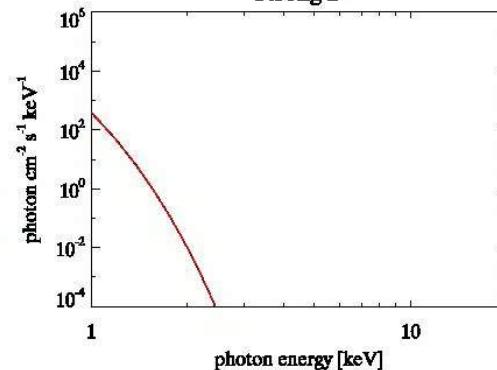
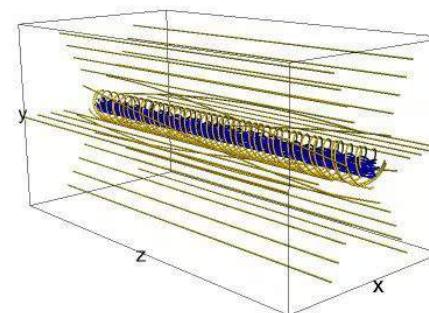
Field strength B<sub>0</sub> ~5 Beq

latitude



Time=11.07 d

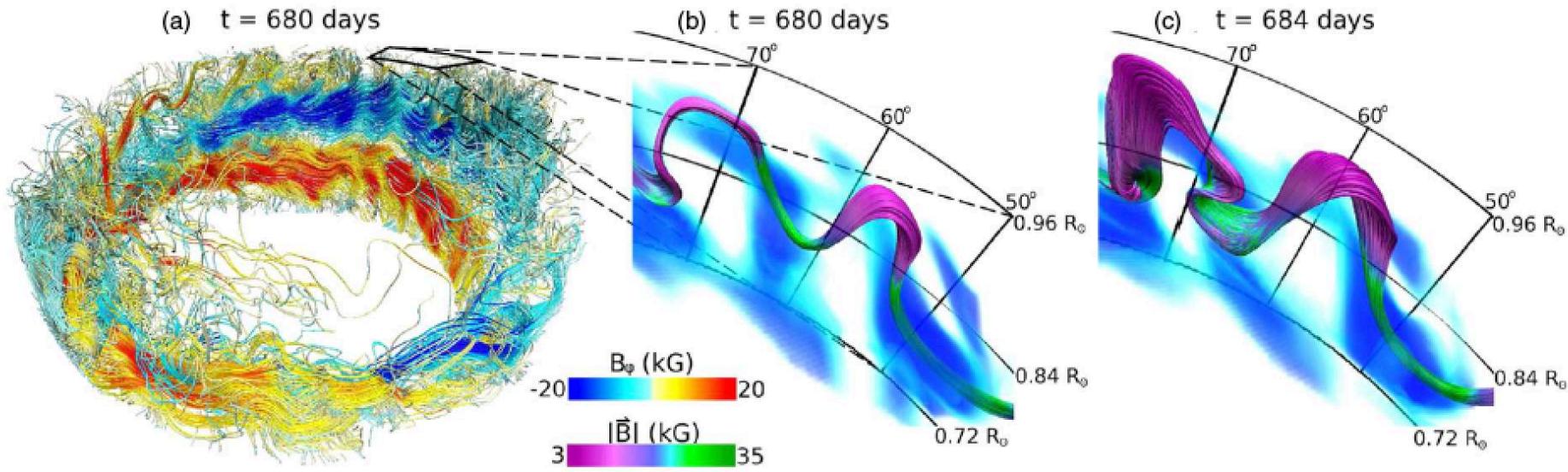
Strong B



Soft X-ray emission

School, Santorin – 19/10/15 Pinto, Vilmer, Brunn 2015, A&A

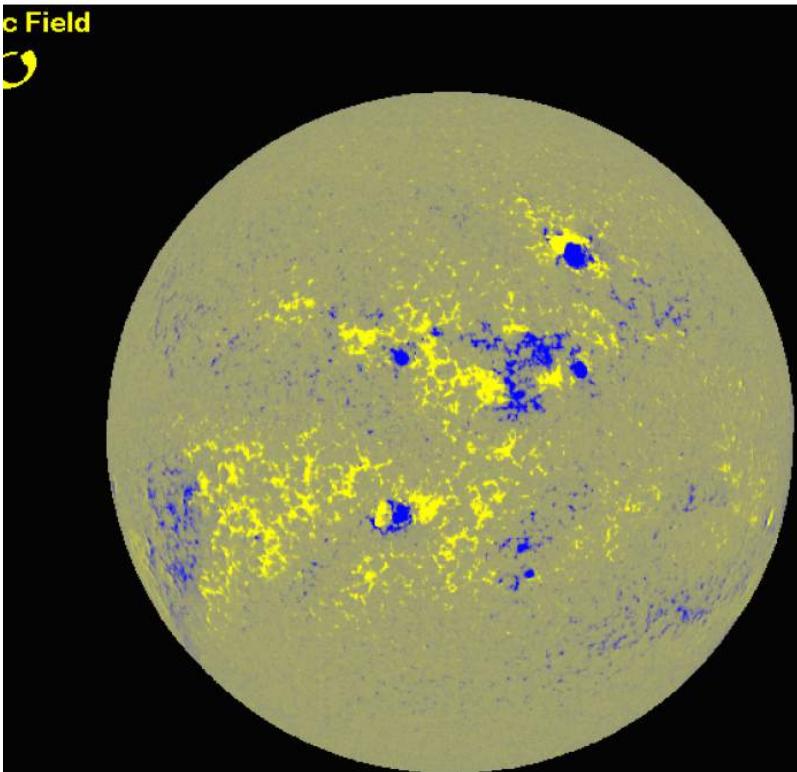
# Going Beyond the introduction of flux tube: *Self-consistent buoyant Loops generations*



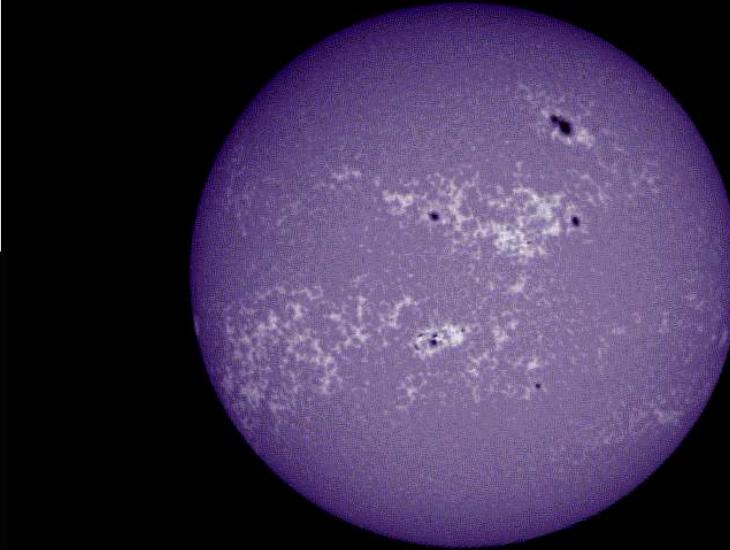
Nelson et al. 2011, 2013a, 2013b

Ca II 3934 Å  
BBSO

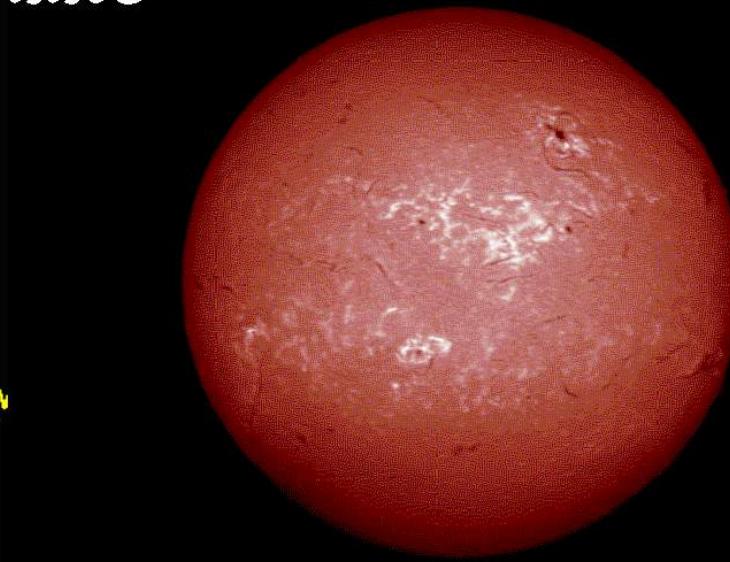
# Influence of **B** on the solar atmosphere



From MSSTA soundingrocket.



H I 6563 Å  
BBSO

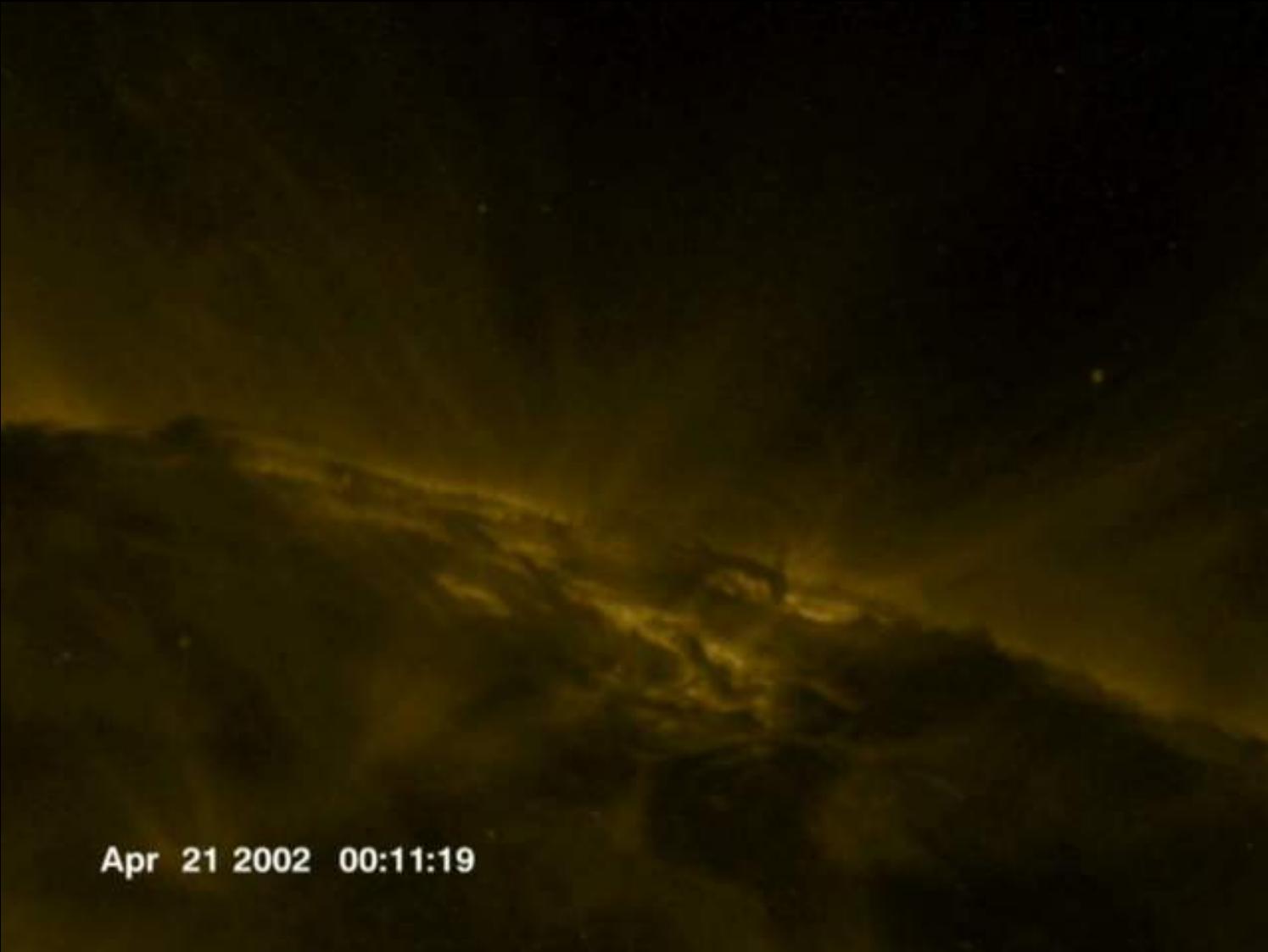


# Soleil en rayon X (satellite Hidone (Japon))



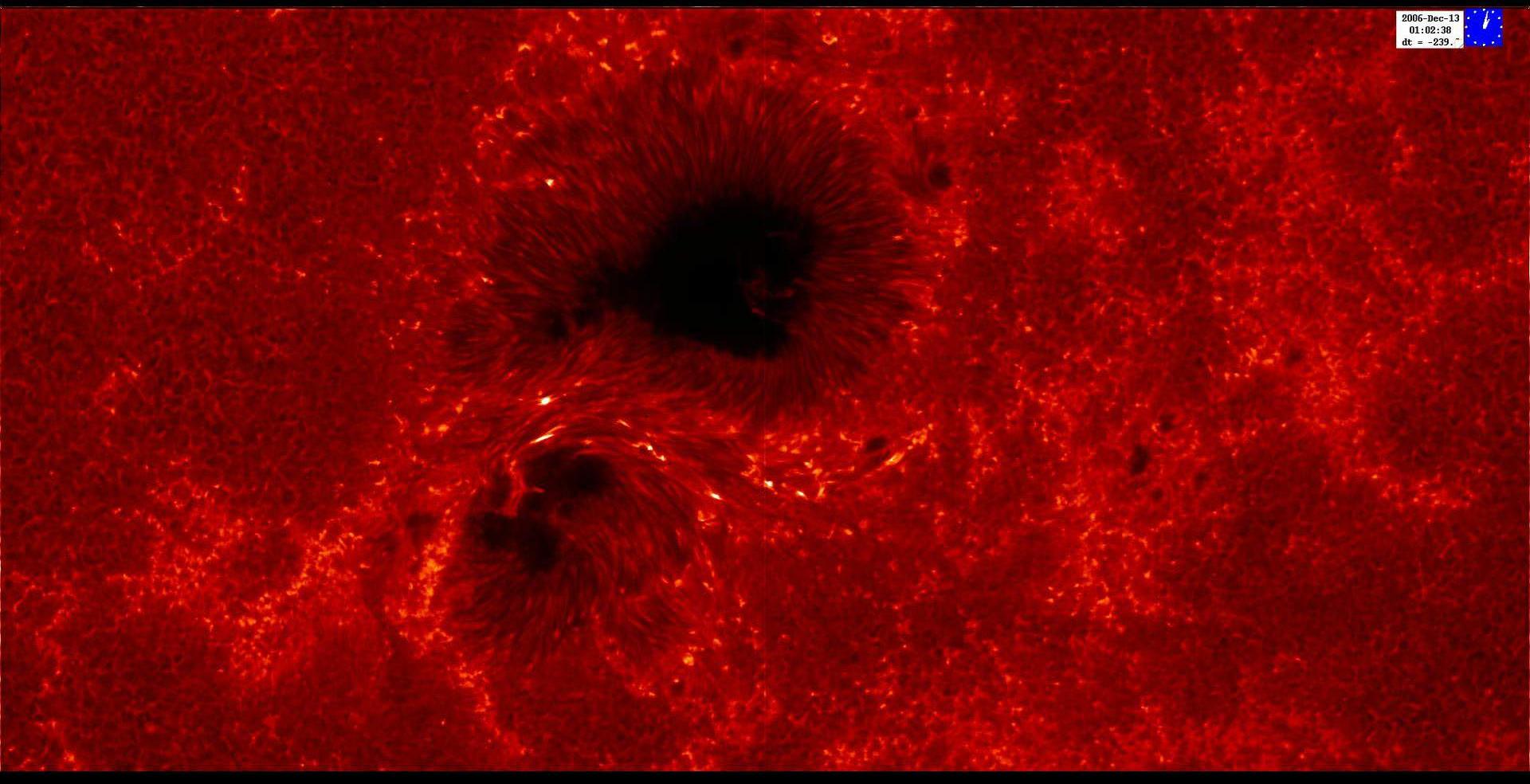
Hinode/XRT: 2007-01-03 16:19:03UT

# *Loops-Eruptions (TRACE Data)*



Apr 21 2002 00:11:19

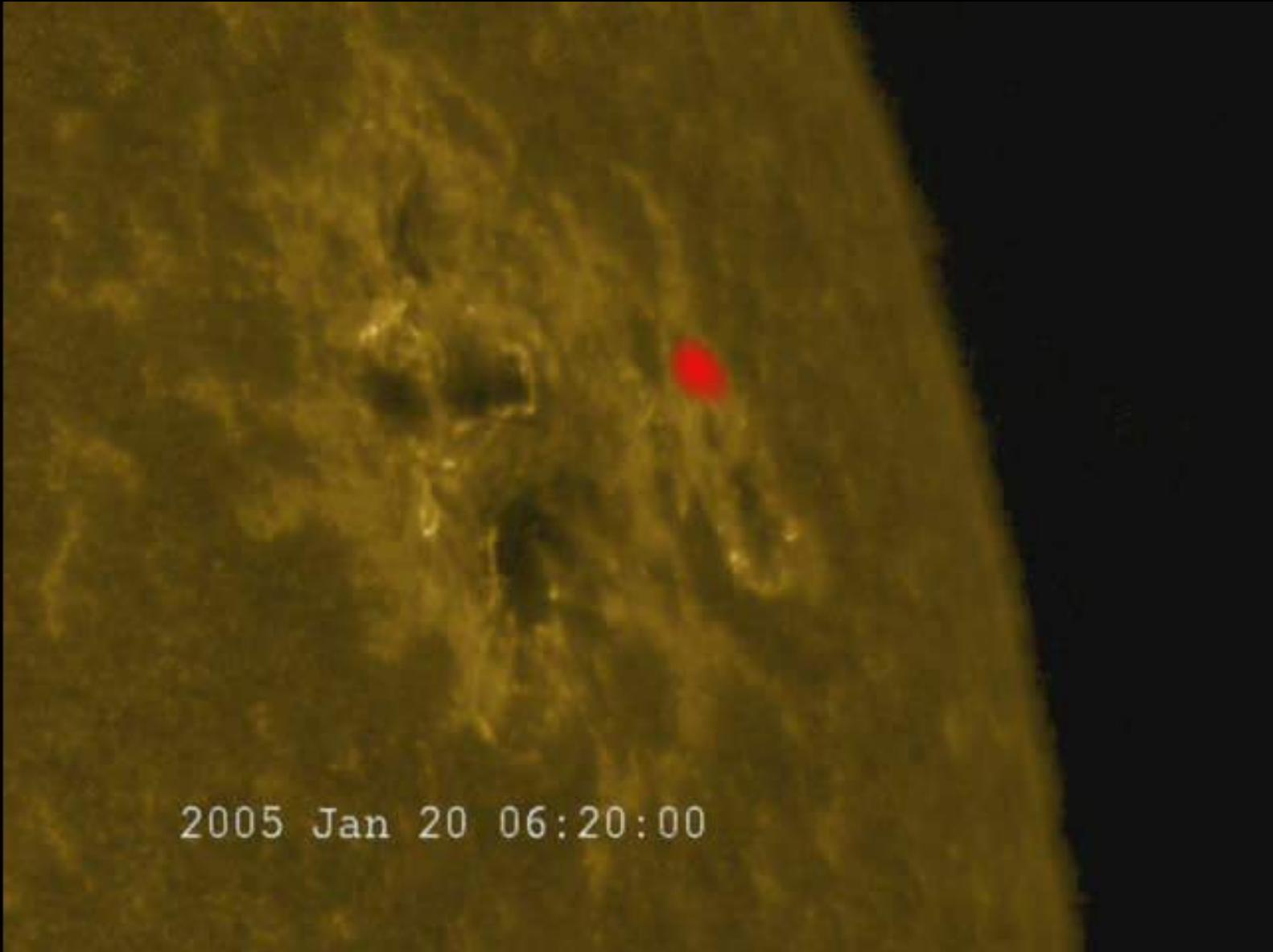
# Flares in H $\alpha$ & CaH



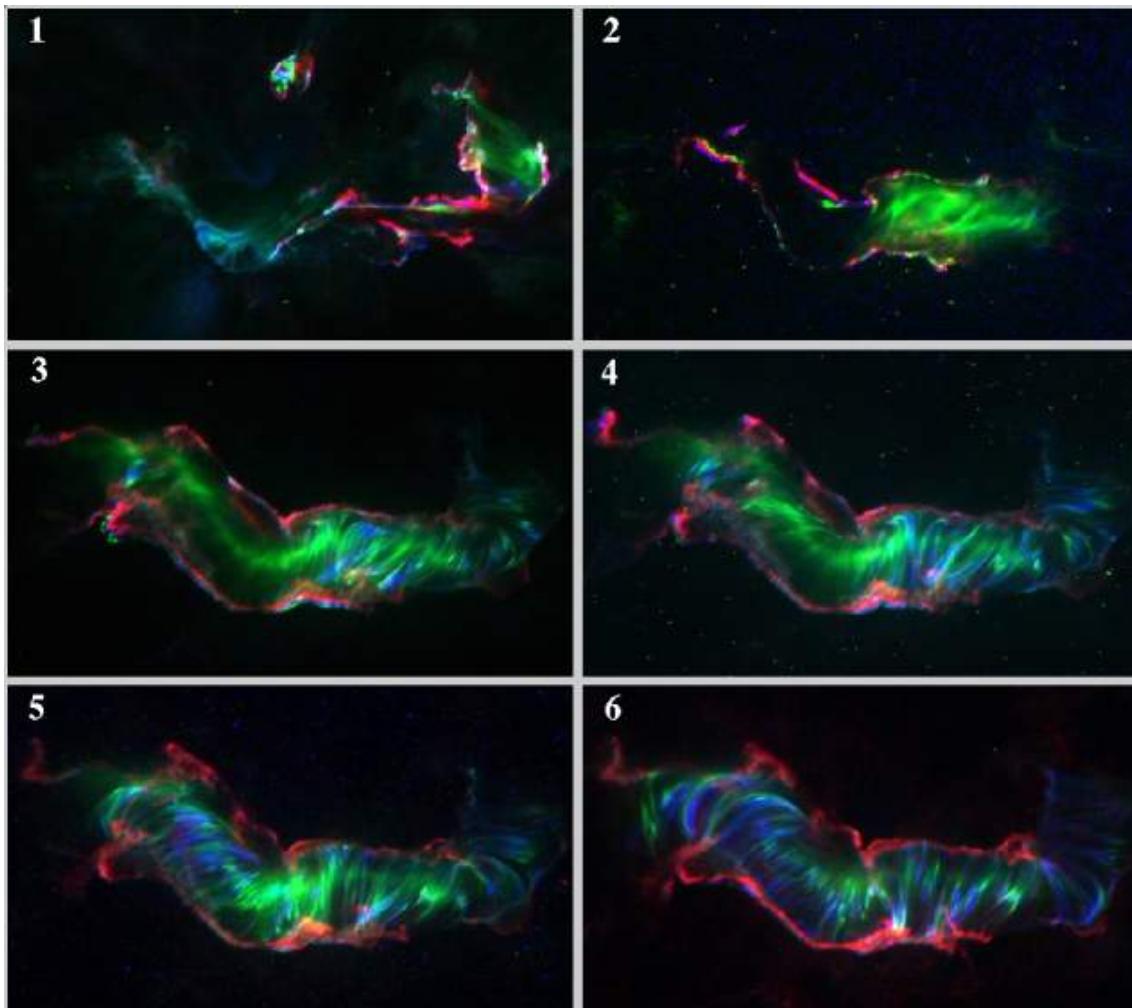
Big Bear Solar Observatory & Hinode satellite

Dr. A.S. Brun, UnivEarths Fall School, Santorin – 19/10/15

## Soft and hard X-ray emission (Rhessi + Trace)



# 14 July 2000 Flare TRACE 3 Band Composite Images



Red: UV continuum  
Blue: 171 Å pass band,  
~1 MK  
Green: 195 Å pass band,  
>1.5 MK



# Flare Classification Schemes

After Bhatnagar & Livingston 2005

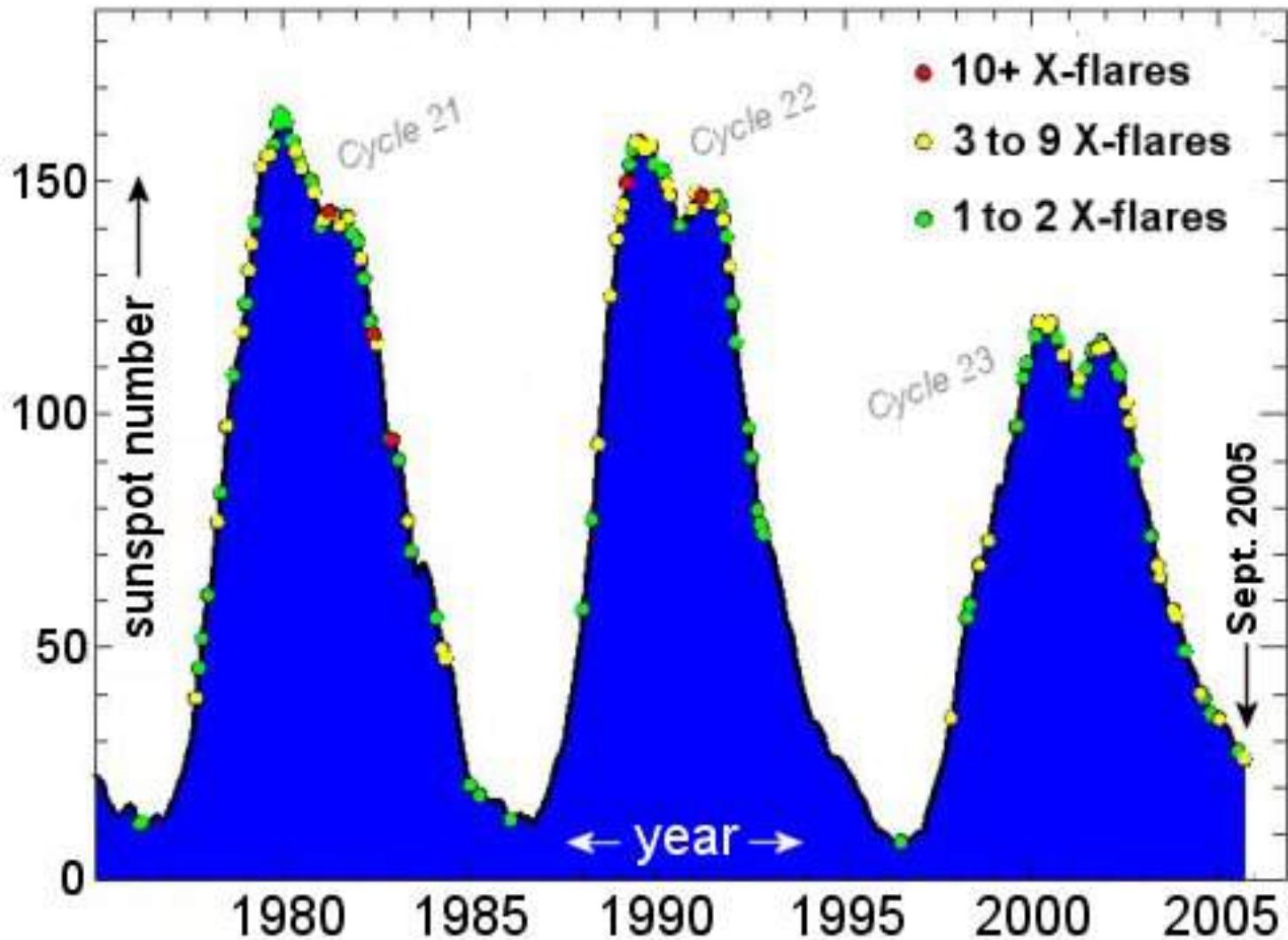
H $\alpha$ classification			Radio flux at 5000 MHz in s.f.u.	Soft X-ray class	
Importance Class	Area (Sq. Deg.)	Area $10^{-6}$ solar disk		Importance class	Peak flux in 1-8 Å w/m $^2$
S	2.0	200	5	A	$10^{-8}$ to $10^{-7}$
1	2.0–5.1	200–500	30	B	$10^{-7}$ to $10^{-6}$
2	5.2–12.4	500–1200	300	C	$10^{-6}$ to $10^{-5}$
3	12.5–24.7	1200–2400	3000	M	$10^{-5}$ to $10^{-4}$
4	>24.7	>2400	3000	X	> $10^{-4}$

H $\alpha$  sub-classification by brightness: F – faint, N – normal, B – bright

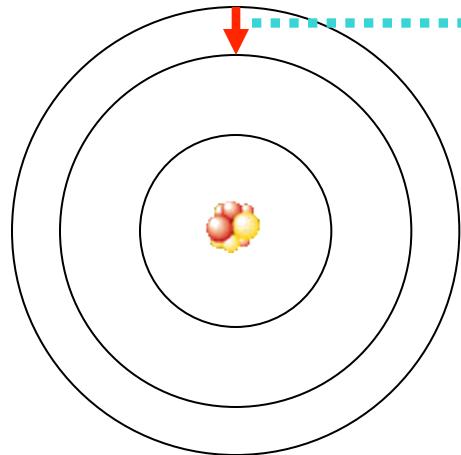
$$1 \text{ s.f.u.} = 10^4 \text{ jansky} = 10^{-2} \text{ W m}^{-2} \text{ Hz}^{-1}$$

# Résumé “flare/CME”

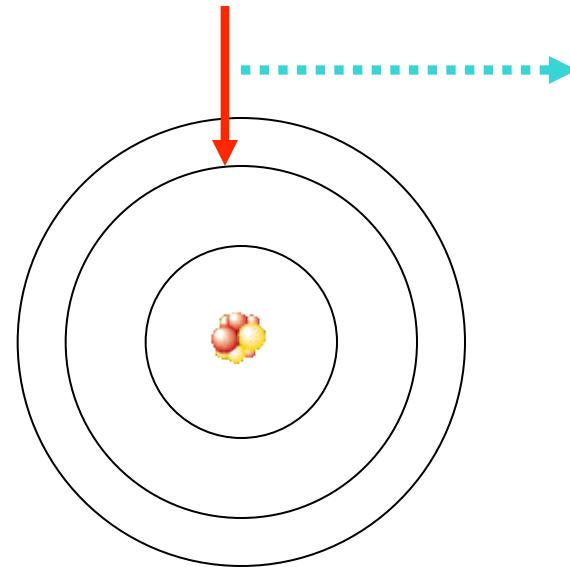
“flares”	Taille (L)	Temps de vie(t)	Temps Alfvén( $t_A$ )	$t/t_A$	Mass éjectée
microflares	$10^3$ $-10^4$ km	100-100 0sec	1-10 sec	~100	jet/ surge
Impulsive flares	$(1-3) \times$ $10^4$ km	10 min – 1 hr	10-30 sec	~60- 100	X-ray plasmoid/ Spray
Long duration (LDE) flares	$(3-10) \times$ $10^4$ km	1-10 hr	30-100 sec	~100- 300	X-ray plasmoid/ prom. eruption
Giant arcades	$10^5$ $-10^6$ km	10 hr – 2 days	100-1000 sec	~100- 300	CME/ prom. eruption



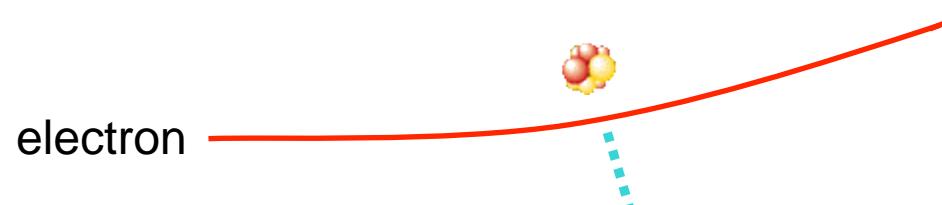
# Radiation Mechanisms



Bound-Bound  
(Line Emission)



Free-Bound



Free-Free  
(Bremsstrahlung)

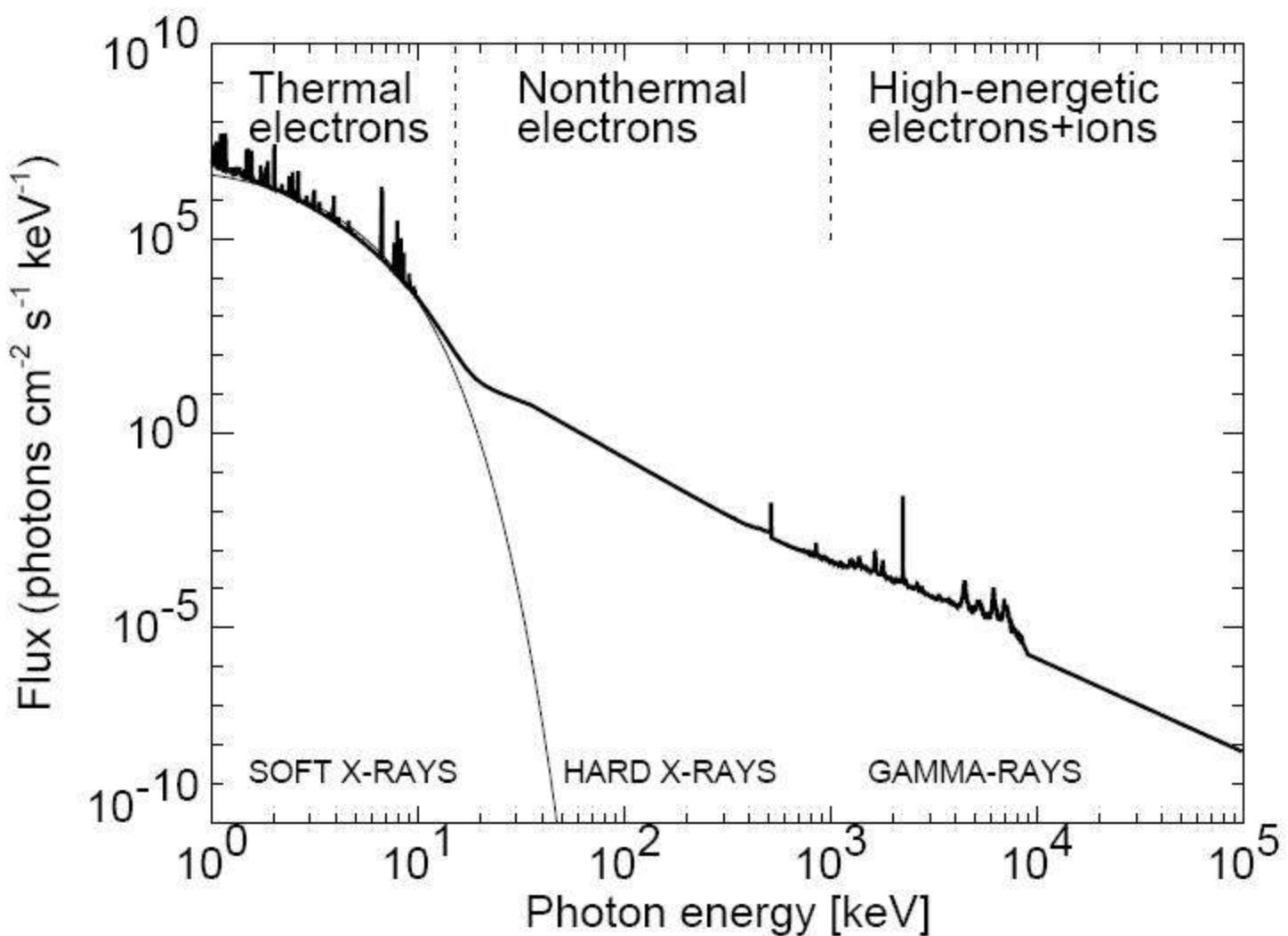
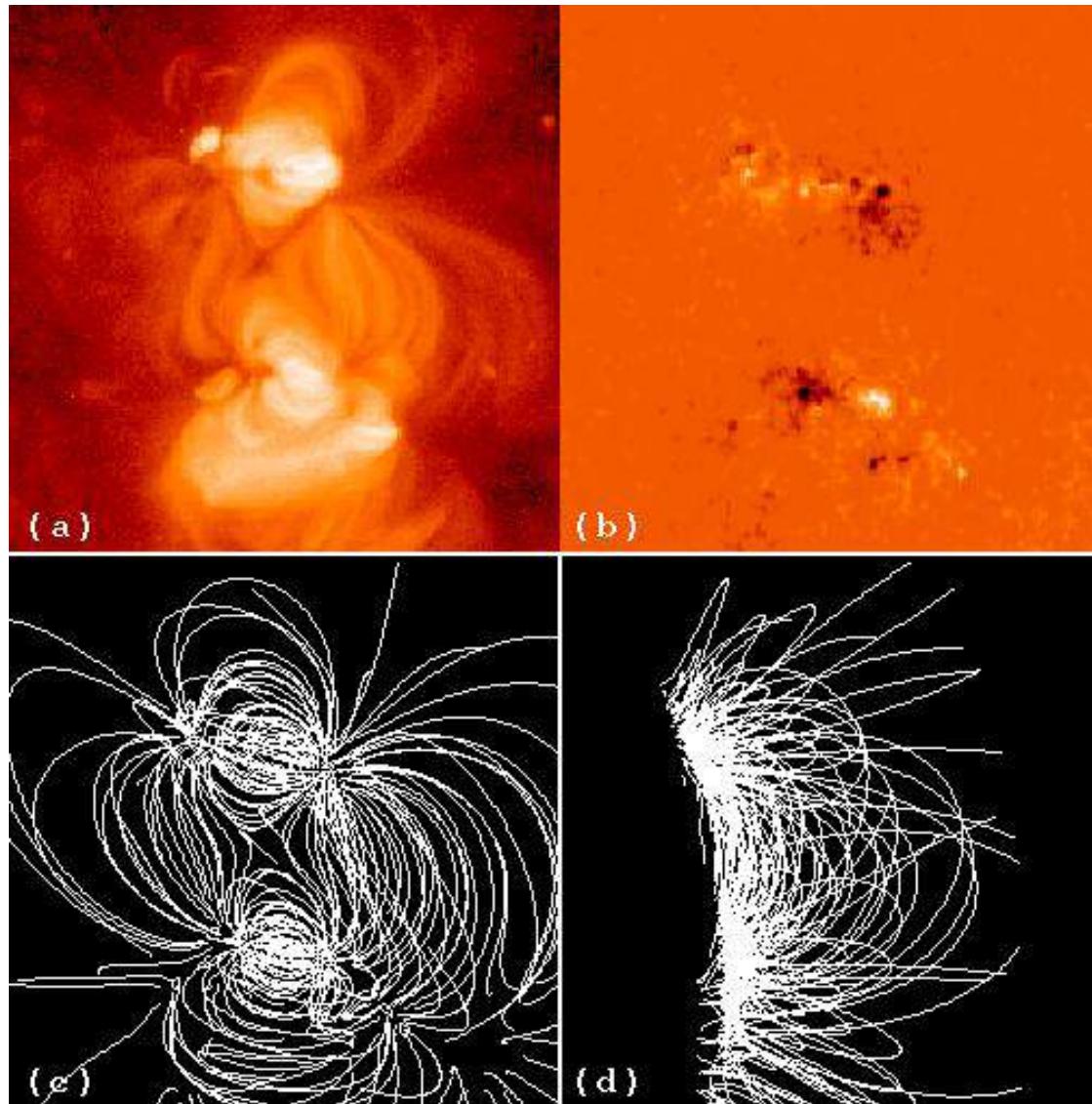


Figure 94. Composite photon spectrum of a large flare, extending from soft X-rays (1-10 keV), hard X-rays (10 keV-1 MeV), to gamma rays (1 MeV-10 GeV), mostly produced by thermal, nonthermal (energetic), or high-energetic electrons. Gamma-ray line emission and parts of the gamma-ray continuum is produced by interactions of protons, neutrons, ions, and pion decay.

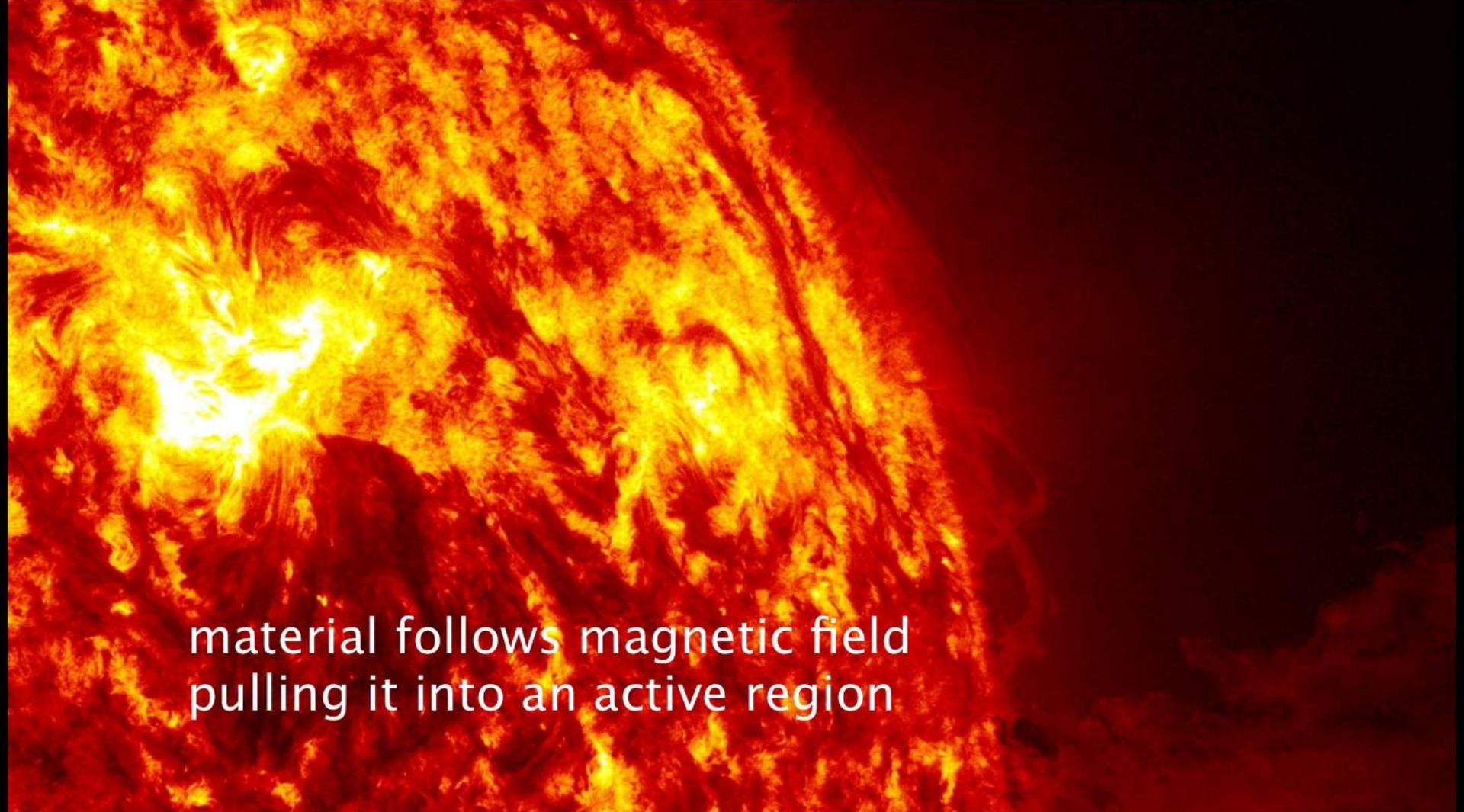
# Field Lines Reconstruction



## Eruptive event falling back: unguided case



## Eruptive event falling back: guided case

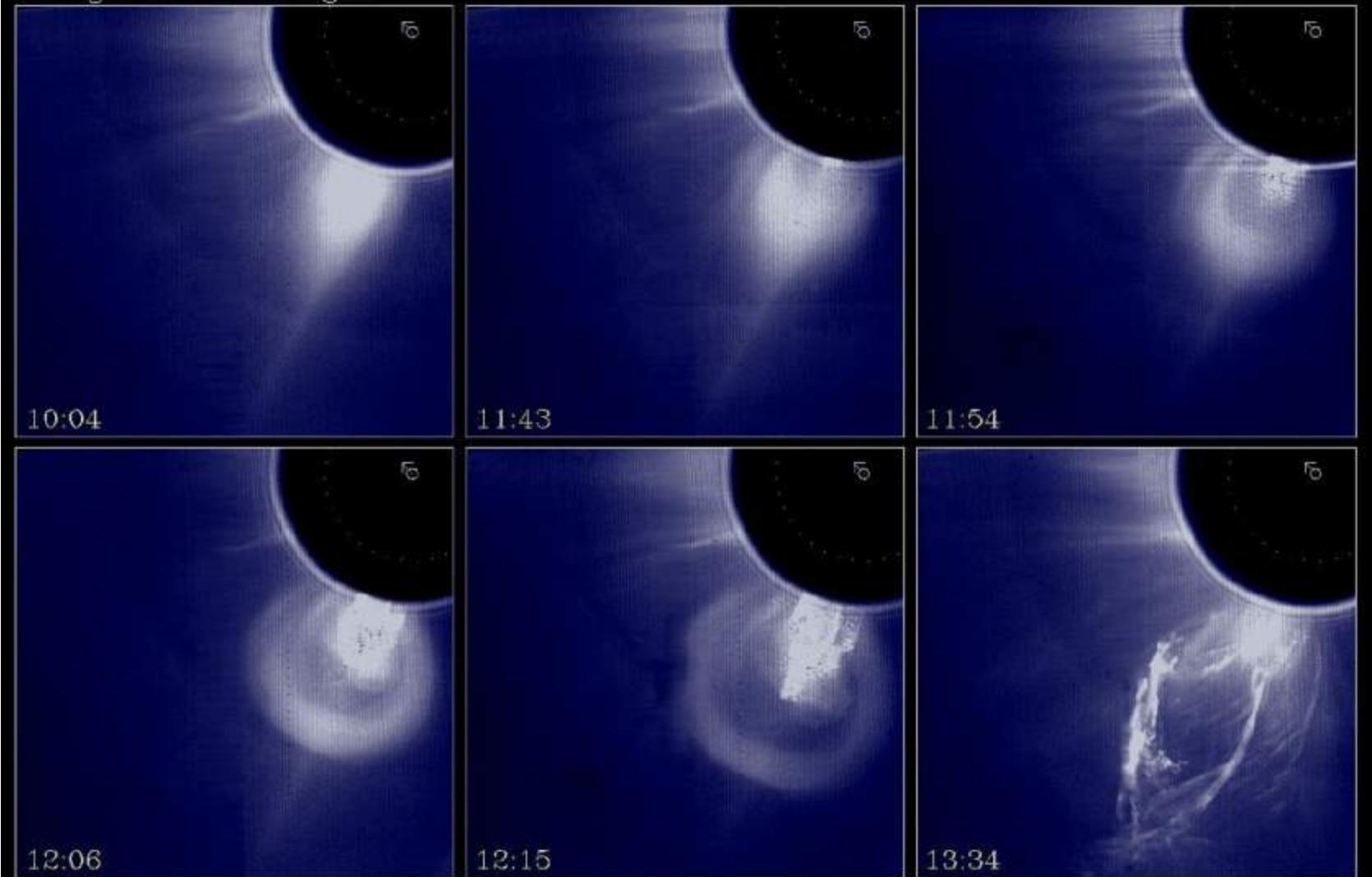


A large solar flare erupting from the Sun's surface, showing bright yellow and white plasma against a dark red background.

material follows magnetic field  
pulling it into an active region

# Coronal Mass Ejection (CME)

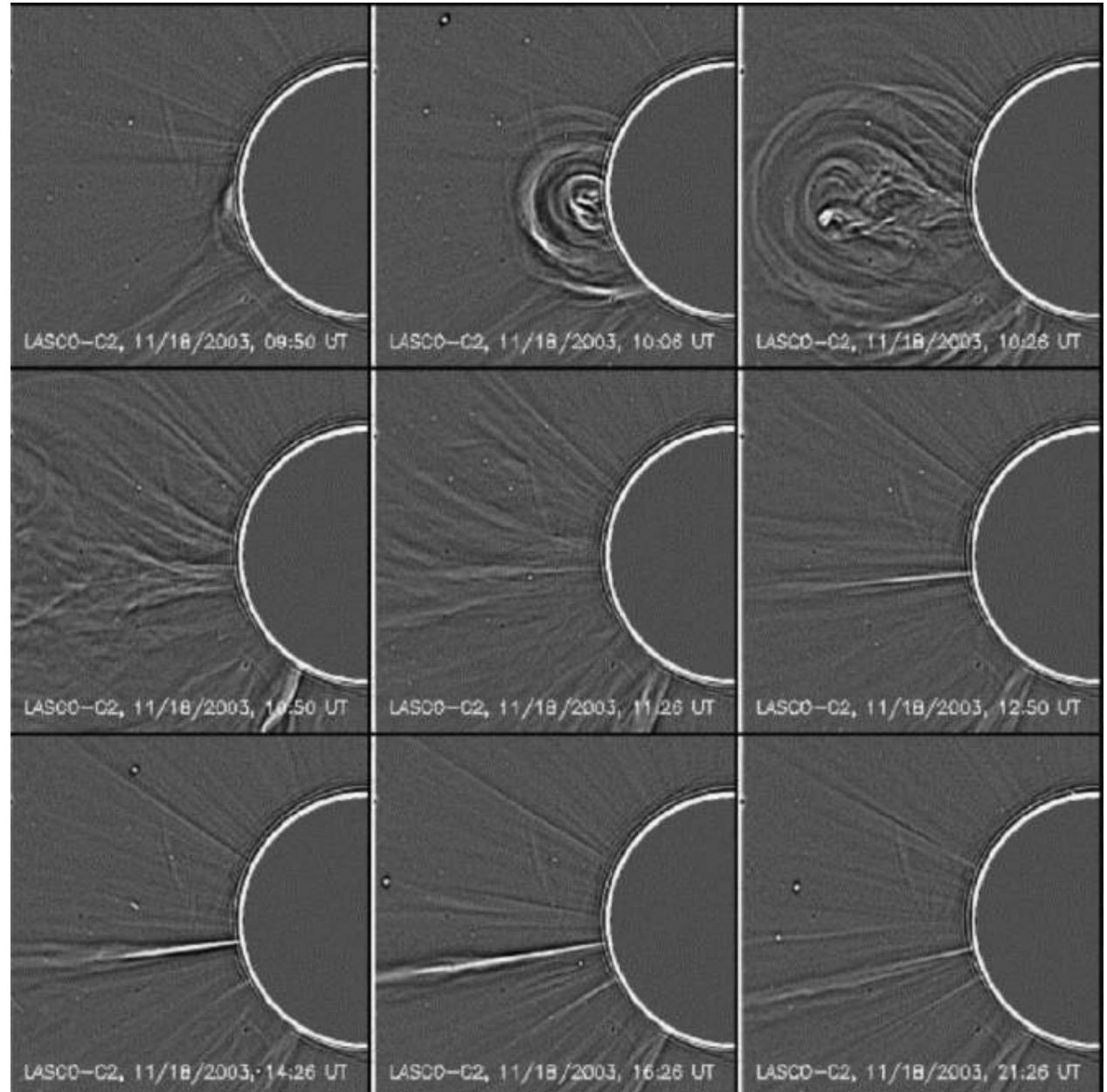
18 Aug 1980: White Light



Source: High Altitude Observatory/Solar Maximum Mission Archives

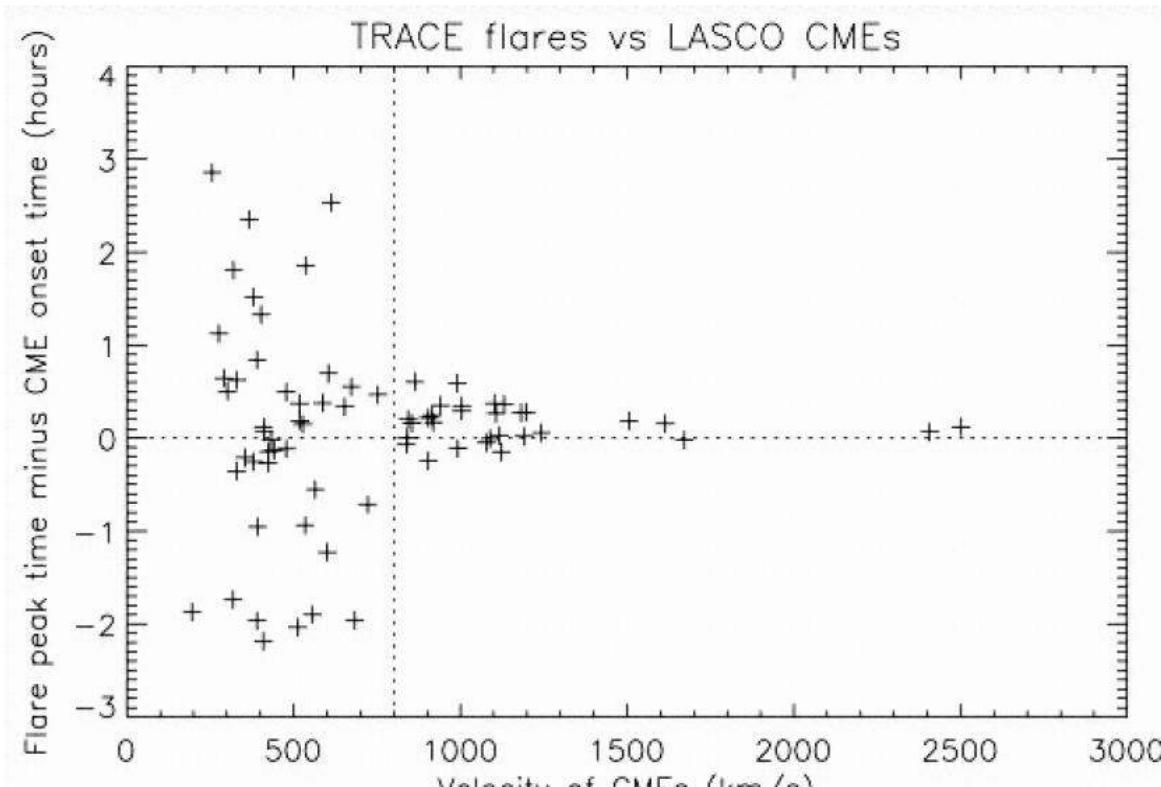
HAO A-913

# 2003 November 18 CME: Enhanced LASCO C2 Images



Lin, J., Ko, Y.-K., Sui, L.,  
Raymond, J. C.,  
Steinborg, G. A., Jiang,  
Y., Zhao, S. & Mancuso,  
S., 2005, Ap. J. 622,  
1251

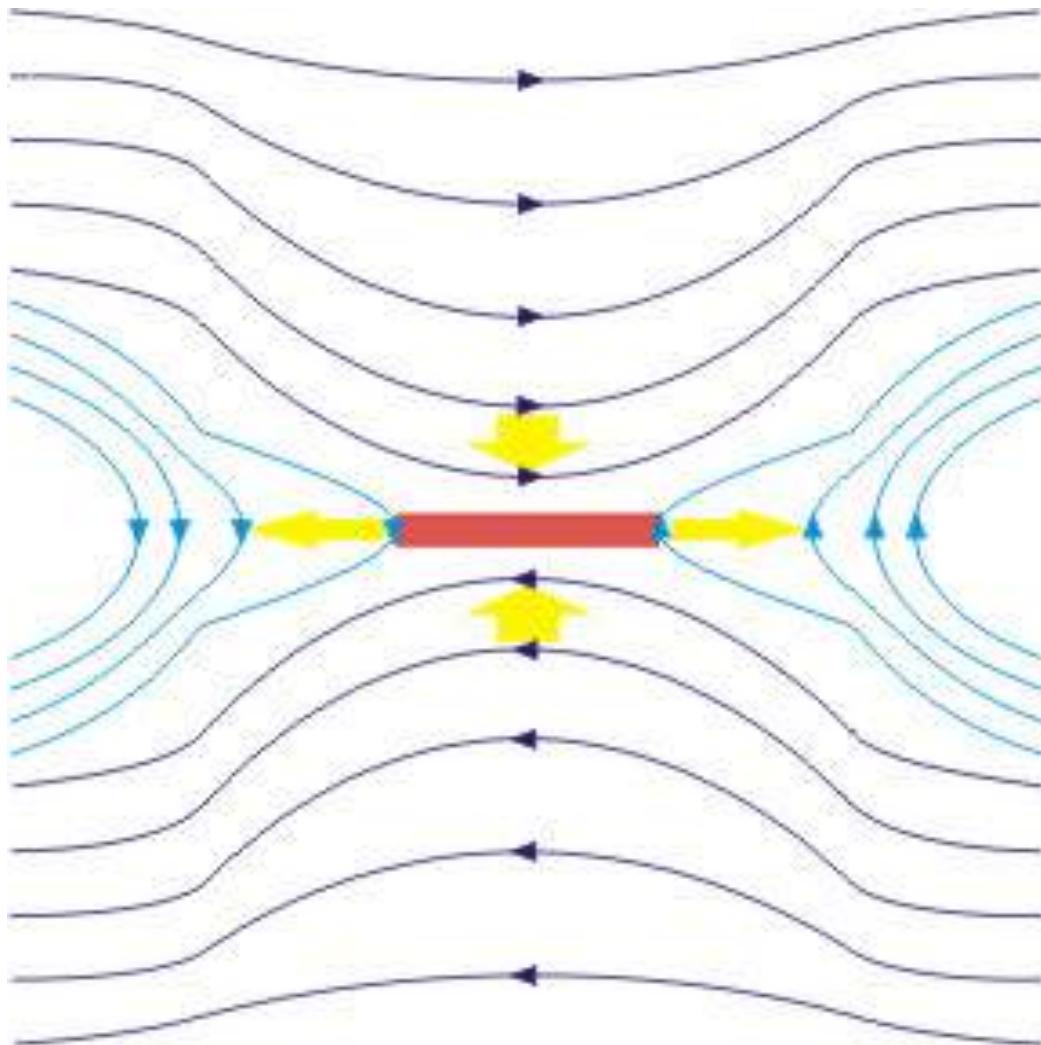
# CME Speed vs. Flare Occurrence



Inverse polarity

Normal polarity

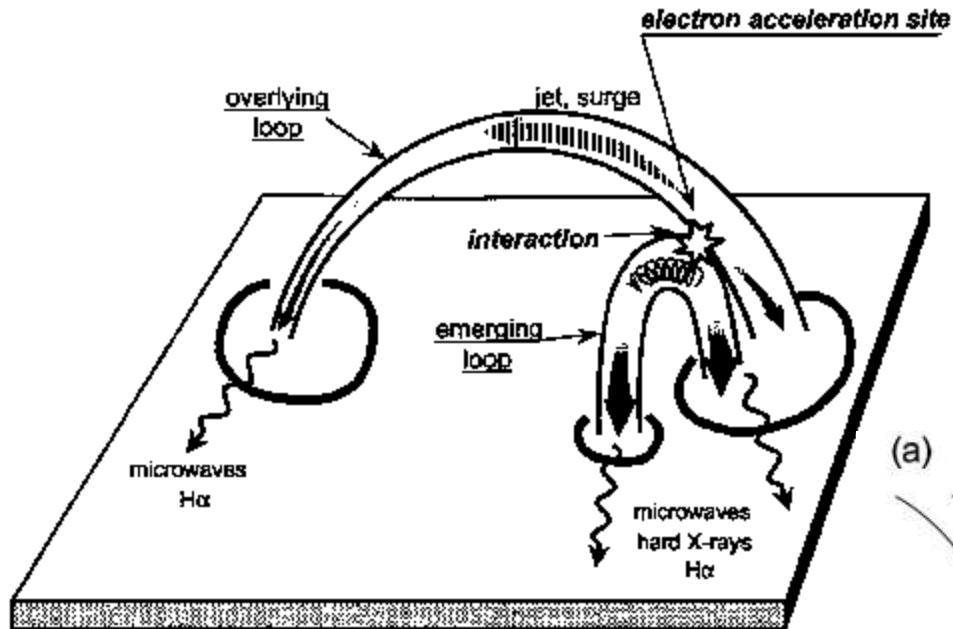
# Magnetic Reconnection (2D)



Sweet-Parker

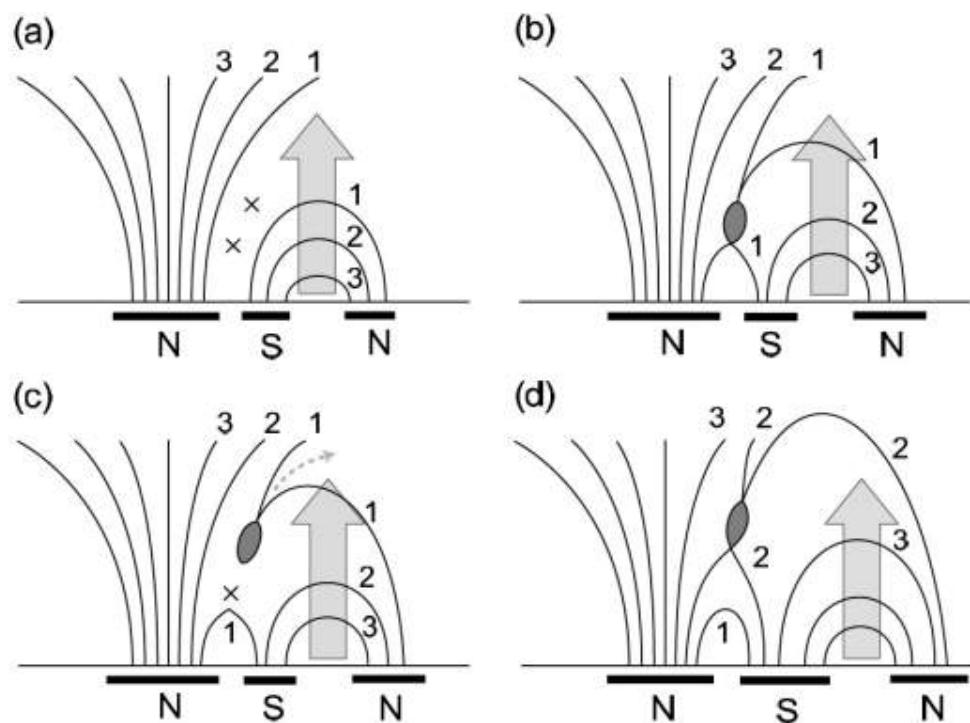
Petschek

# Interacting Loops

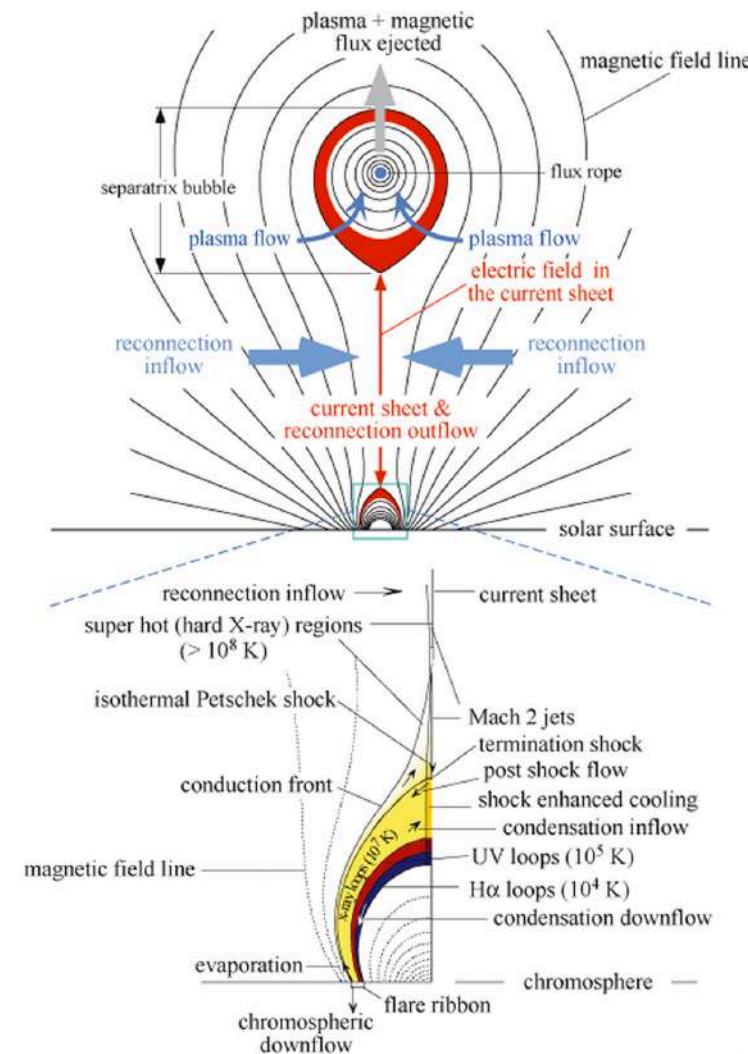
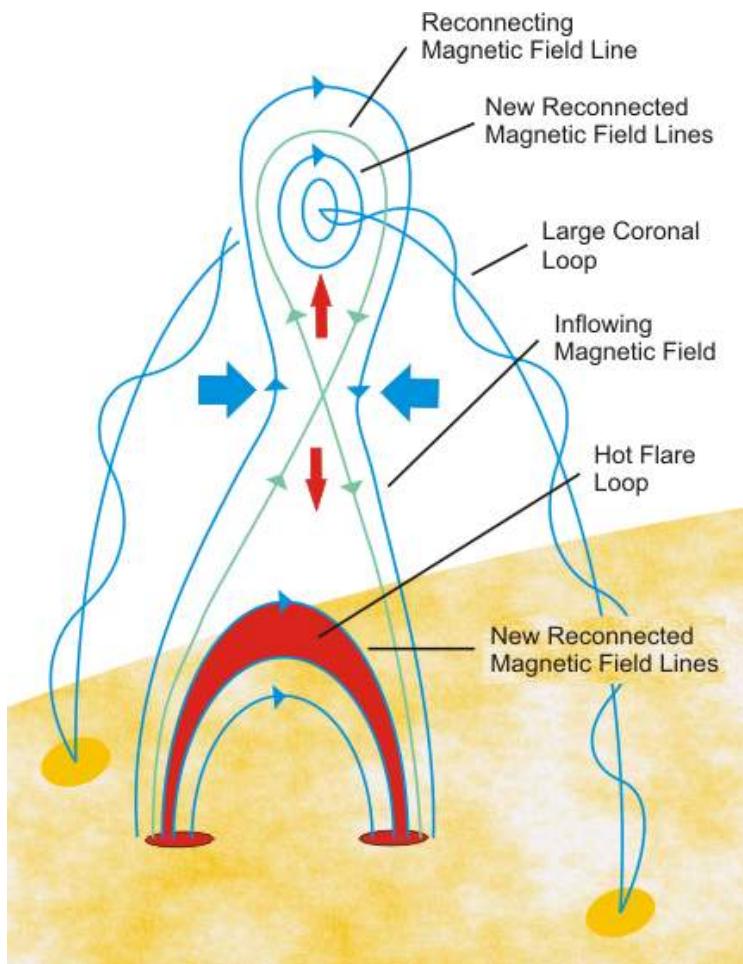


Takasaki et al., *The Astrophysical Journal*, 2004

Hanaoka, *Publications of the Astronomical Society of Japan*, 1999



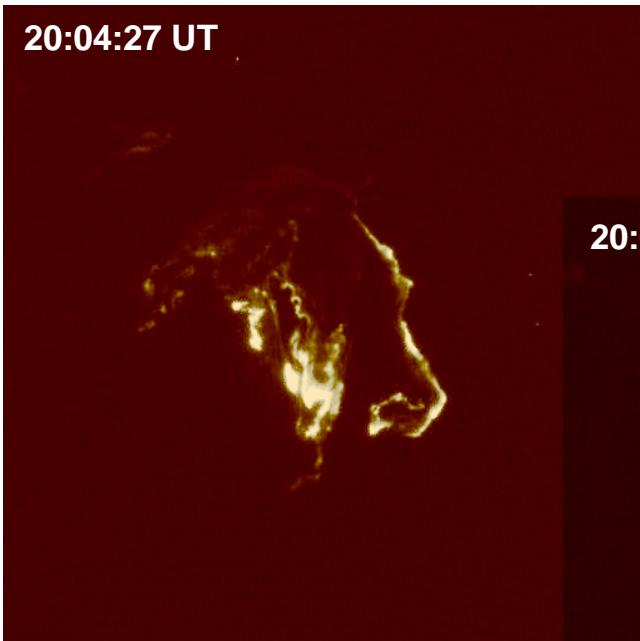
# The “Standard” Model for Eruptive Flares



**Figure 21:** Schematic diagram of a disrupted magnetic field that forms in an eruptive process (Lin, 2004). Catastrophic loss of equilibrium, occurring in a magnetic configuration including a flux rope, stretches the closed magnetic field and creates a Kopp–Pneuman-type structure. This diagram is created by incorporating the traditional two-ribbon flare model (bottom), from Forbes and Acton (1996) with the CME model (top) of Lin and Forbes (2000). Colors denote the different hierarchies of plasma in the configuration. Image reproduced with permission from Lin (2004), copyright by Springer.

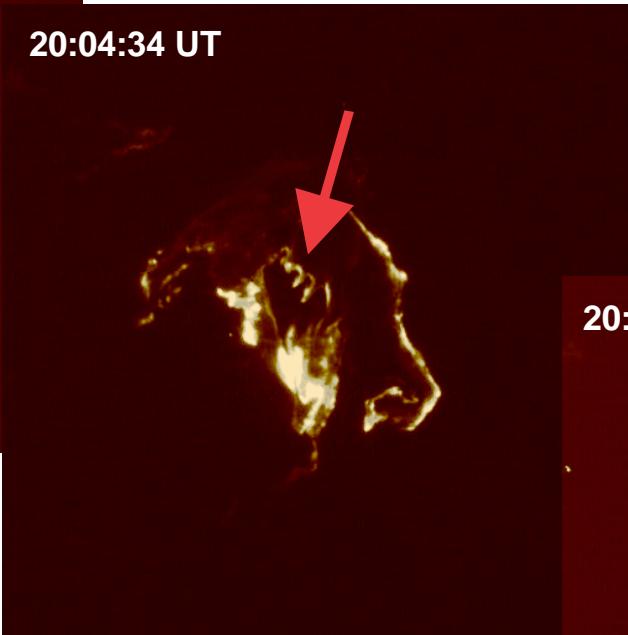
# 15 July 2002 Flare

20:04:27 UT



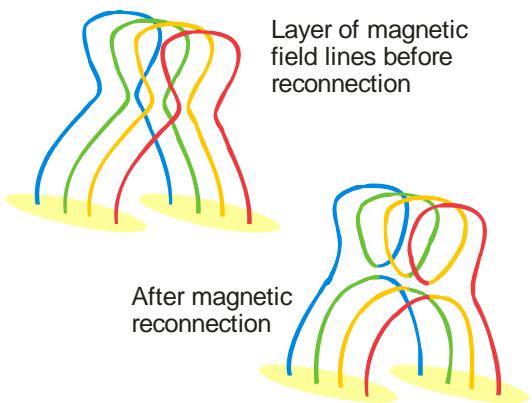
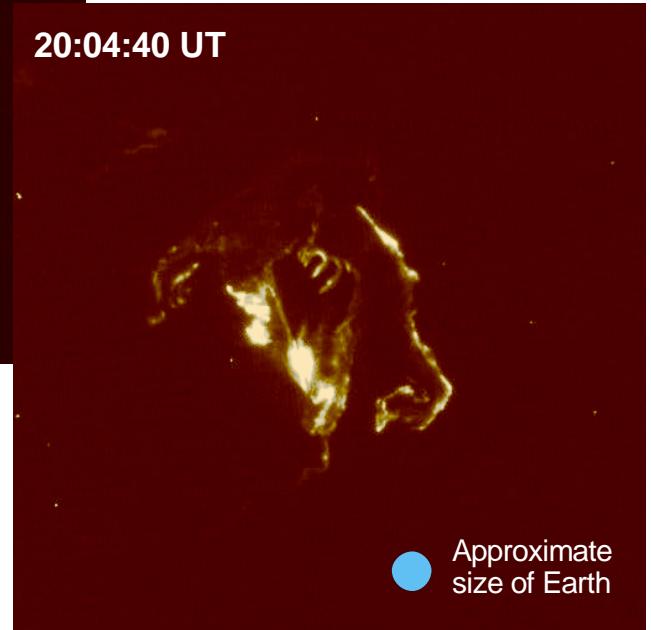
TRACE 1600 Å Images  
 $T \sim 10^5$  K

20:04:34 UT



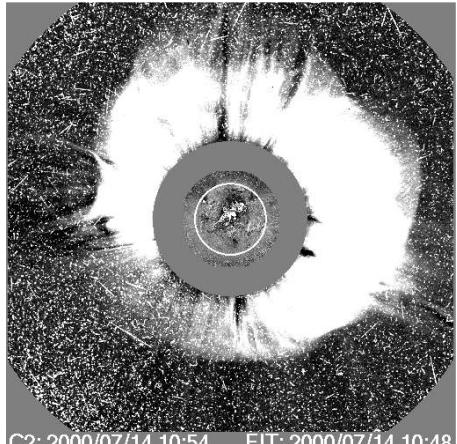
Magnetic reconnection  
or kink instability?

20:04:40 UT

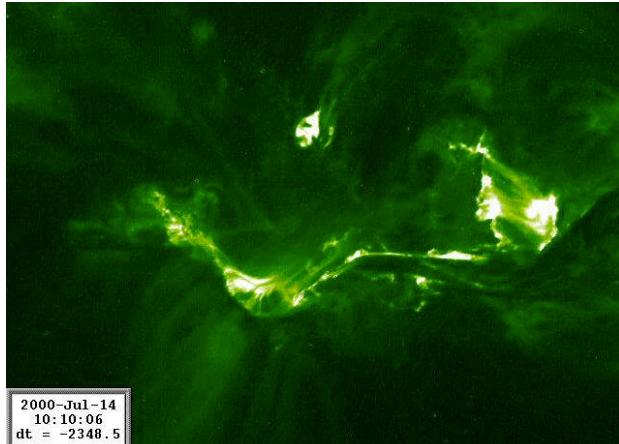


1 possible reconnection model

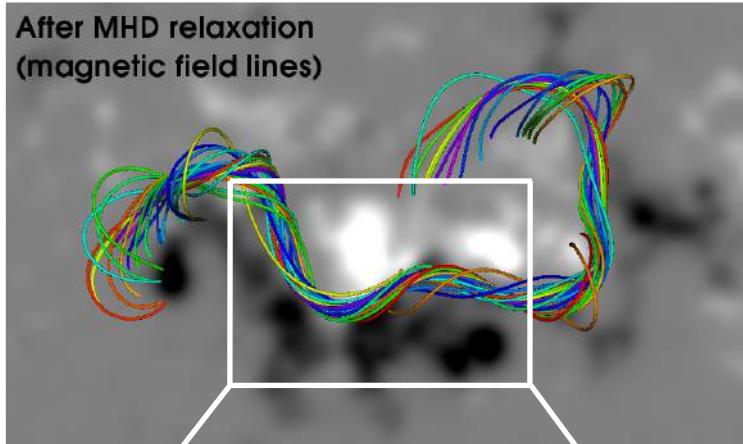
# Thermodynamic MHD simulation of the Bastille Day event



SOHO/LASCO C2

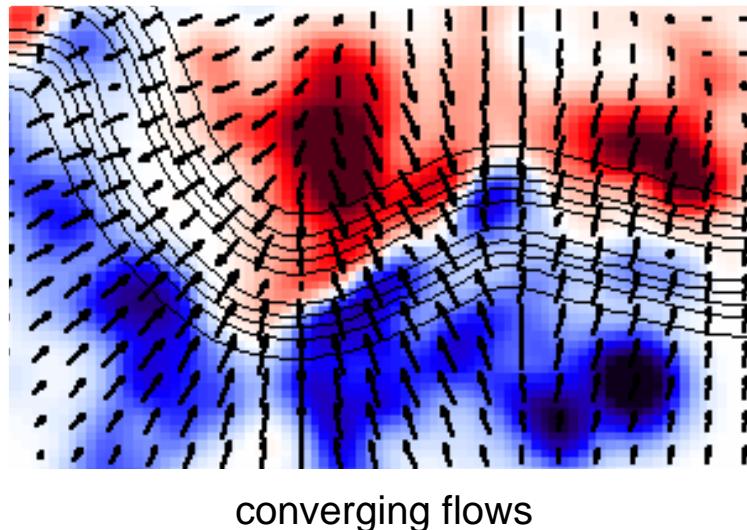


TRACE 195 Å



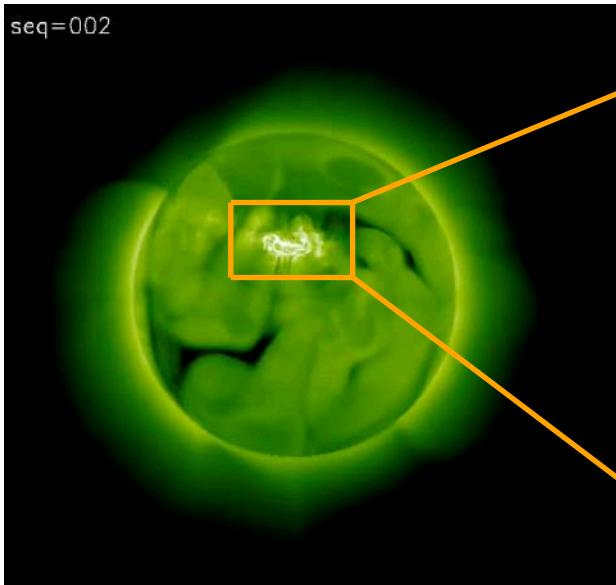
X5.7 flare & geo-effective halo CME on 2000 July 14

- 1.) calculate steady-state corona & solar wind
- 2.) construct stable flux rope in active region
- 3.) trigger eruption by ad-hoc converging flows



# Thermodynamic MHD simulation of the Bastille Day event

seq=002



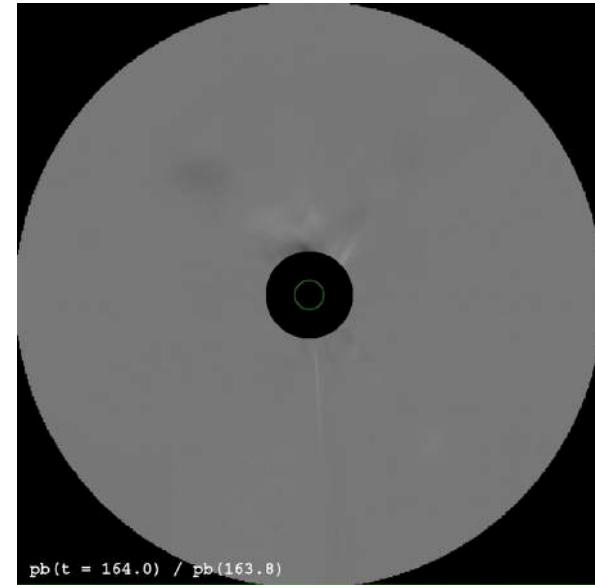
SOHO/EIT 195 Å  
(synthetic emission;  
full-disk view)

seq=002



SOHO/EIT 195 Å  
(active region)

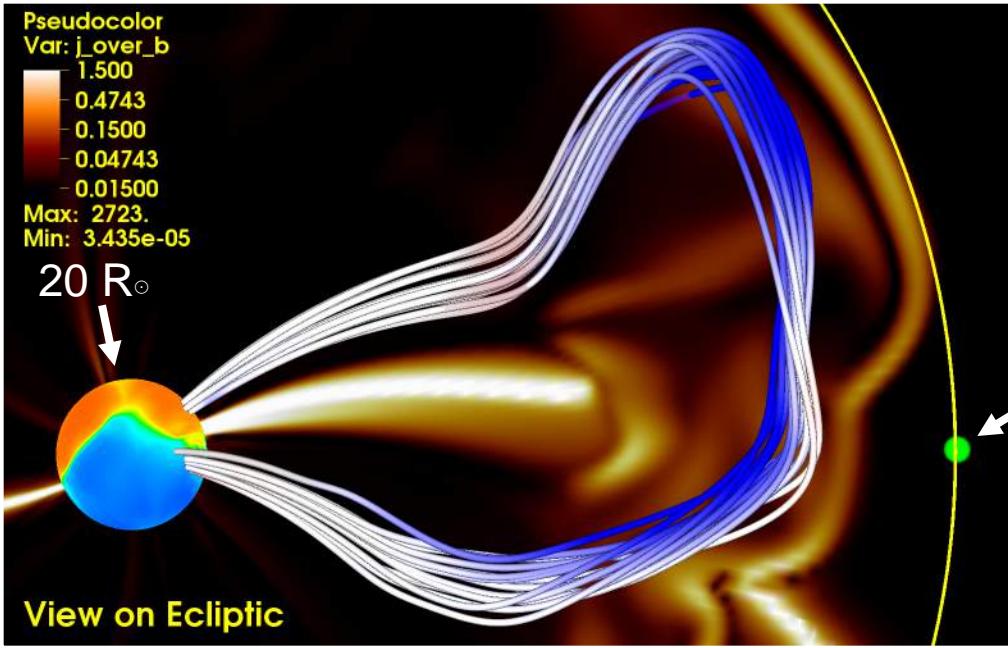
Courtesy of T. Torok, Predictive Sciences Inc.



polarization brightness  
running ratio  
(synthetic emission;  
3-20 solar radii)

- synthetic satellite images allow direct comparison with observations
- flare arcade and halo-CME morphologies qualitatively reproduced
- CME core speed  $\approx 1500$  km/s & kinetic energy  $\approx 4 \times 10^{32}$  ergs
- provides quantities that cannot be observed directly (e.g. 3D magnetic field,  $V_a$ )

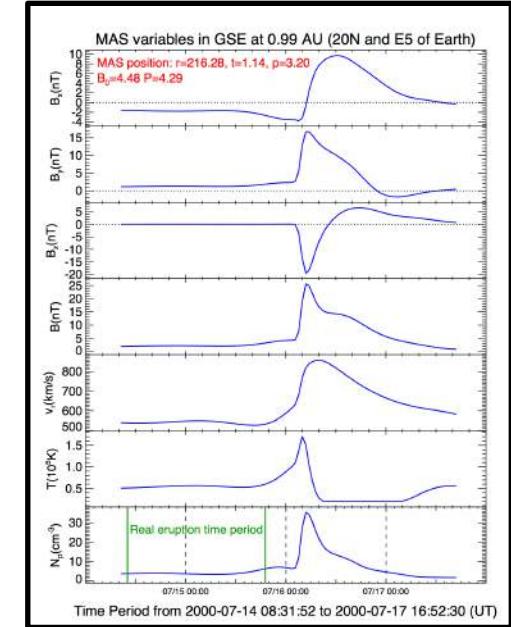
# Heliospheric simulation of the Bastille Day event



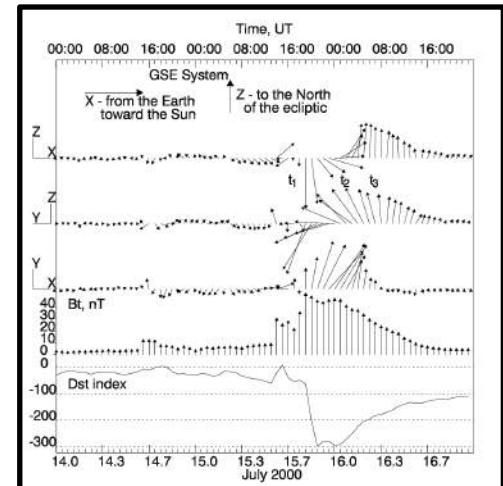
model ICME core & electric currents in ecliptic plane

Courtesy of T. Torok, Predictive Sciences Inc.

- CME propagated out to 1 AU (simpler equations)
- flux rope structure largely preserved, but front distorted
- comparison simulation to 1 AU data (specifically  $B_z$ )  
→ difficult to match quantitatively (flux rope distortion)

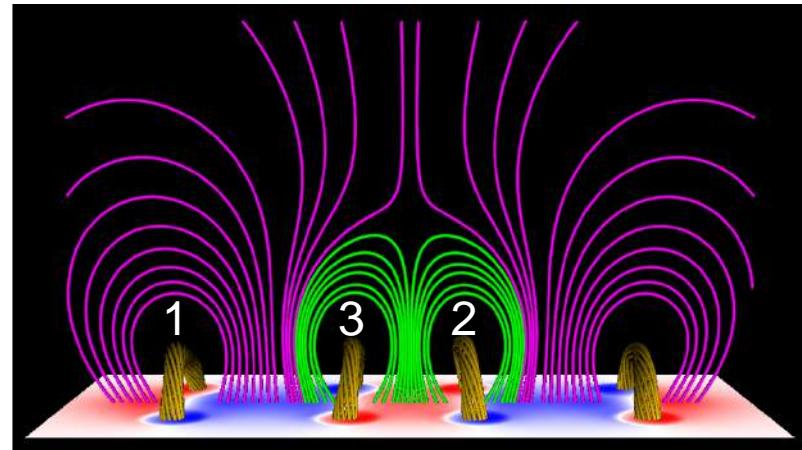
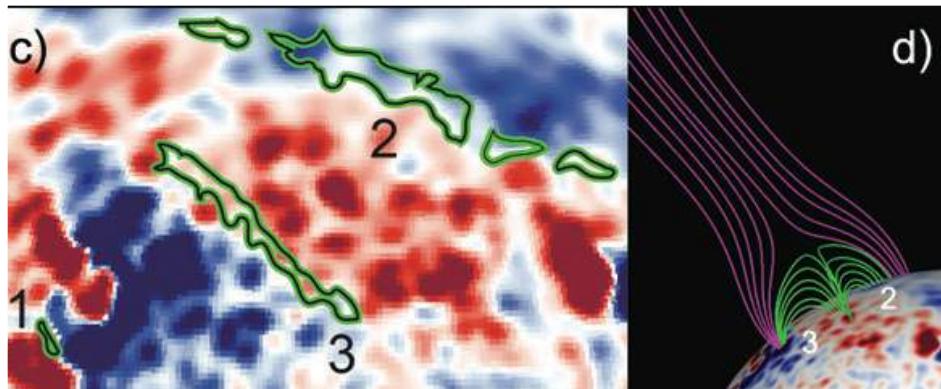


synthetic data at 1 AU



Yurchyshyn et al. (2001)

# Idealized model: setup



Courtesy of T. Torok, Predictive Sciences Inc.

Török et al. (2011)  
(see also Lynch & Edmondson 2013)

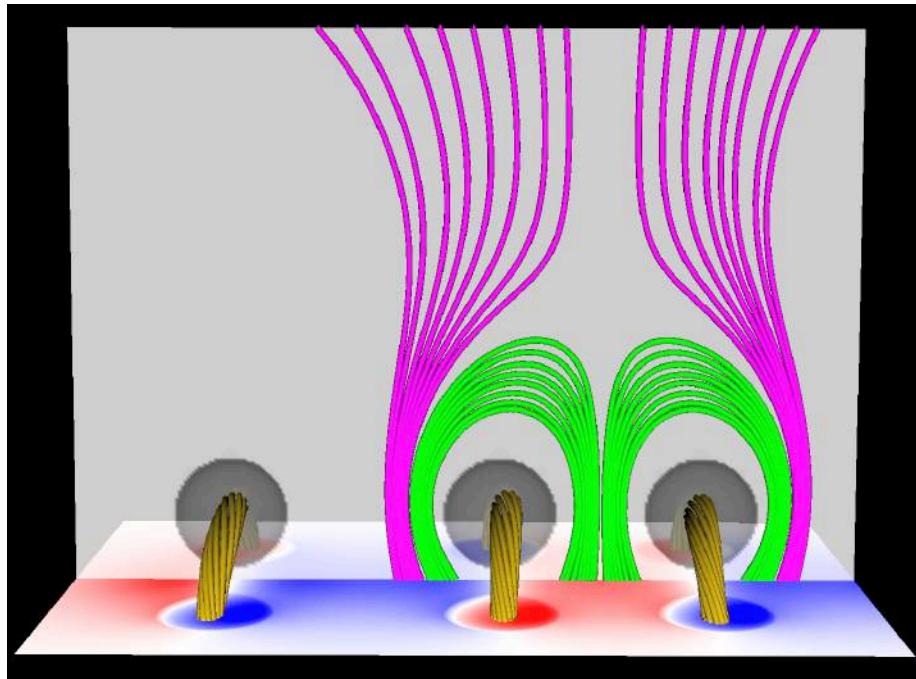
observational constraints:

- filaments approximately aligned, but different in size
- filaments 2 and 3 located in “tri-polar” region within lobes of a pseudostreamer
- order of eruptions different from filament “order” (would expect  $1 \rightarrow 3 \rightarrow 2$ )

model simplifications:

- ignore details of magnetogram (e.g., field strengths & exact flux distribution)
- core field (flux ropes) similar & ambient field symmetric
- ignore size, chirality, and exact alignment of filaments
- zero-beta & ideal MHD equations (reconnection only due to num. diffusion)

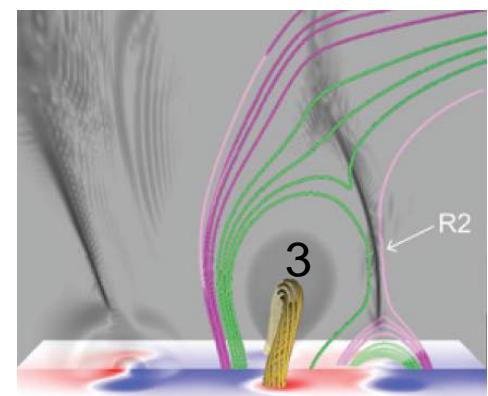
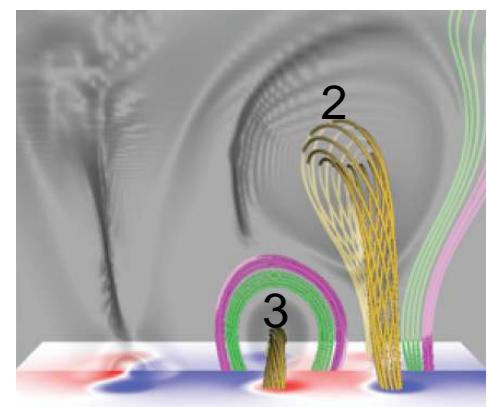
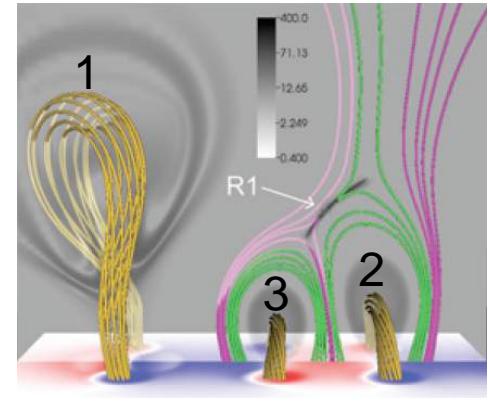
# Idealized model: results



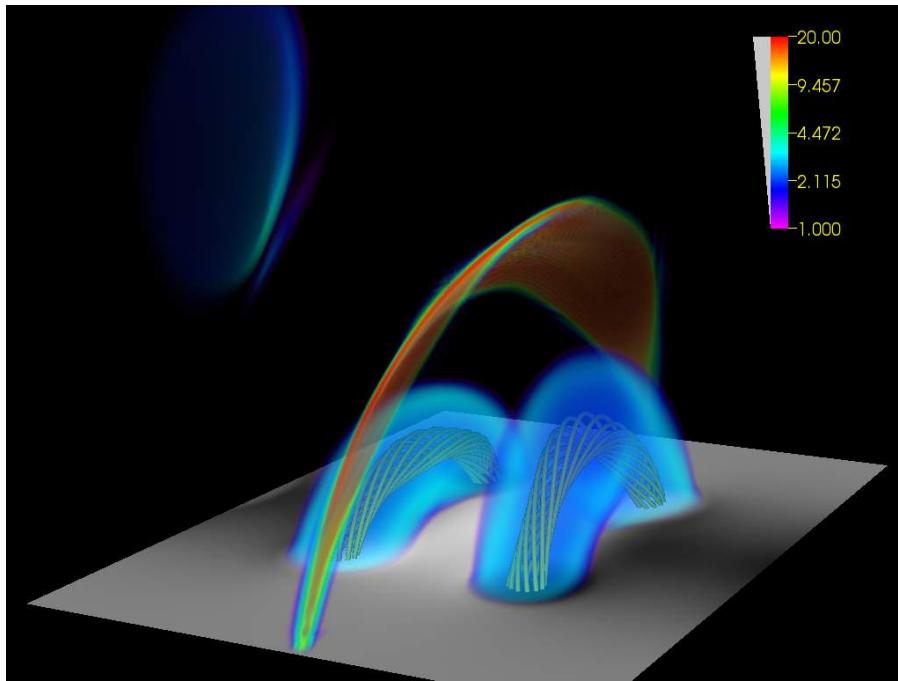
- initiate eruption of flux rope 1 by converging flows (ad-hoc)
- eruption leads to two consecutive reconnection events, each of which triggers a new eruption

R1: “breakout” reconnection at pseudostreamer separator

R2: “flare” reconnection in the wake of erupting FR 2



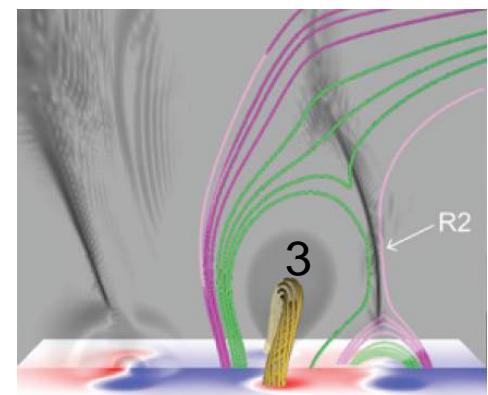
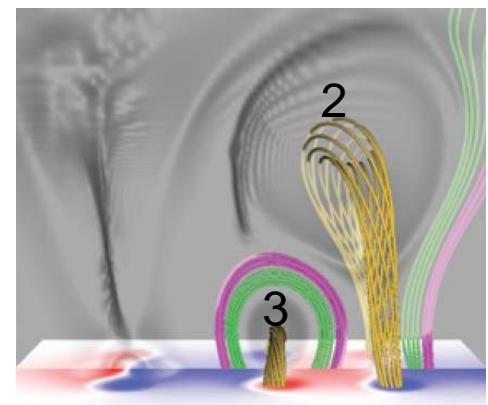
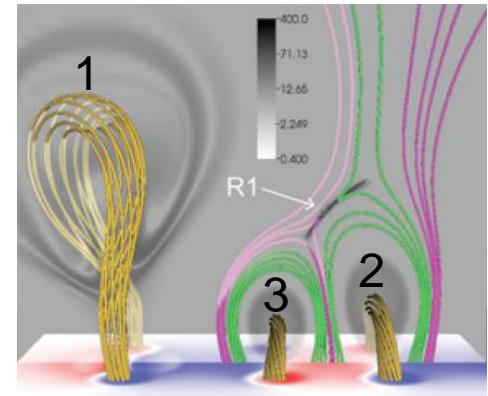
# Idealized model: results



- initiate eruption of flux rope 1 by converging flows (ad-hoc)
- eruption leads to two consecutive reconnection events, each of which triggers a new eruption

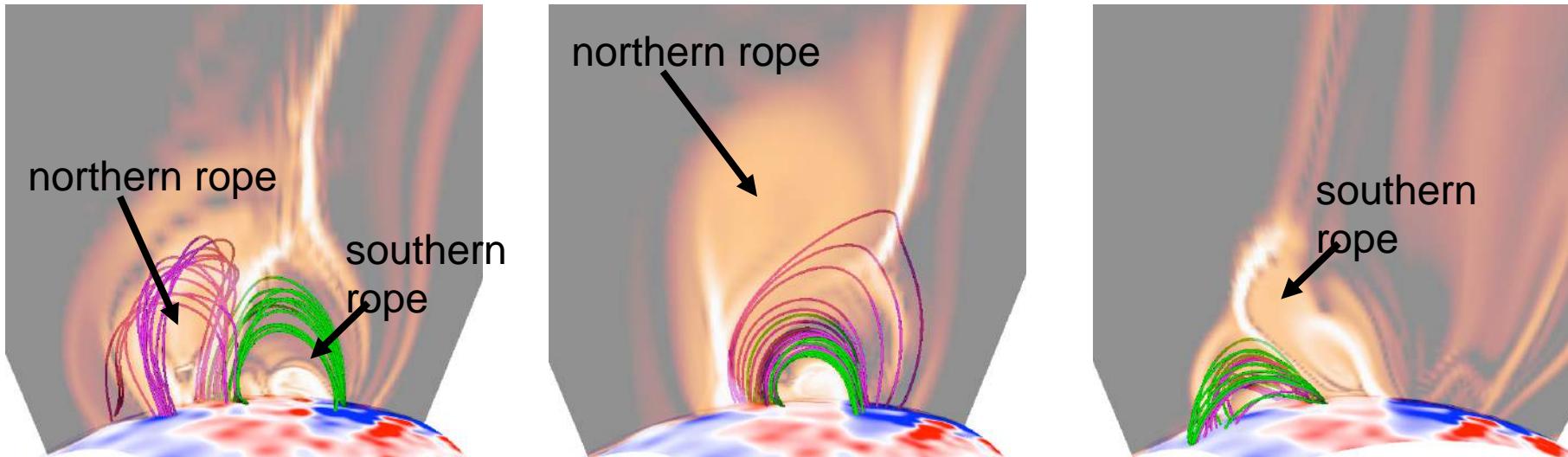
R1: “breakout” reconnection at pseudostreamer separator

R2: “flare” reconnection in the wake of erupting FR 2



# “Realistic” simulations: 2010 August 1-2 (ongoing)

Courtesy of T. Torok, Predictive Sciences Inc.



prior to eruption:  
flux ropes below PS lobes  
(magenta and green)

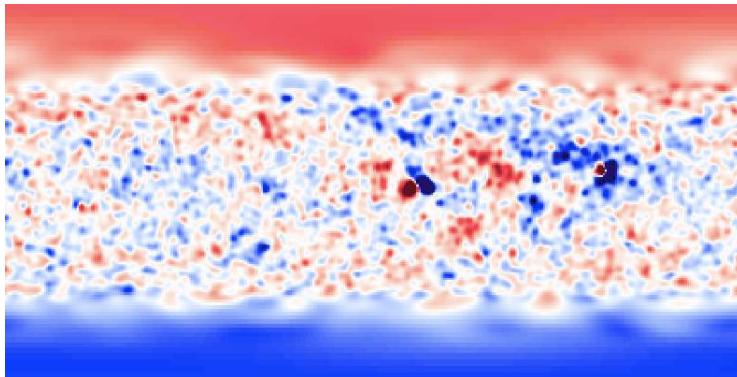
1<sup>st</sup> eruption (northern):  
magenta flux transferred  
to southern rope

2<sup>nd</sup> eruption (southern):  
magenta (and green)  
flux transferred back

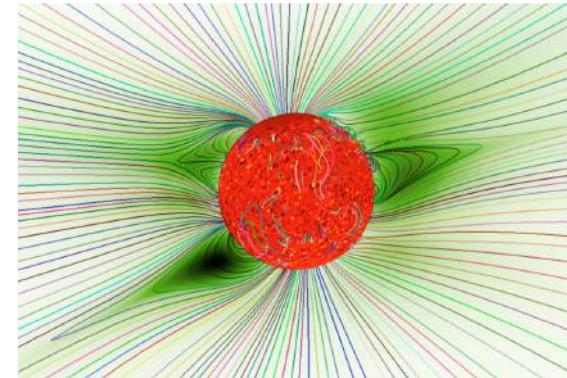
- supports idealized model scenario (realistic, less symmetric magnetic field)
- next steps: include eruption outside PS and run thermodynamic case

# Thermodynamic MHD modeling of the corona

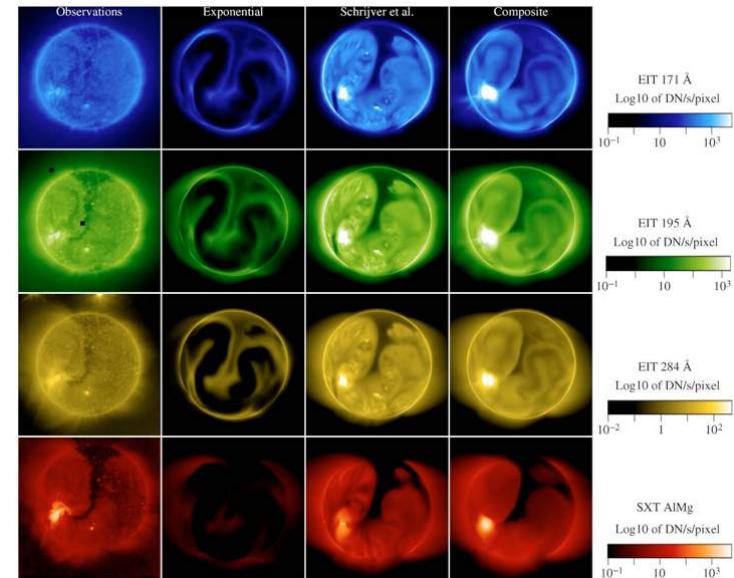
Courtesy of T. Torok, Predictive Sciences Inc.



CR 2071 (June 9 - July 6, 2008)



- potential field from (filtered) synoptic map
- MHD relaxation to steady-state including solar wind
- advanced energy equation:
  - parallel thermal conduction
  - radiative losses
  - coronal heating (empirical)

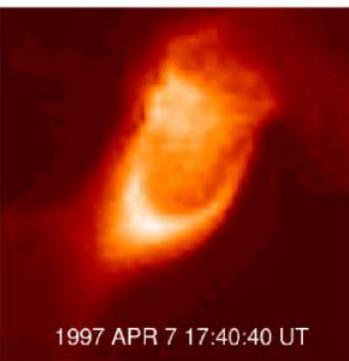
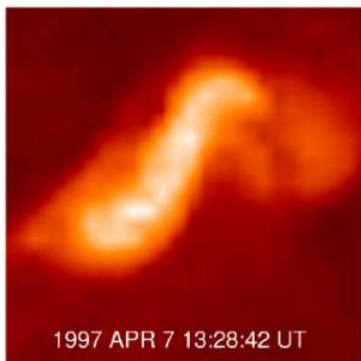


Lionello et al. (2009)

→ realistic coronal density & temperature

## CMEs and Sigmoid Features

# Forecasting in the Solar Case: CME's



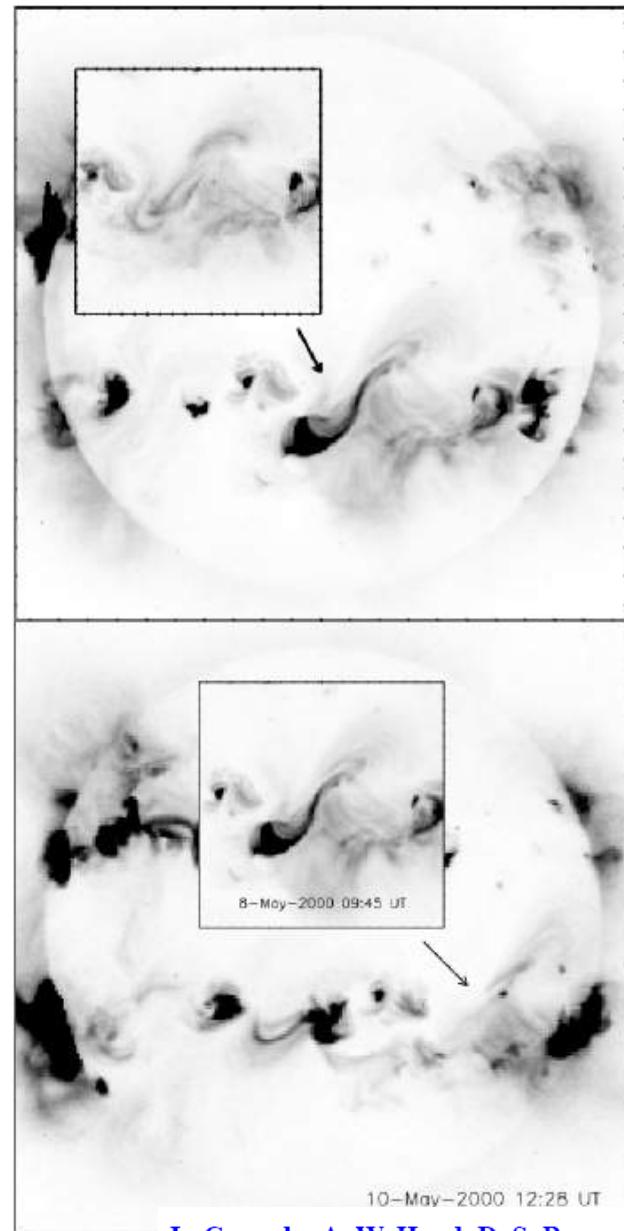
1. Sigmoid structures are often seen in Soft X-Rays (SXRs) prior to the onset of CMEs.
2. They are more apparent in SXT (SXR) than EIT (EUV) images (hotter features).
3. Regions sigmoid prior to the eruption evolve into un-sheared arcades or cusp after the eruption.
4. The position of the footpoints changes after the eruption.
5. Dimming regions associated with the sigmoid-feature eruptions are seen in and the associated mass is an order of magnitude (or more) less than of a typical CME.

## Key Questions

1. Not all front-side CMEs are associated with sigmoids or other SXR event.
2. It is still not possible to know if a sigmoid is going to produce a CME or not. Or when it is going to erupt.
3. Another outstanding question is whether the sigmoid regions are sources for the entire CME, or only for one portion of the structure.

## The Process

1. The magnetic field stores energy via helicity, producing S-shaped loops called a *sigmoid*.
2. At some point, this sigmoid becomes unstable and erupts. Losing some of its complexity or even disappearing completely.



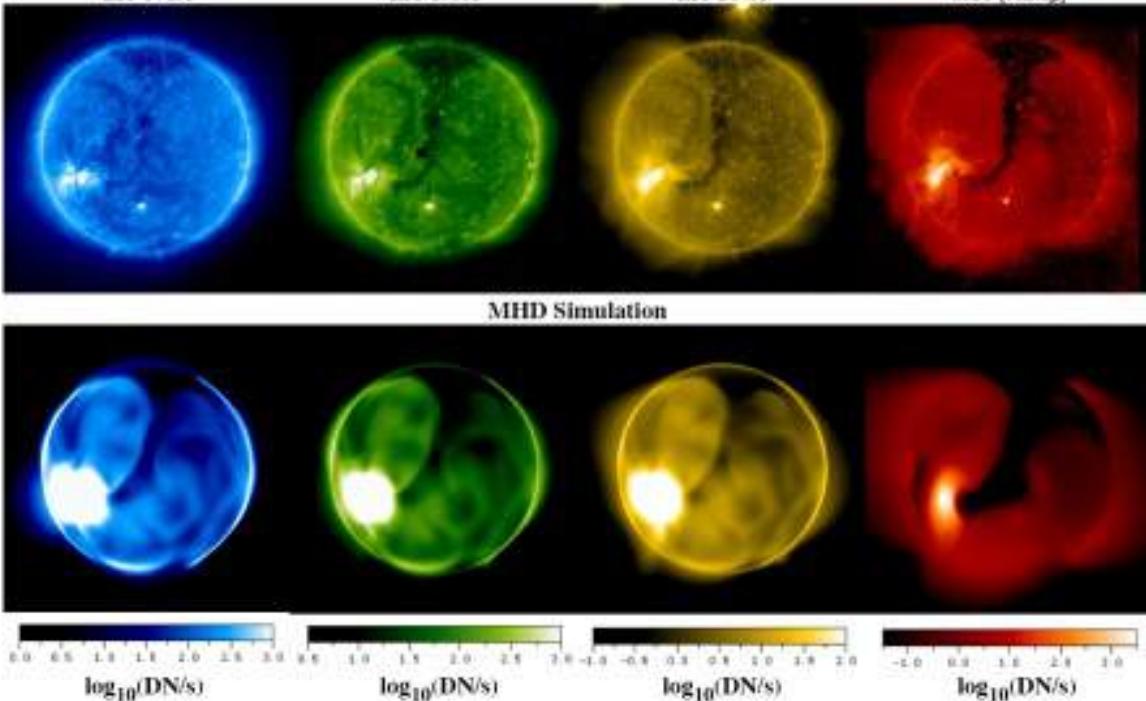
L. Carcedo, A. W. Hood, D. S. Brown

# Forecasting in the Solar Case: Coronal Holes

## Quantitative Comparison Between Observed and Computed Coronal Emission

SOHO/EIT and Yohkoh/SXT Observations on August 27, 1996

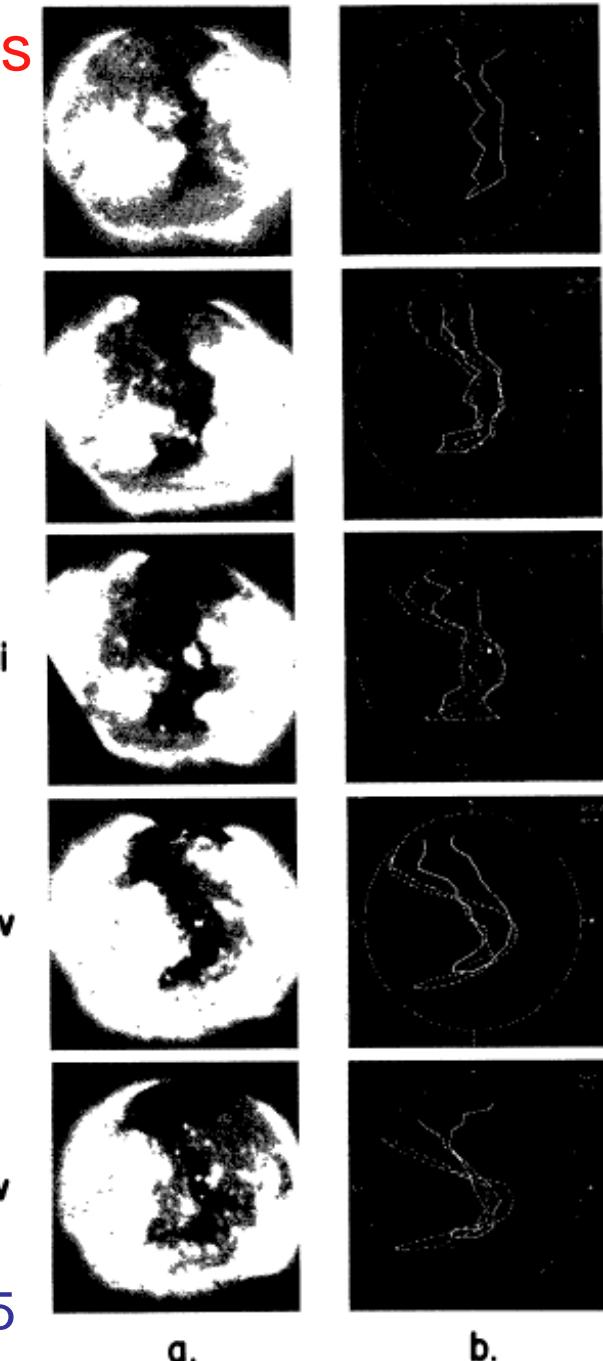
EIT 171Å      EIT 195Å      EIT 284Å      SXT [AlMg]



Mikic et al. 2006 (Whole Month Sun 3)

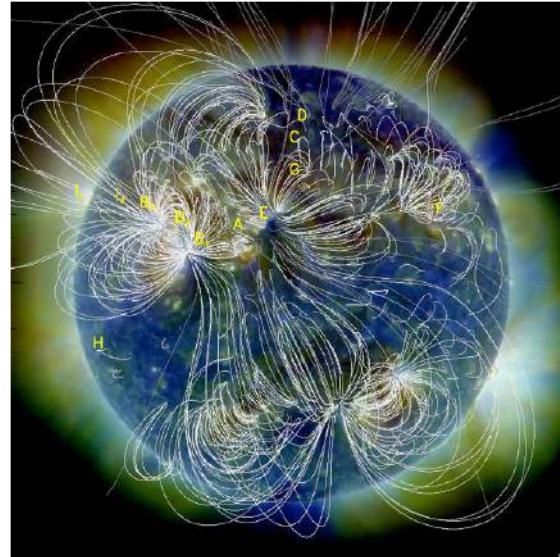
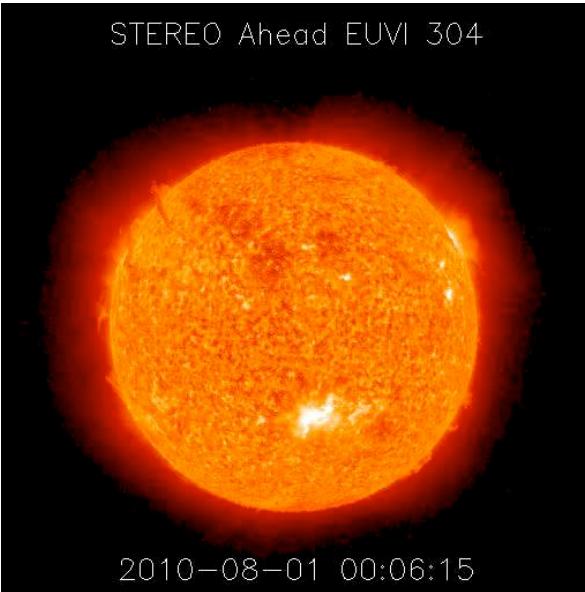
Fig. 9. Comparison of the position of CH1 as seen (a) in soft X-ray wavelengths 3–32 Å and 44–54 Å and (b) its extrapolated position calculated using the Newton and Nunn (1951) differential sunspot rotation rates. Images are shown in five successive rotations for: (i) June 1, 1973; (ii) June 28, 1973; (iii) July 25, 1973; (iv) August 21, 1973; and (v) September 28, 1973. The solid line on each schematic represents the outline of the hole as measured on that rotation, the dotted line shows the extrapolated position of the hole measured on the first rotation and rotated through the appropriate time interval.

Timothy et al. 1975



# Well-studied example: 2010 August 1-2

STEREO Ahead EUVI 304

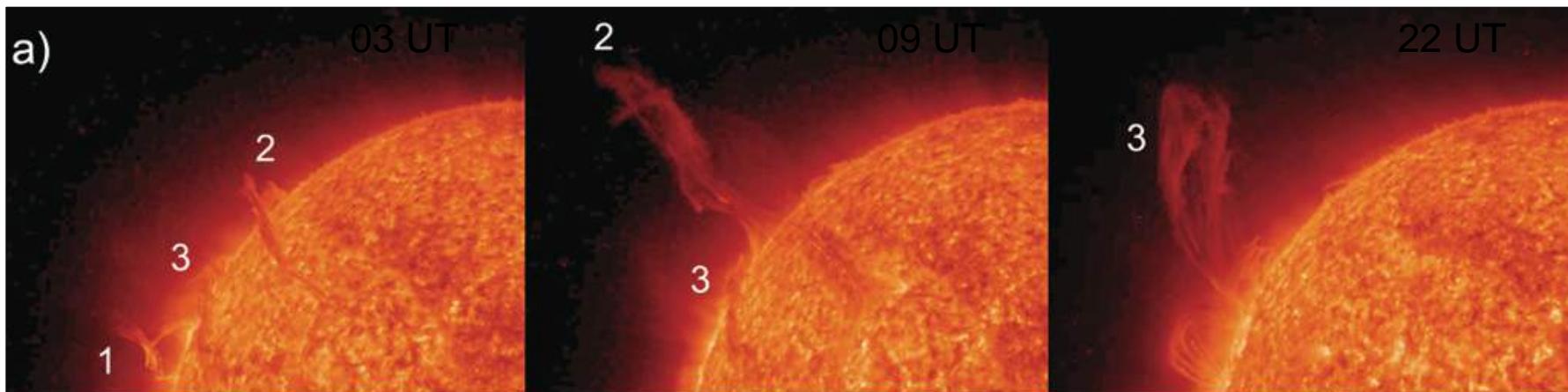


SDO/AIA composite + PFSS

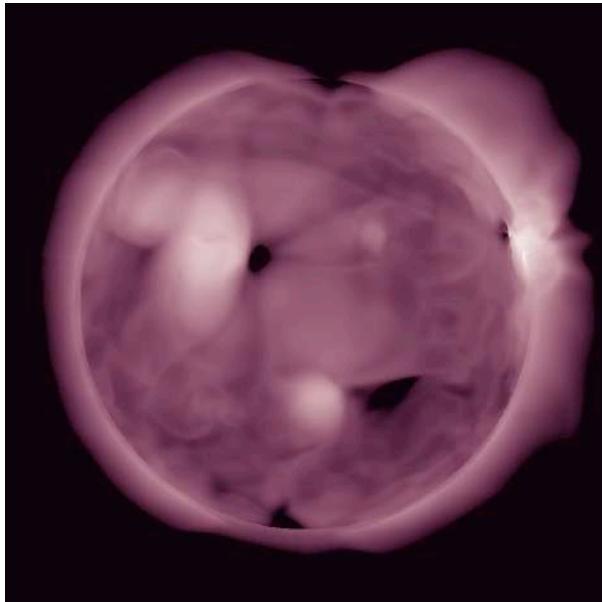
Schrijver & Title (2011)

*Titov et al. (2012)*

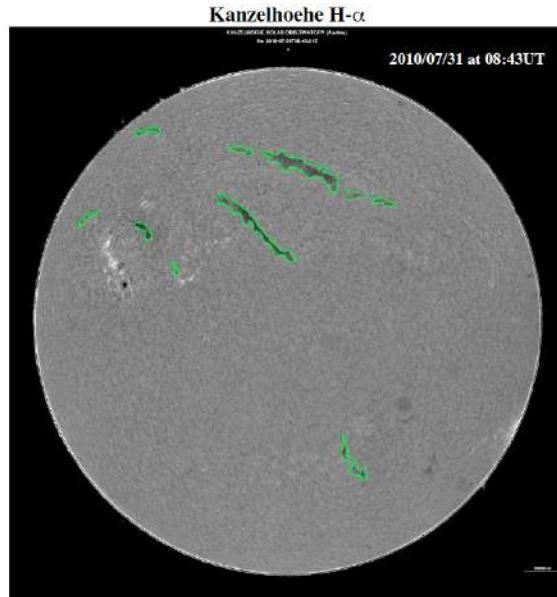
Courtesy of T. Torok, Predictive Sciences Inc.



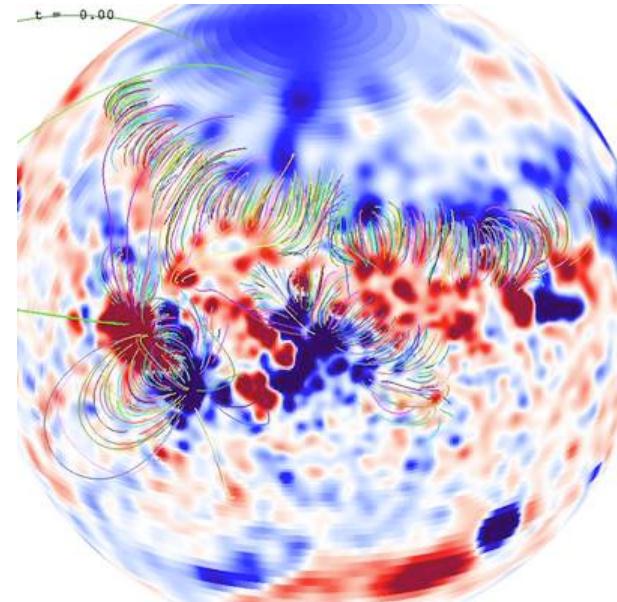
# “Realistic” simulations: 2010 August 1-2 (ongoing)



SDO/AIA 211 Å  
(simulated emission)



H<sub>α</sub> filaments



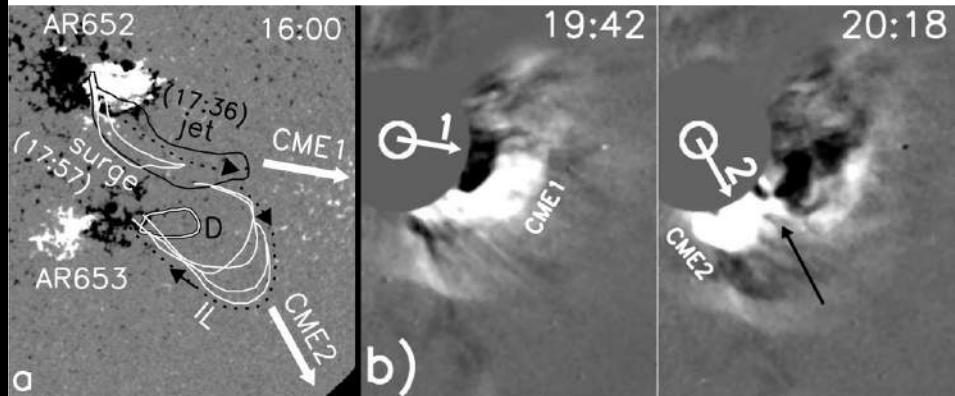
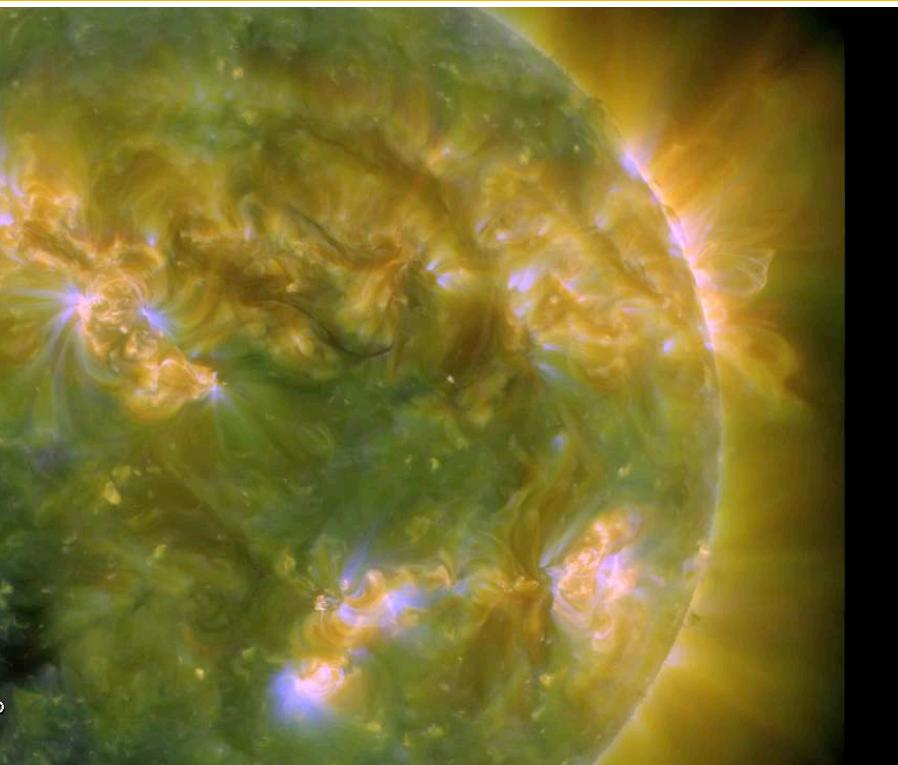
Flux rope eruptions  
(so far zero-beta)

Courtesy of Zoran Mikić (PSI)

Courtesy of T. Torok, Predictive Sciences Inc.

- produce thermodynamic MHD solution of corona based on magnetograms
- construct stable flux ropes in regions involved in sequence (complicated!)
- northern flux-rope eruption initiated ad-hoc (via flux cancellation)
- southern flux-rope eruption triggered, but a bit too wimpy so far

# Are (some) solar eruptions coupled (“sympathetic”) ?



Jiang et al. (2008)

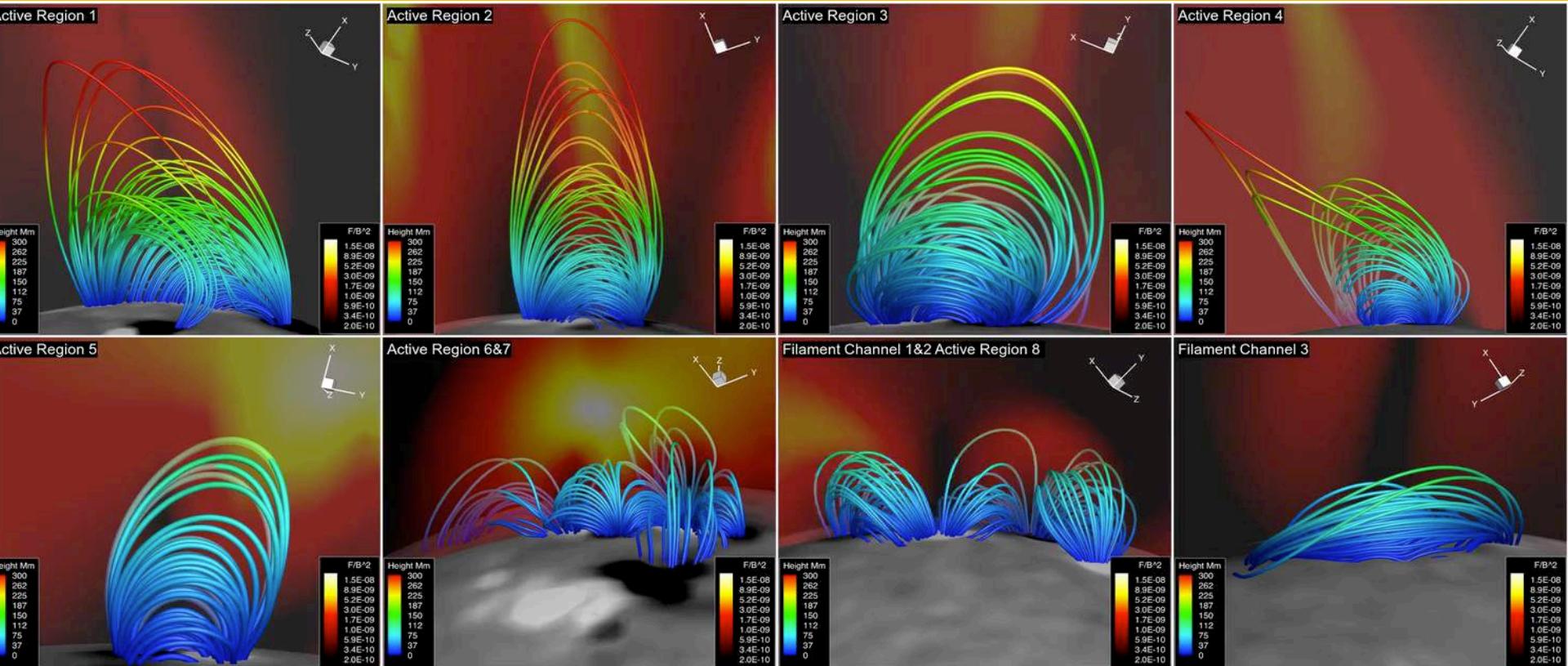
Courtesy of T. Torok, Predictive Sciences Inc.

AIA observations on 25 December 2011

(courtesy of C. Schrijver)

- sympathetic eruptions: near-simultaneous events from different source regions
- statistical studies indicate that such eruptions are sometimes causally linked (Wheatland, Moon, et al.)
- various linking mechanisms were suggested (waves, magnetic reconnection, surges, sub-surface connection...), but no models were developed

# “Realistic” simulations: 2011 February 15 (ongoing)

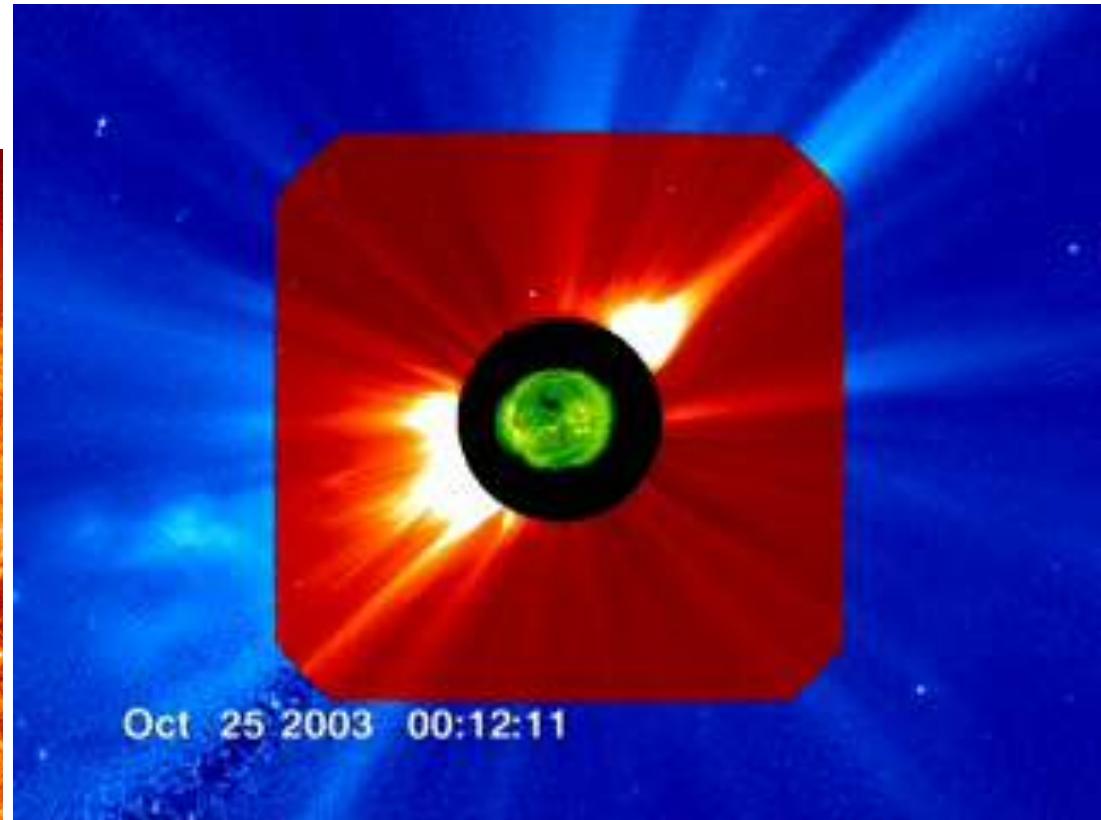


Courtesy of Meng Jin (LMSAL)

Courtesy of T. Torok, Predictive Sciences Inc.

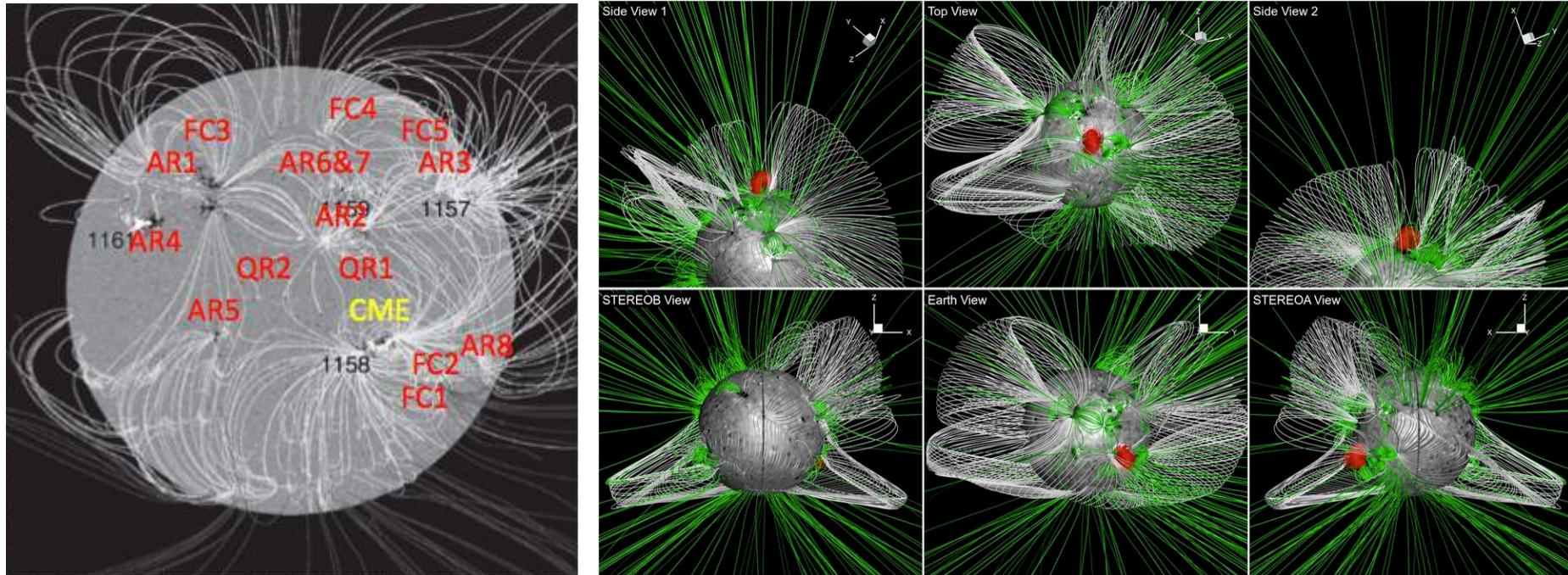
- study impact of CME on those close and remote areas (no flux ropes inserted yet)
- quantify impact using various parameters (decay index, distance, field strength, etc.)
- try to deduce empirical “impact formula” (potential forecast ability)

# Éjections Solaires (CME's)



SoHO-EIT & Lasco

# “Realistic” simulations: 2011 February 15 (ongoing)



Courtesy of Meng Jin (LMSAL)

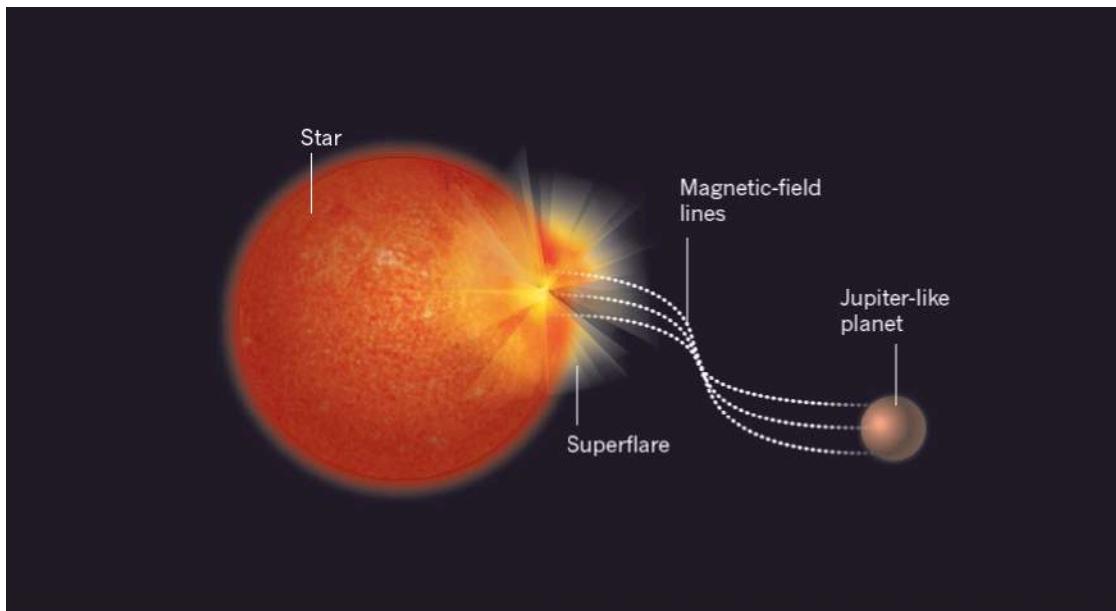
- produce thermodynamic MHD solution of corona based on magnetograms
- model eruption in AR 11158 (out-of-equilibrium Gibson-Low flux rope)
- identify coronal regions that are directly or only indirectly affected by CME

# Une superflare peut elle partir du Soleil actuel?

Réponse immédiate:

A priori non, car le Soleil est une étoile dans la force de l'âge en rotation faible.

Mais Schaefer et al. (2000) ont découvert 9 superflares dans des jumeaux solaires tournant lentement!

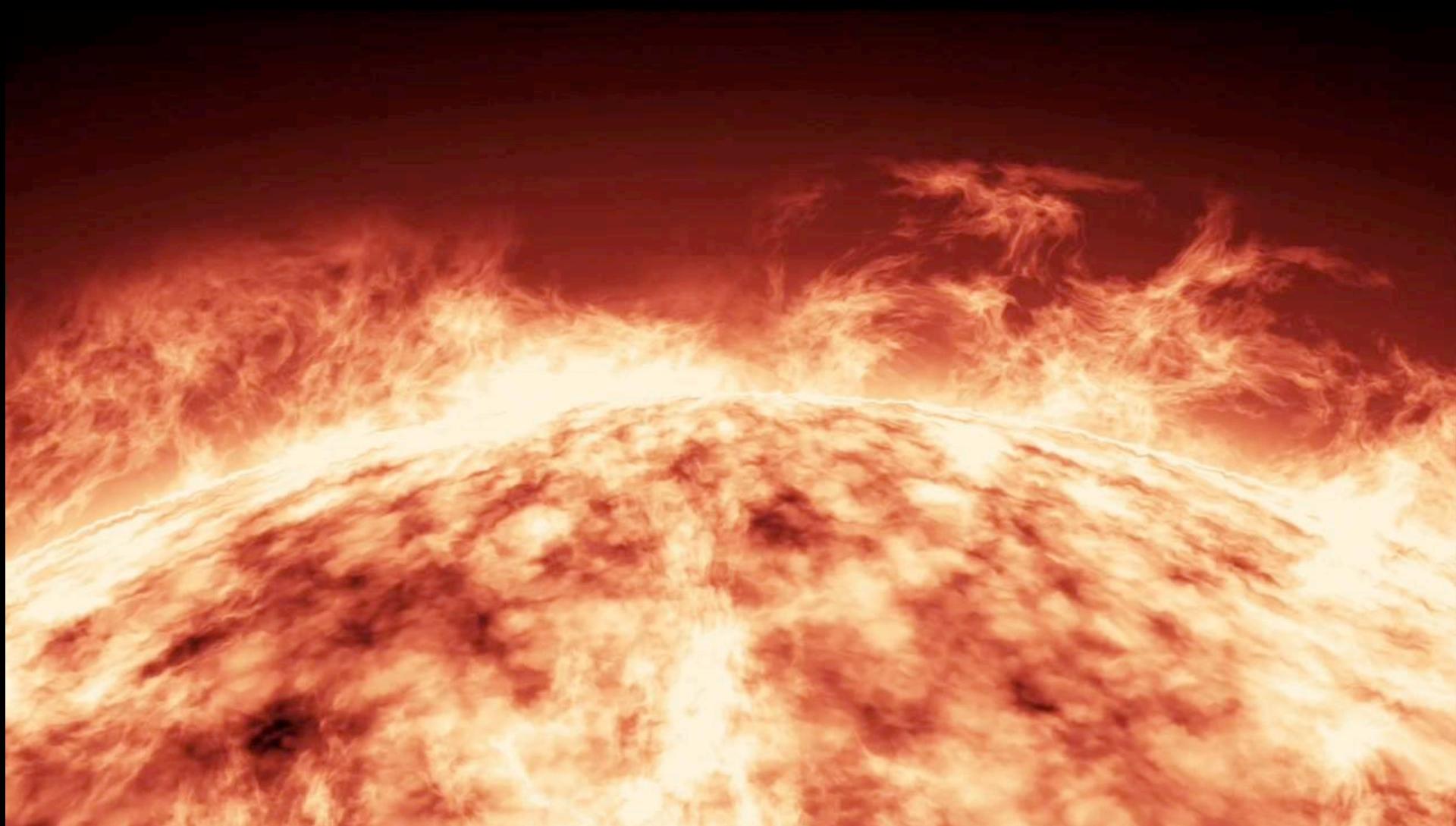


**Figure 1 | Magnetic connection.** One idea to explain the superflares observed by Maehara *et al.*<sup>2</sup> invokes the presence of intense magnetic fields that connect the star with a Jupiter-like planet in very close orbit around the star. The magnetic-field lines will become twisted and amplified by the orbital motion of the planet, and at some time the lines will be strained and twisted to the point of breaking. The broken lines will accelerate particles to very high energy and release this energy in an explosive event, similar to what happens in ordinary solar flares seen on the Sun.

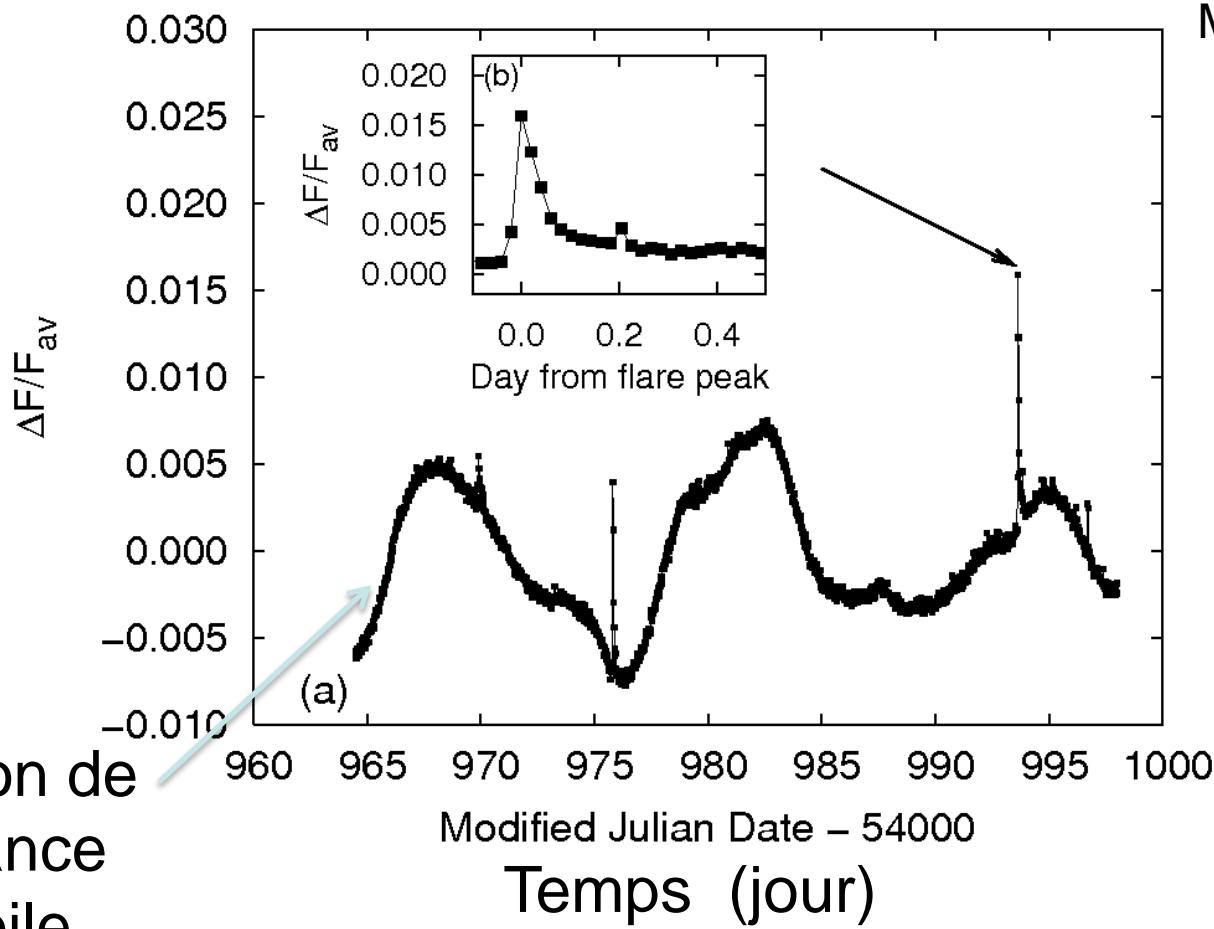
Ils invoquent la présence de Jupiter Chauds

Est ce toujours nécessaire?

# Exo-flares

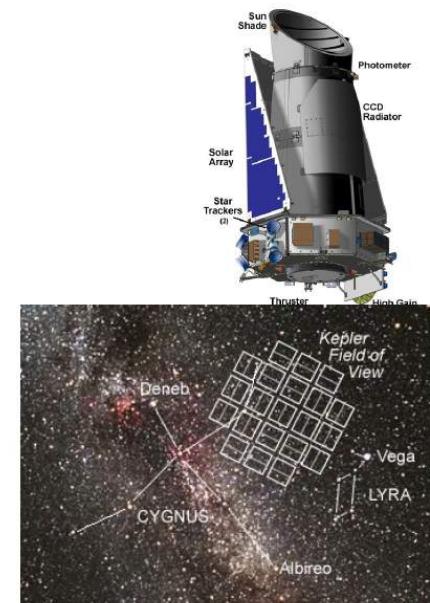


# Une superflare observée par le satellite *Kepler*



Maehara et al. (2012)

Energie totale  
~  $10^{35}$  erg



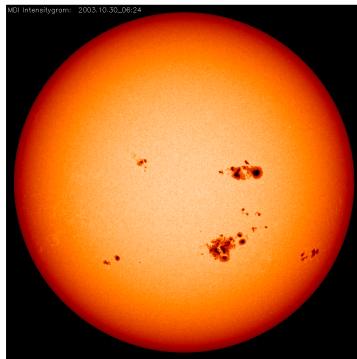
Slide: adapté de Shibata et al. 2012, IAU GA XXVIII

# Observations d'une éruption stellaire avec Kepler

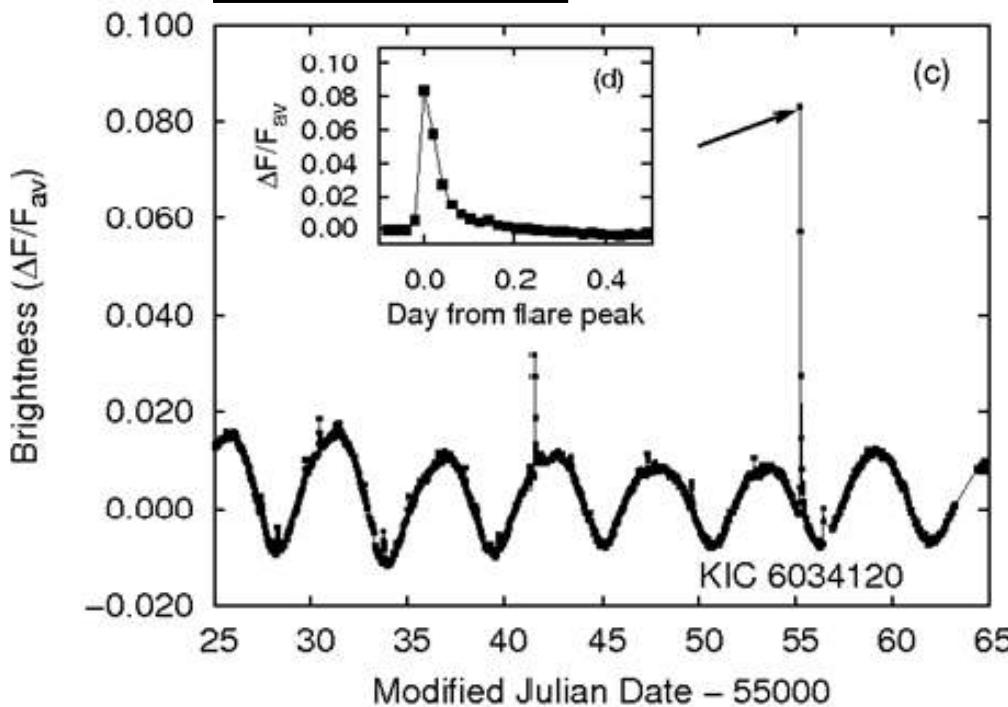
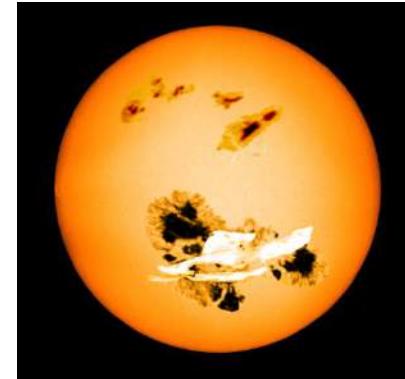
Brillance  
d'une étoile  
et d'une  
éruption

Slide: adapté de  
Shibata et al. 2012,  
IAU GA XXVIII

Soleil actif



Étoile super  
active  
(vue d'artiste)



Énergie totale  
 $\sim 10^{36}$  erg

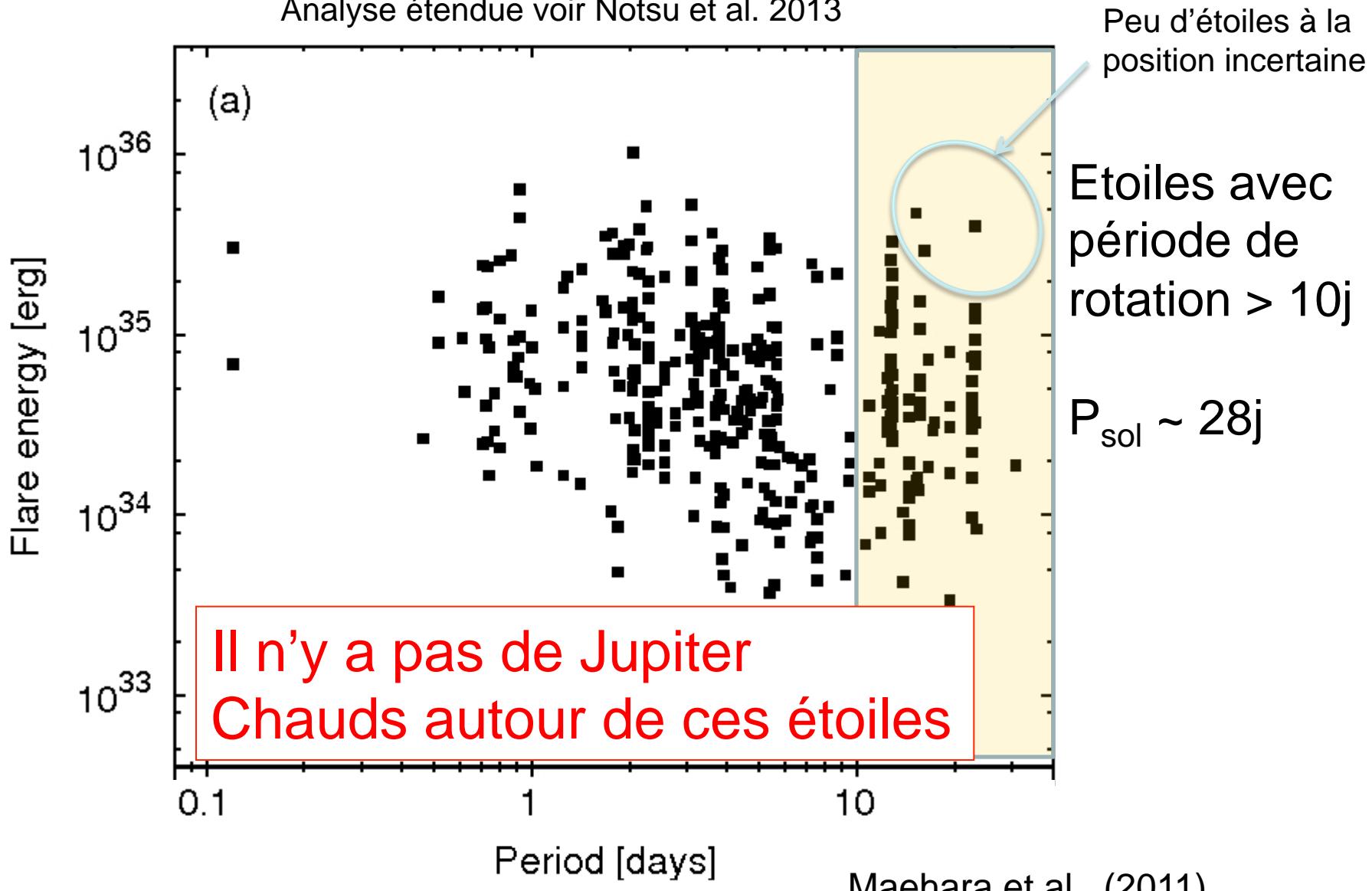
Maehara et al. (2012)

Origine de la variation de luminosité? La présence d'un gros complexe actif (tache stellaire) en rotation

# Energie des éruption vs rotation

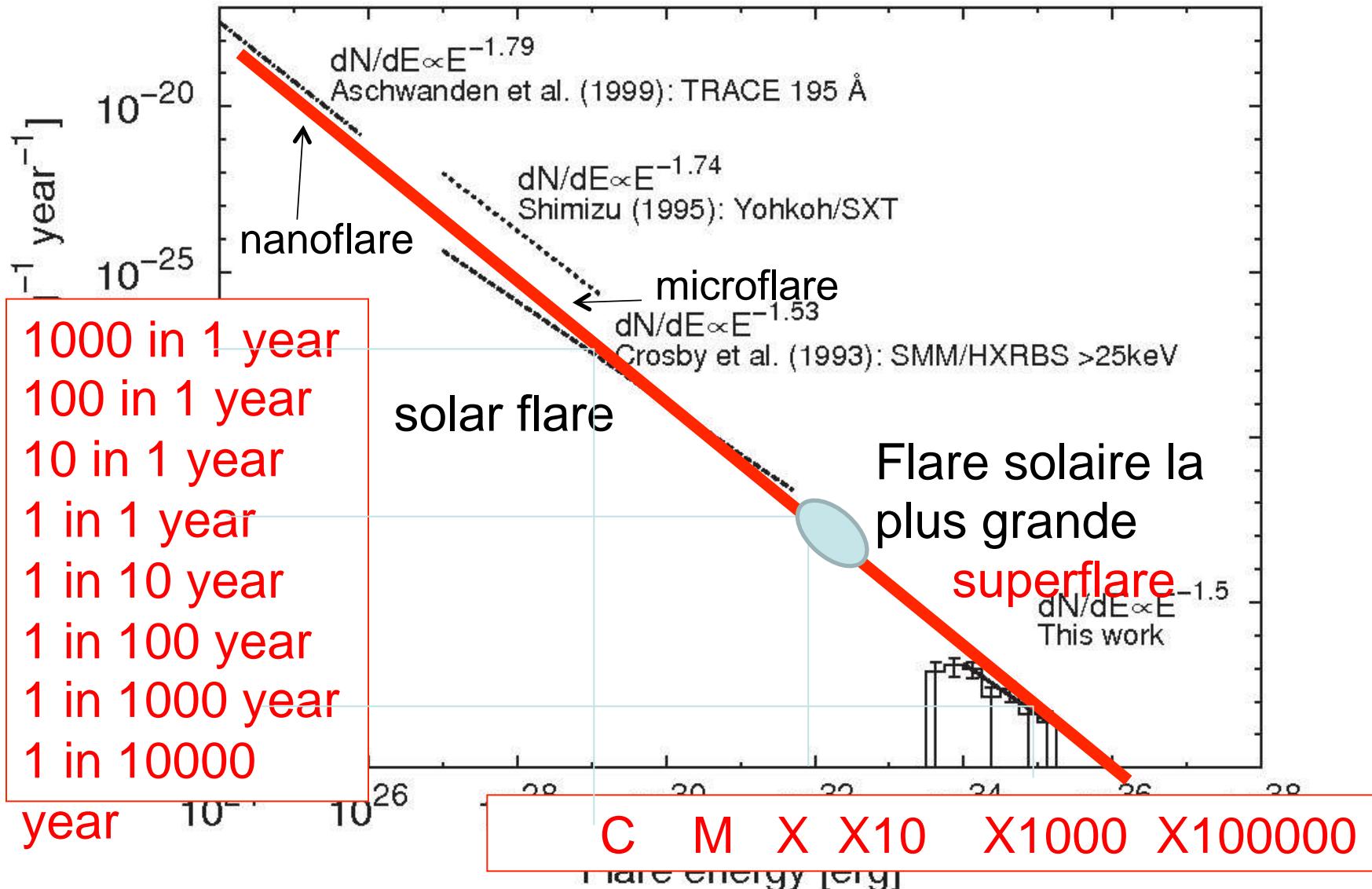
Slide: adapté de Shibata et al. 2012, IAU GA XXVIII

Analyse étendue voir Notsu et al. 2013



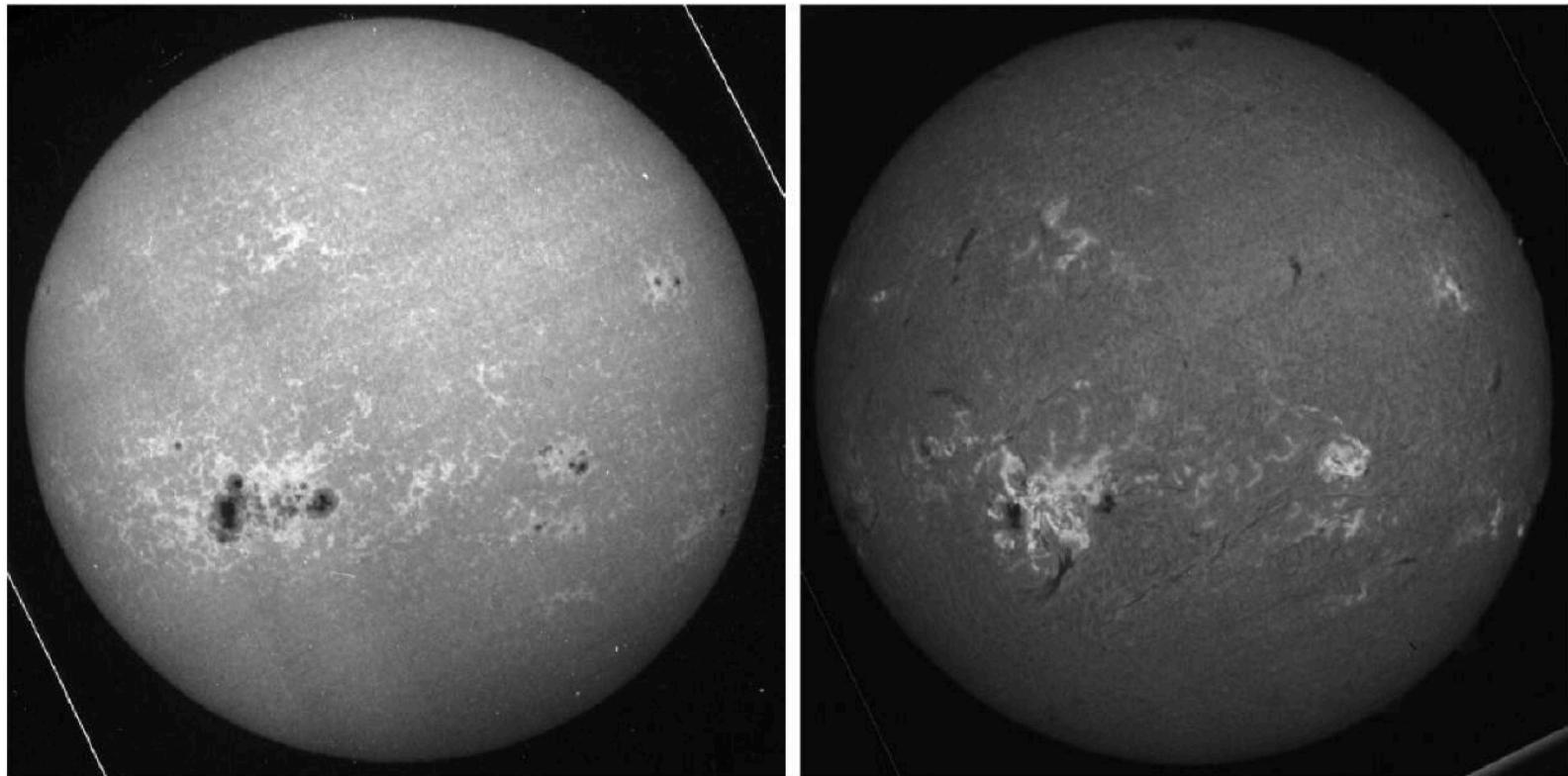
# Comparaison des éruptions vs loi d'échelles

Slide: adapté de Shibata et al. 2012, IAU GA XXVIII



# Tache solaire la plus grosse

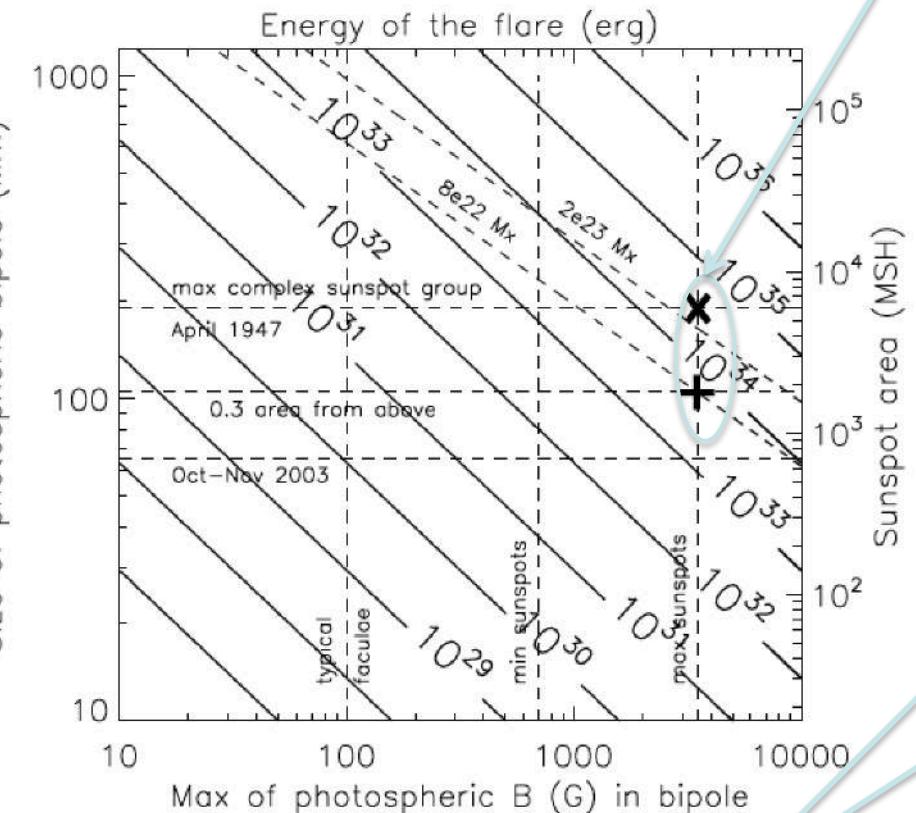
G. Aulanier et al.: The standard flare model in three dimensions. II.



**Fig. 3.** The largest sunspot group ever reported since the end of the nineteenth century, as observed in April 5, 1947 in Ca II K1v (left) and H $\alpha$  (right) by the Meudon spectroheliograph.

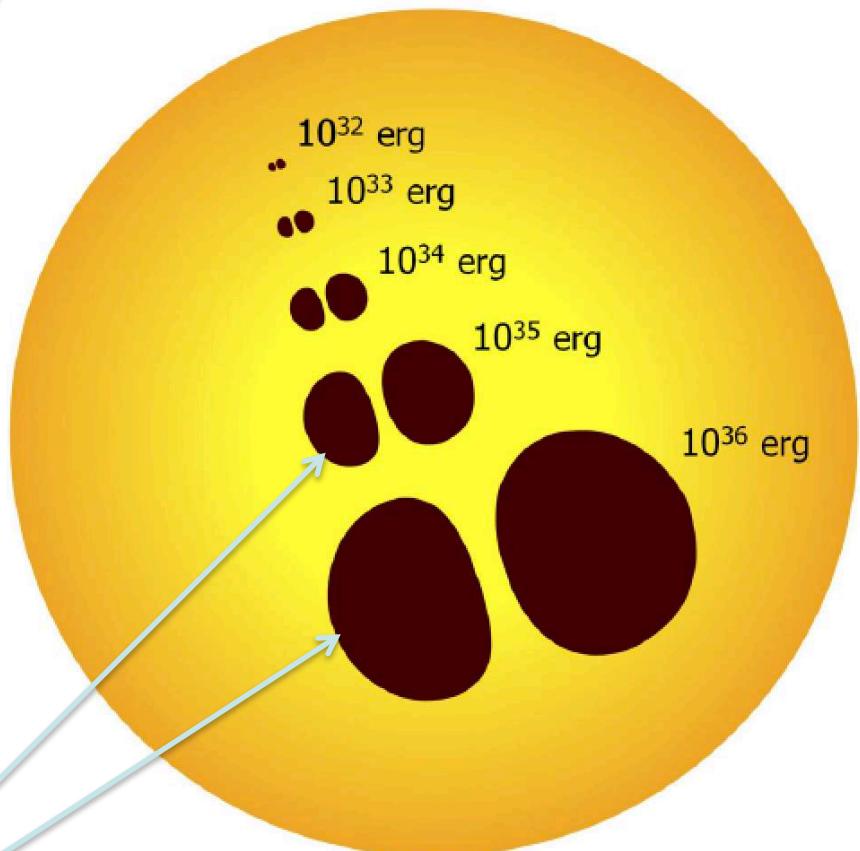
# Etude critique du travail Maehara et al. 2012

Aulanier et al. 2013 (A&A)



La taille de ces taches  
est (trop?) énorme

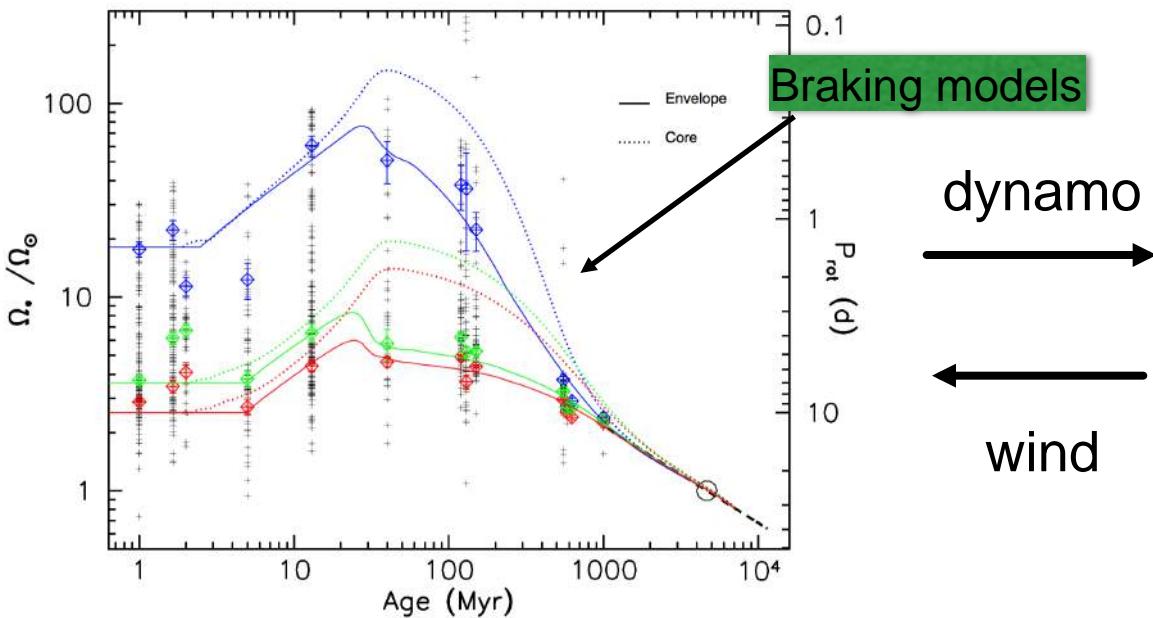
Valeur max qqle  $10^{34}$  erg  
avec tache de 1947



. Schematic representation of several modeled sunspot pairs on the solar disk, with their corresponding modeled flare energies. Note that our estimations state that in the real Sun, a given pair will often be embedded in a much larger sunspot group, from which only the bipole that is shown here will be involved in the flare.

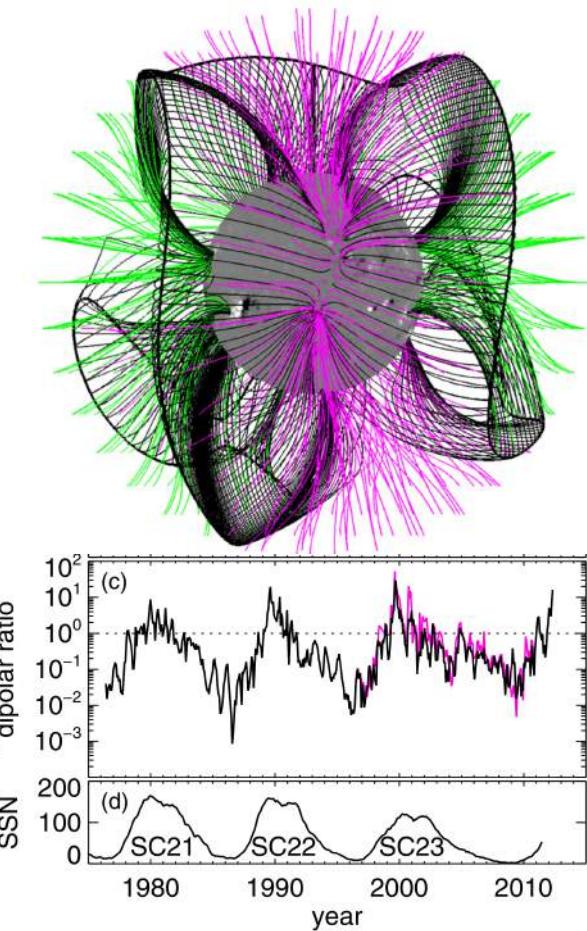
# Winds and stellar evolution gyrochronology

Rotation Models  
Gallet & Bouvier 2013

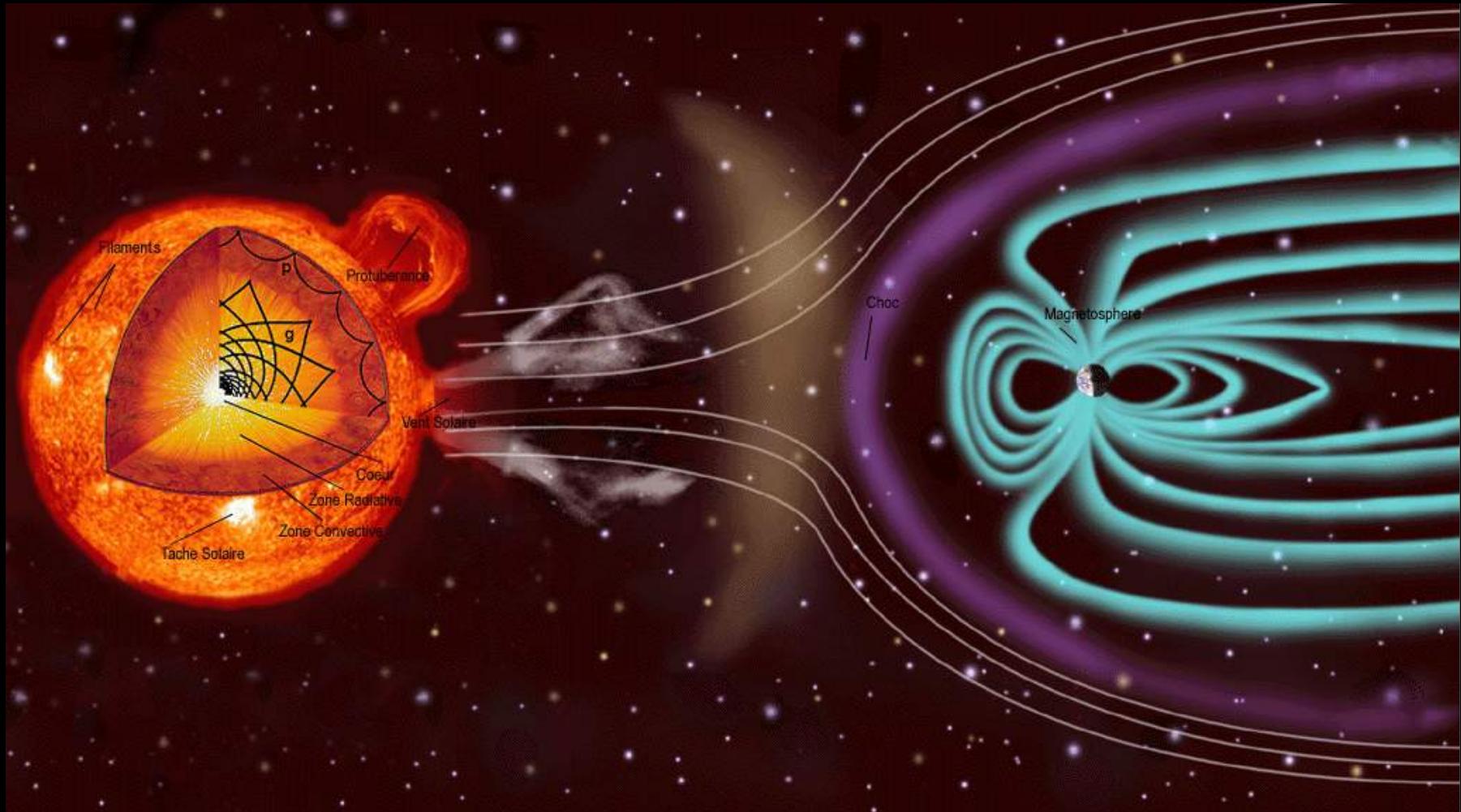


$$\text{Skumanich's law: } \Omega_* \propto t^{-1/2}$$

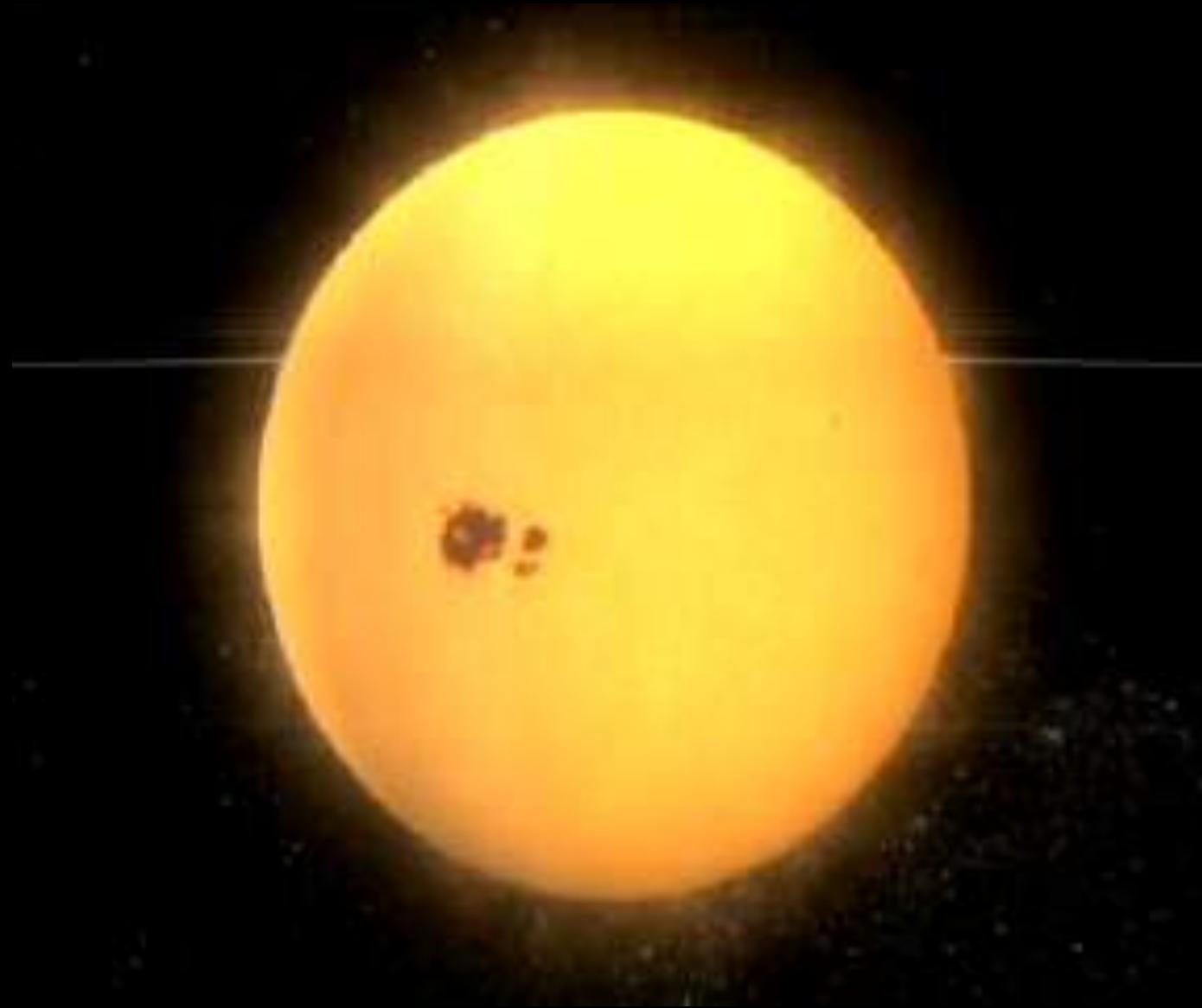
Magnetic Activity  
De Rosa, Brun, Hoeksema 2012



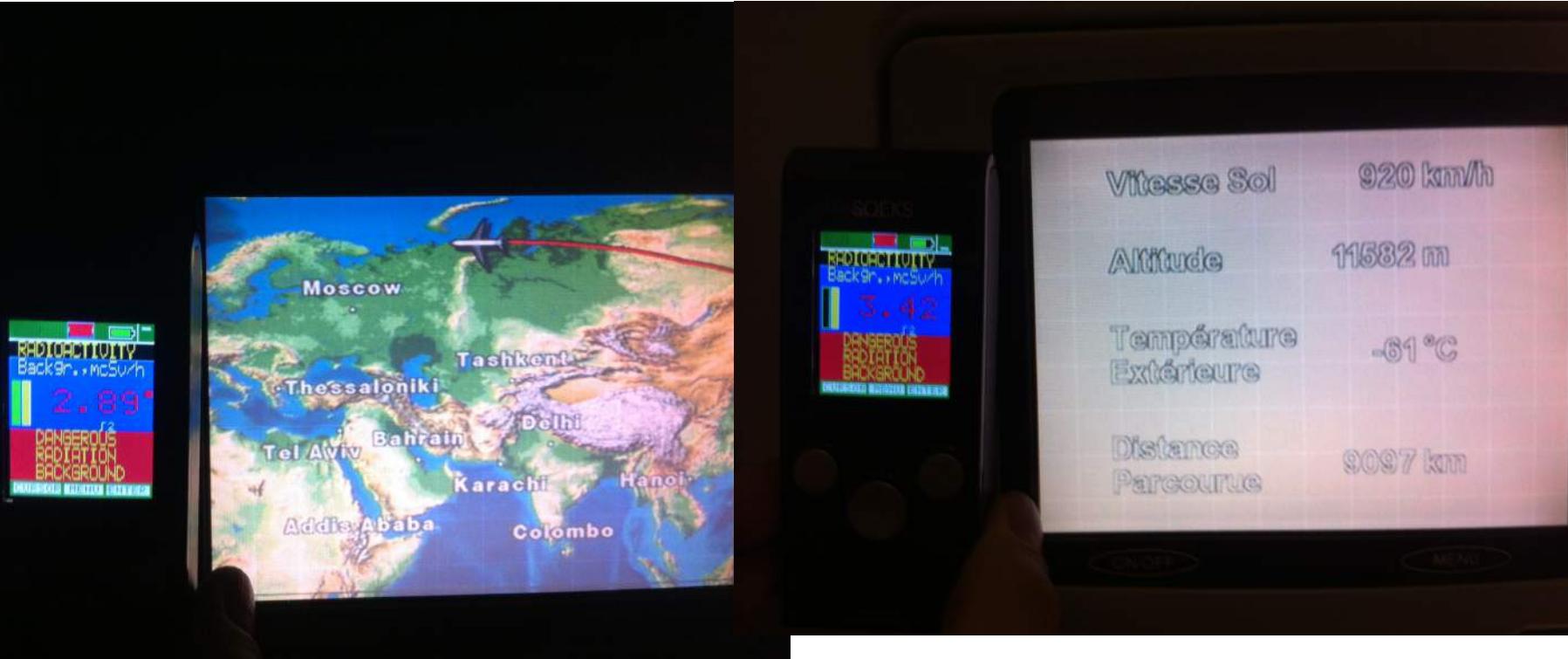
# Relations Soleil-Terre



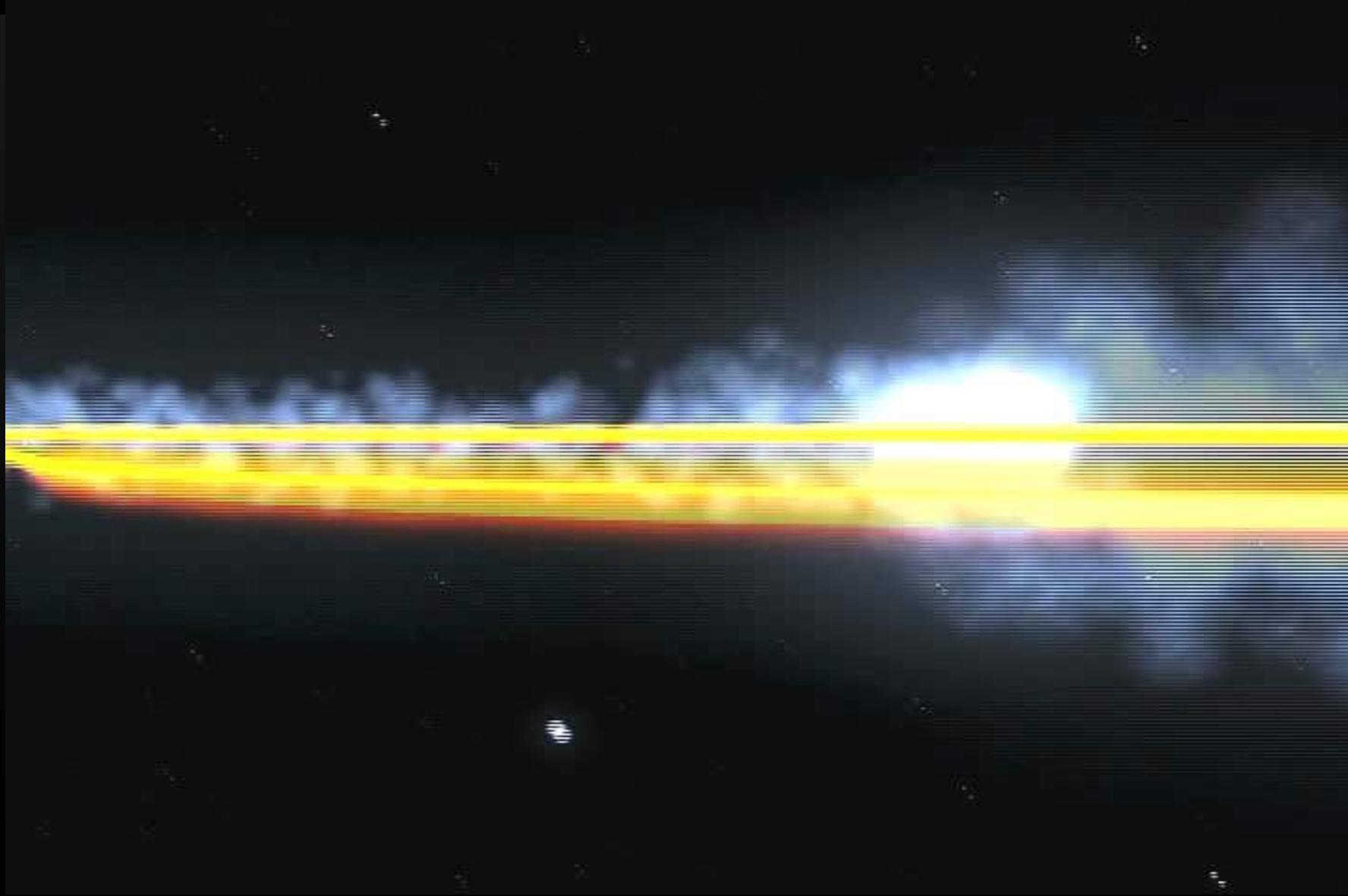
# Relations Soleil-Terre



## Dose de Radiations en Avion: un exemple pratique Osaka-Paris



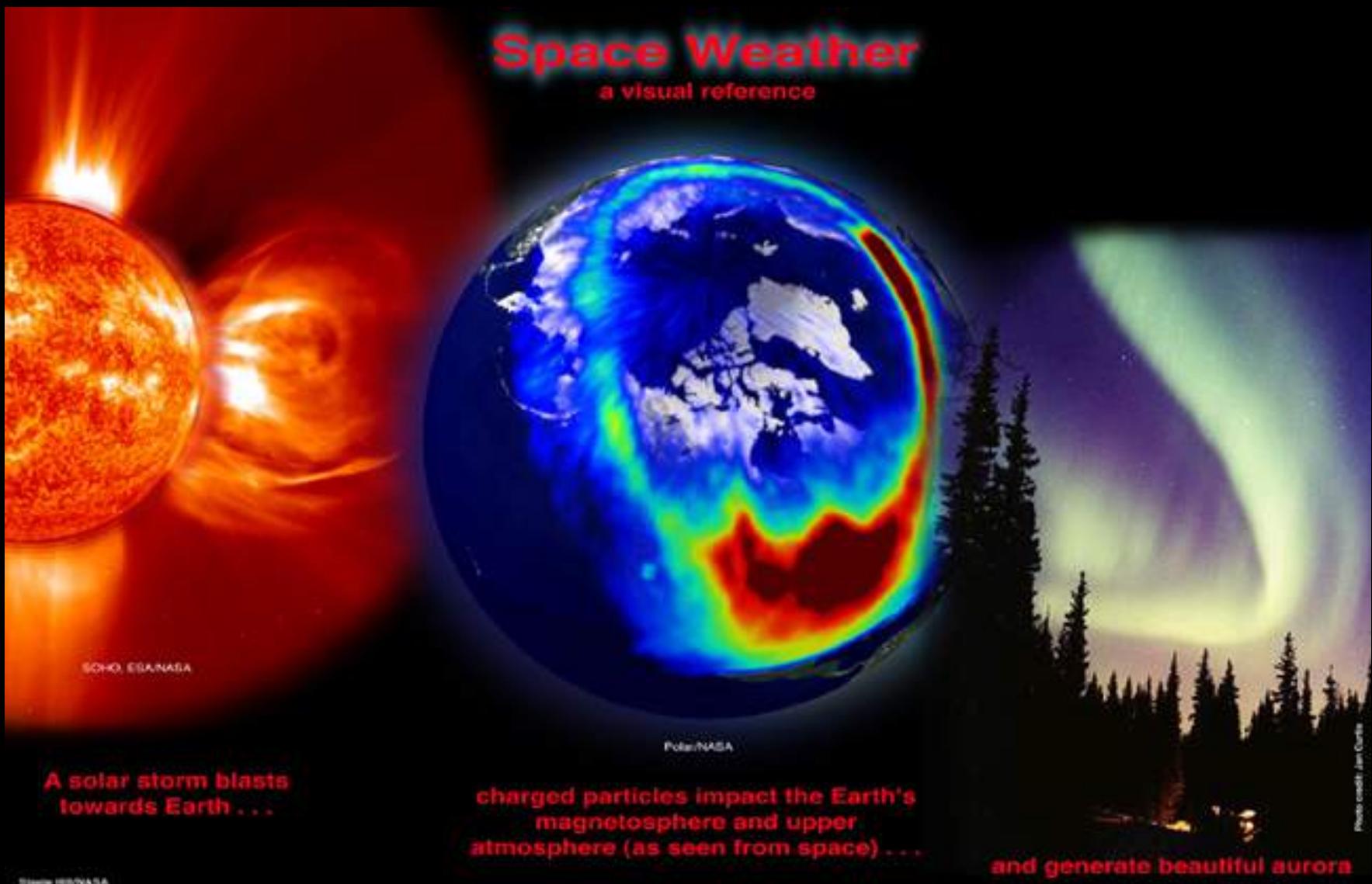
# La Comète Enckel rencontre une CME



# Relations Soleil-Terre

## Space Weather

a visual reference

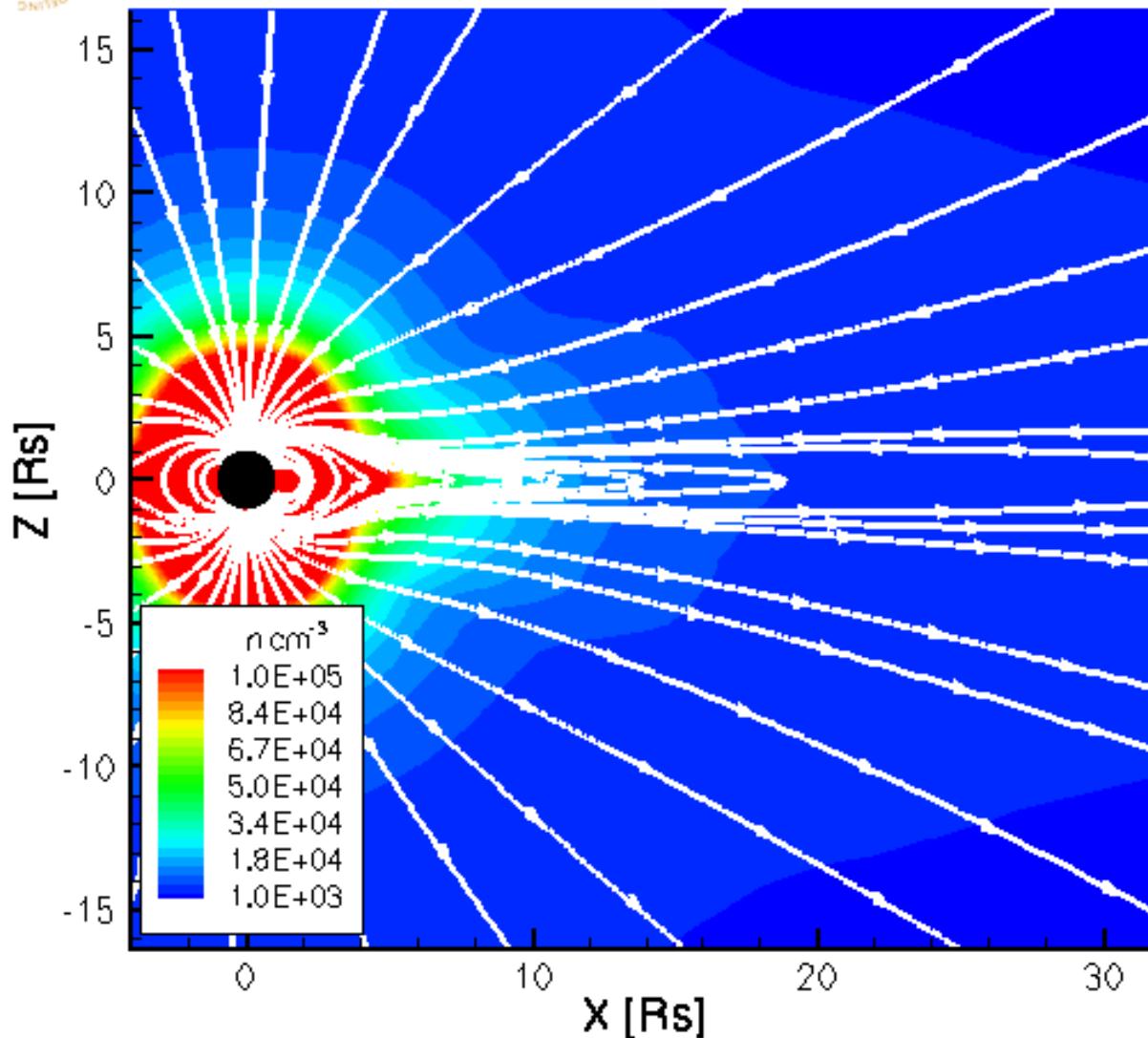


Aurores boréales

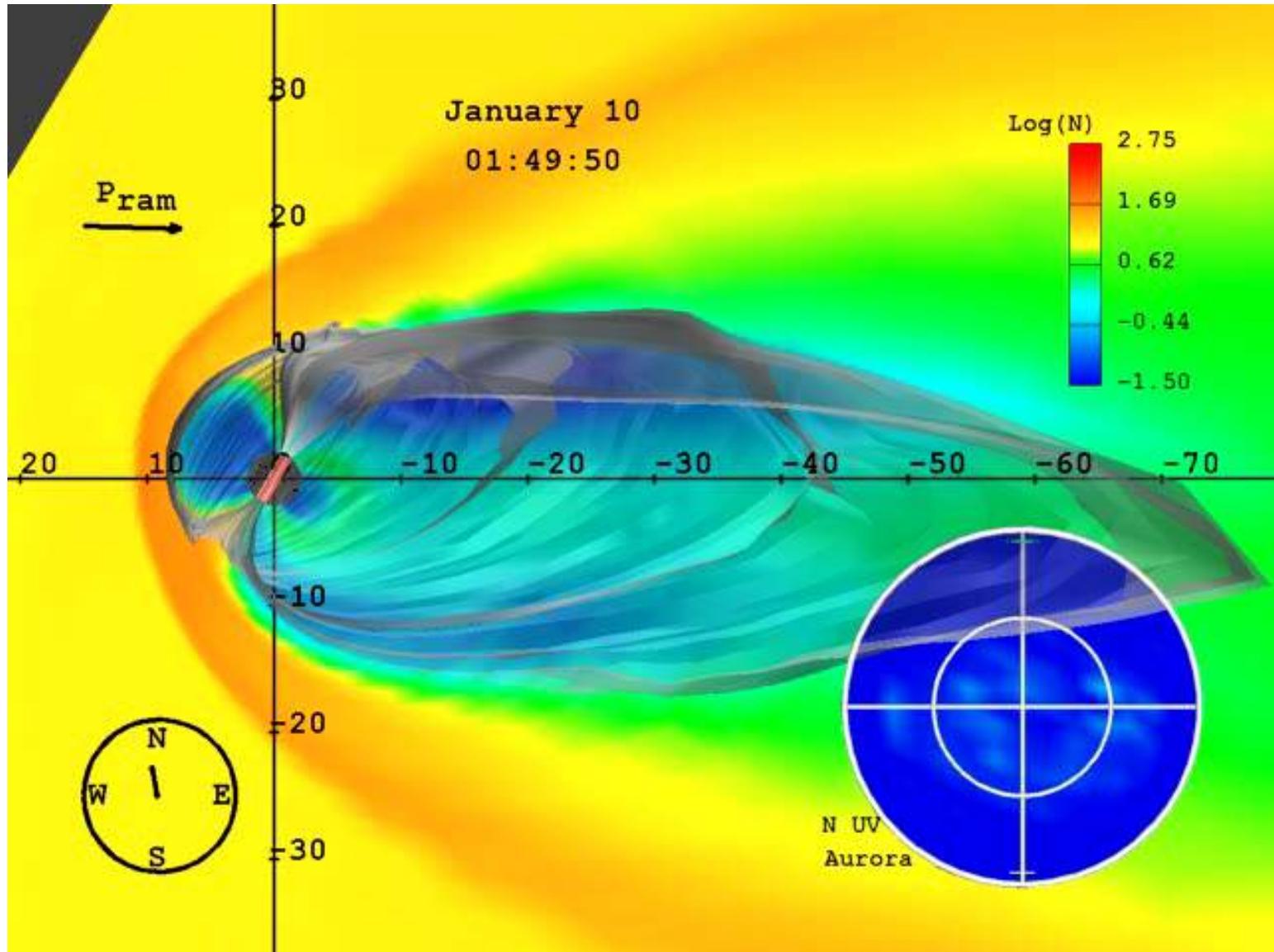
# CME and Planet Earth



University of Michigan  
Manchester et. al.  
2003

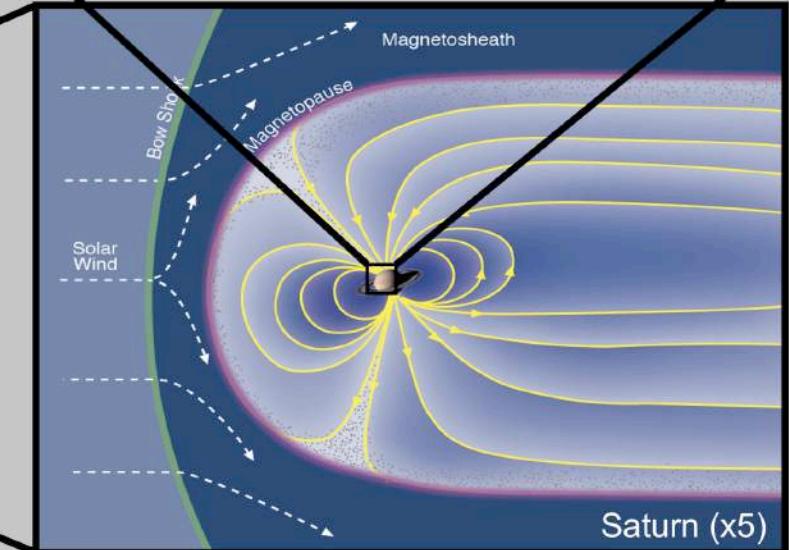
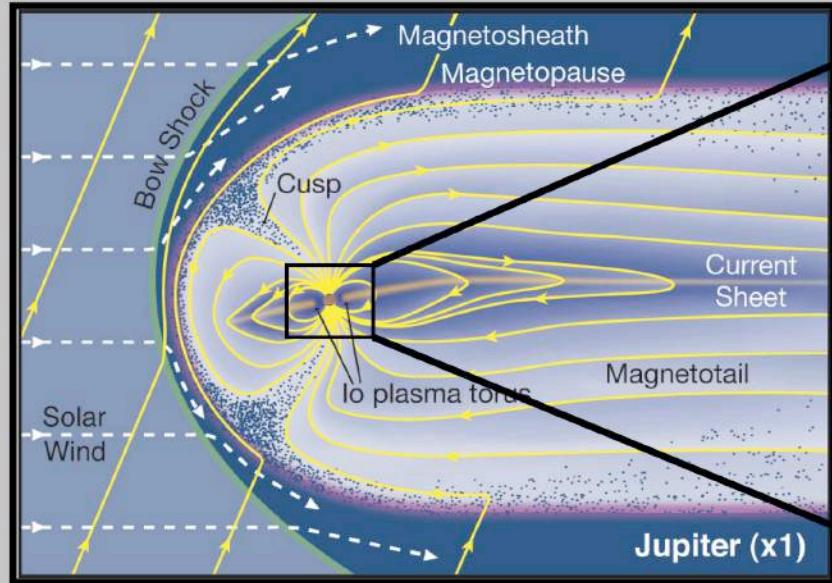
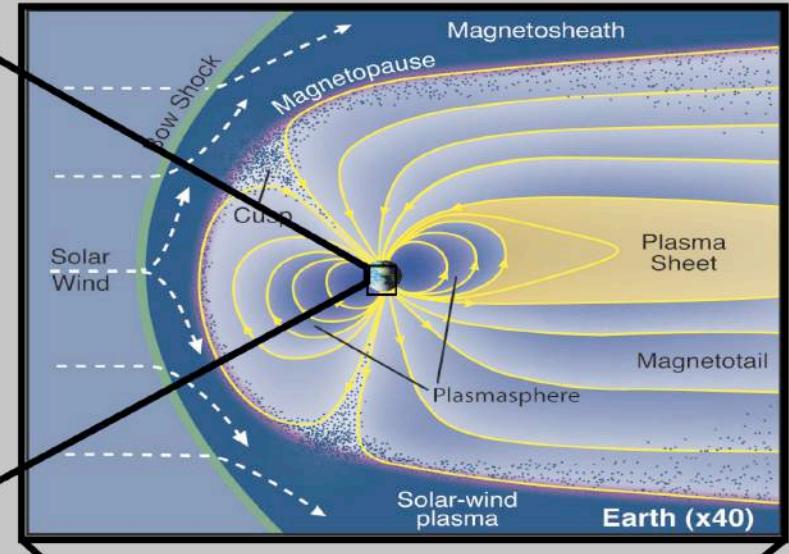
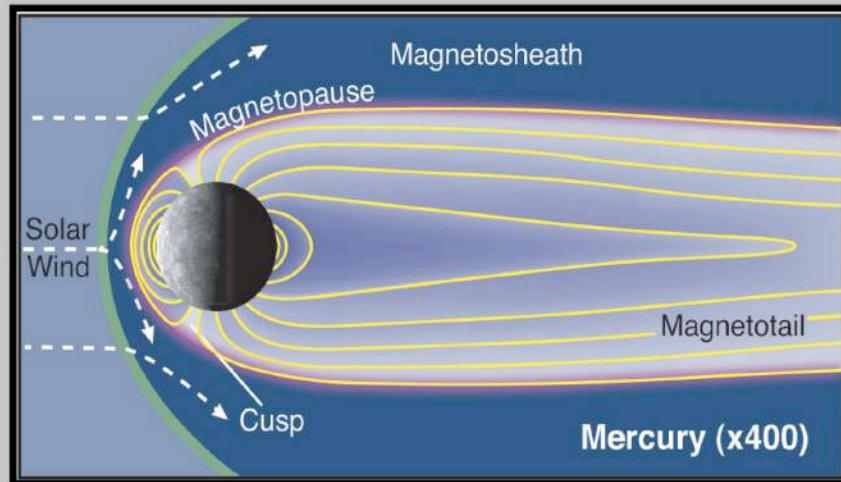


# Vent solaire et Magnétosphère Terrestre

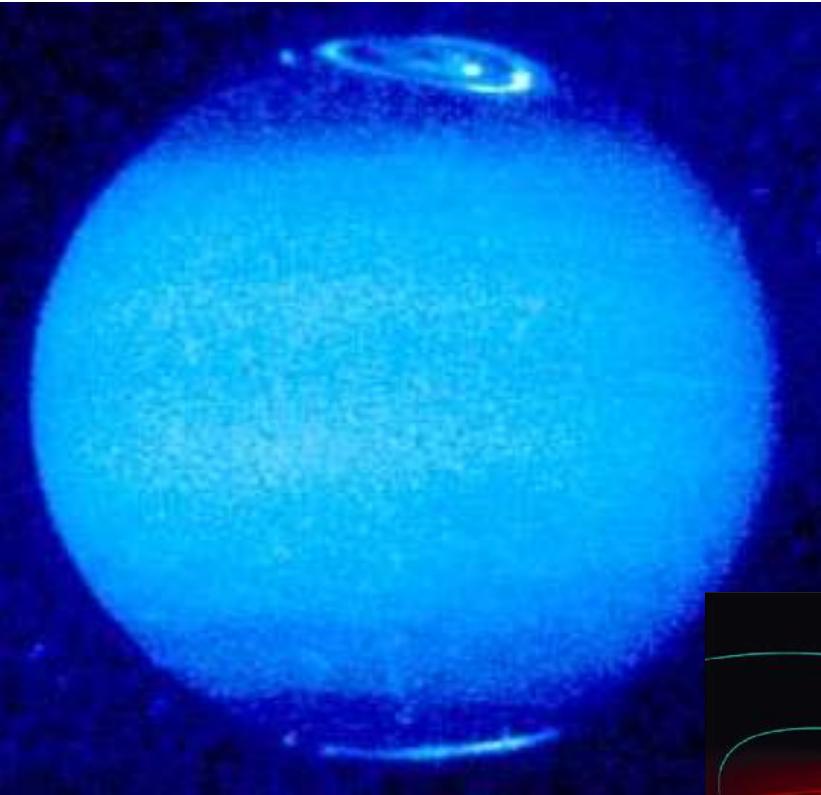


Nasa

# Taille relative des Magnétosphères dans le Syst. Solaire



# Planètes Gazeuses: Aurores Boréales

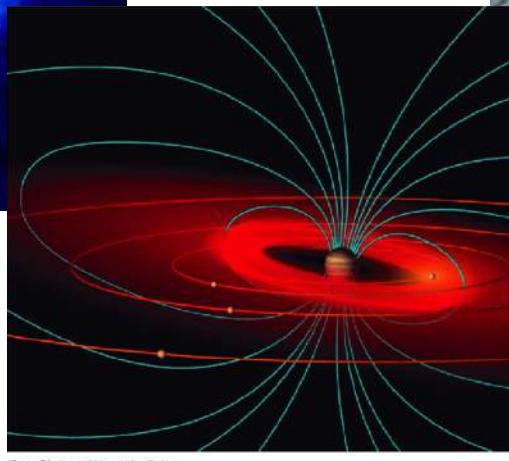


Jupiter, ~ 4 G

Dynamos actives, champ B fort



Saturne, ~0.4 G



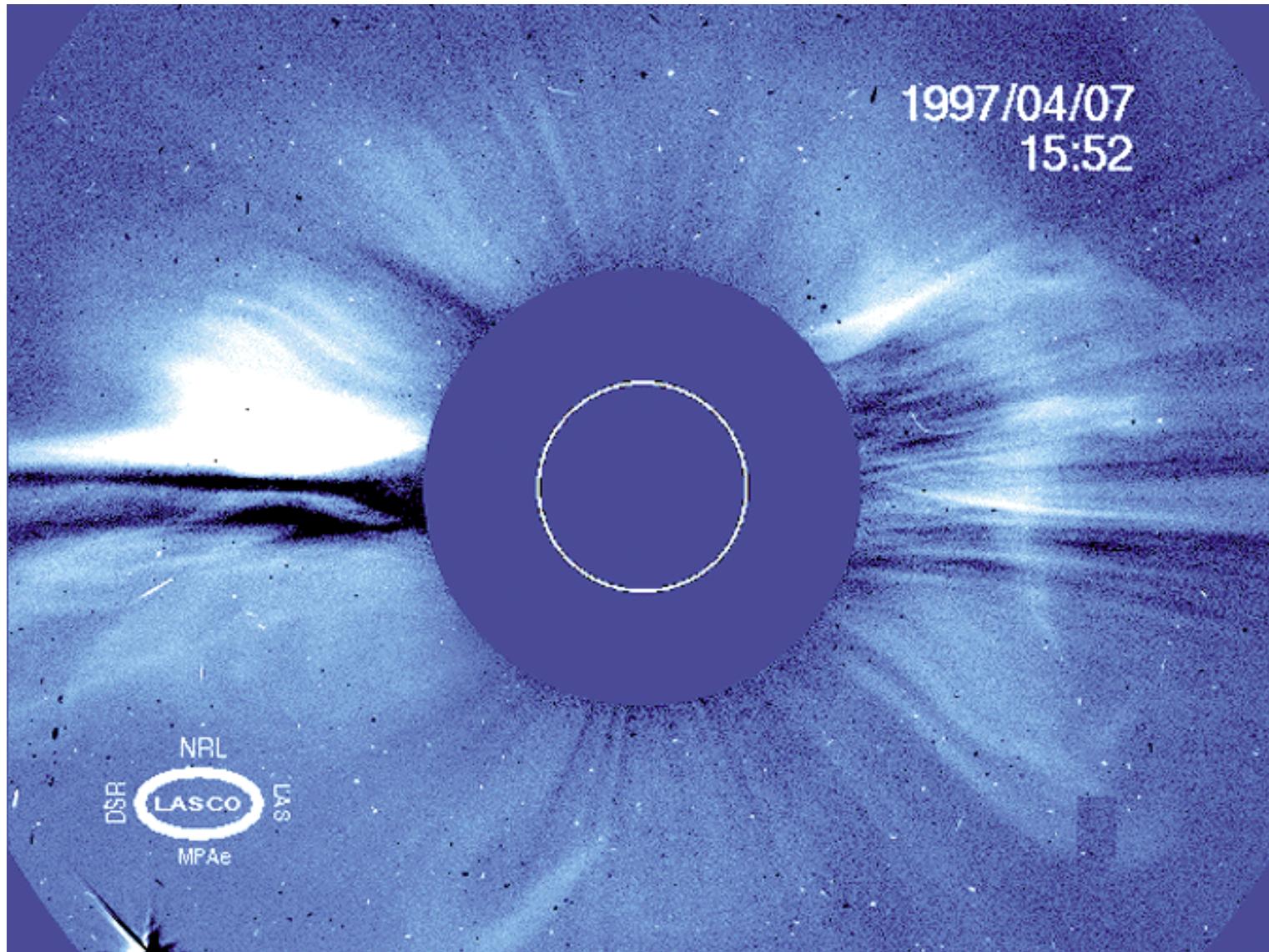
Lunes joviennes:

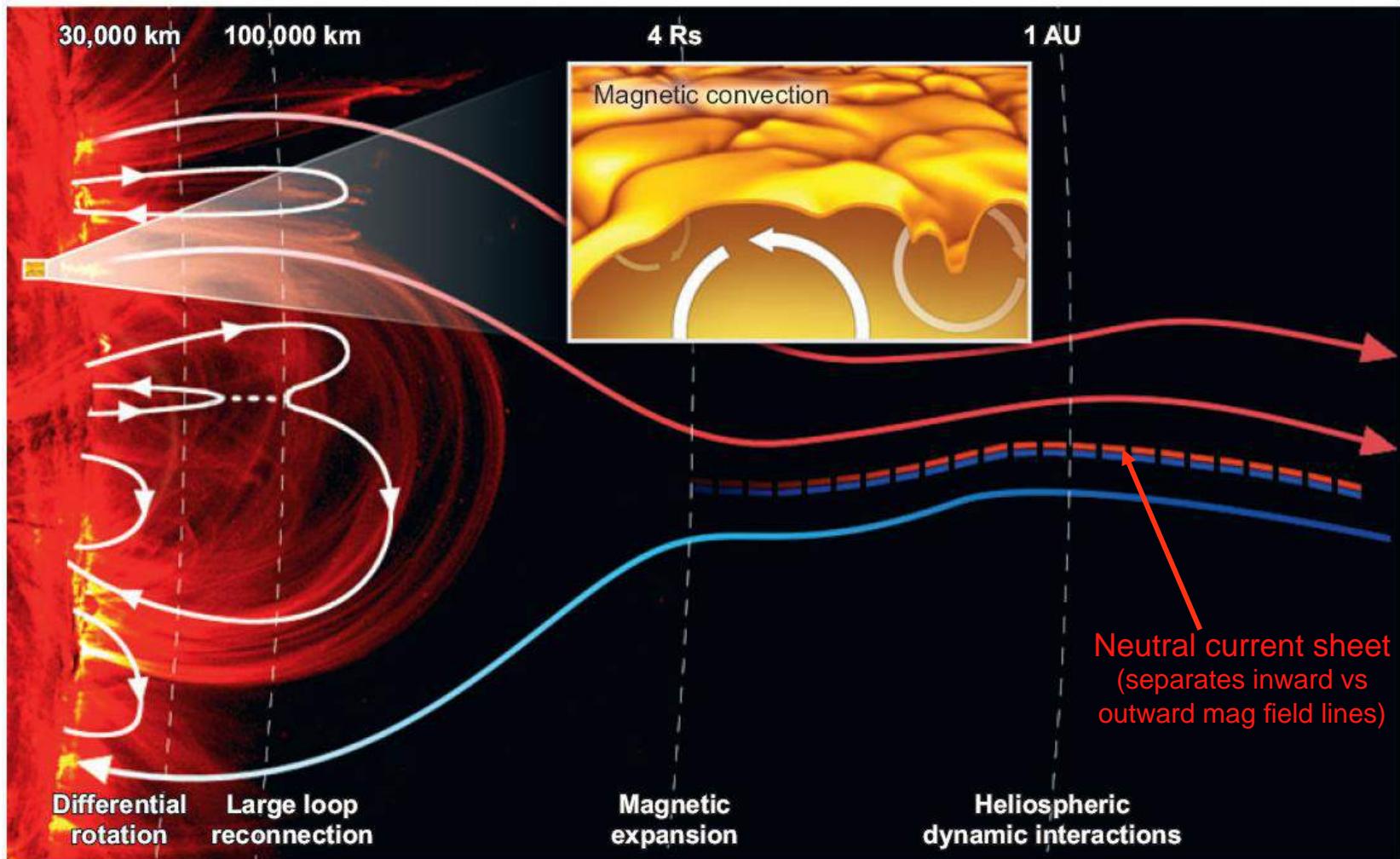
Callisto & Europa: B induit

Io: 13 mG, induit/dynamo + plasma torus

Ganymède: dynamo 7.5 mG (vs Jup 1.2 mG @ 15 Rj )

# Corona & Solar Wind





**Figure 3**

Schematic representation of the physical processes that shape the heliospheric magnetic field. The magnetic field emerges through the photosphere in small flux elements that interact with each other and with heliospheric field lines, leading to diffusive transport. Similarly, systematic flows, such as the flows caused by differential rotation, can also be projected into the heliosphere. Direct observations of these effects are difficult owing to the dynamic evolution of the heliospheric plasma caused by stream interactions and turbulent effects.

**Table 1 Key average properties of the solar wind plasma near Earth<sup>a</sup>**

Quantity	Definition	Source
$B_r = 2.5 \text{ nT}$	Radial magnetic field	Wang & Neubauer 1990
$B_\varphi = 2.4 \text{ nT}$	Toroidal magnetic field	Wang & Neubauer 1990
$B_\theta = 1.5 \text{ nT}$	Latitudinal magnetic field	Wang & Neubauer 1990
$V = 600 \text{ km/s}$	Solar wind speed	McComas et al. 1998
$\rho = 11 \cdot 10^{-21} \text{ kg/m}^3$	Solar wind mass density	Schwenn 1990
$T = 120,000 \text{ K}$	Solar wind temperature	Schwenn 1990
Derived Quantity		
$V_A = 32 \text{ km/s}$	Alfvén speed	
$C_S = 41 \text{ km/s}$	Sound speed	
$\beta \sim 1$	Plasma beta	
$\lambda_{mfp} \sim 0.2\text{--}0.5 \text{ AU}$	Mean free path of ion Coulomb collisions	Marsch 1990

<sup>a</sup>These quantities vary near Earth, and also have systematic variability as a function of distance from the Sun.

# Parker's Solar Wind Model

Simple hydrostatic model ( $u=0$ ) for an isothermal corona at  $T = 1$  Million K leads to a pressure ratio between the solar surface ( $\sim 100$  mb, cf slide 3) and the pressure at « infinity » of 4 orders of magnitude, i.e  $p_{\text{inf}} / p_{\text{surf}} \sim 10^{-4}$ , whereas it should be at least  $10^{-14}$ ! Since  $p_{\text{inf}} = p_{\text{ism}}$  (the pressure of the interstellar medium).

In 1955 E. Parker proposed that the Sun possesses a wind (solar wind of particles, mostly protons, electrons, alpha's), i.e a dynamical atmosphere with  $u \neq 0$ .

$$\frac{1}{2} u^2 - c_s^2 \ln u = 2c_s^2 \ln r + GM/r + C$$

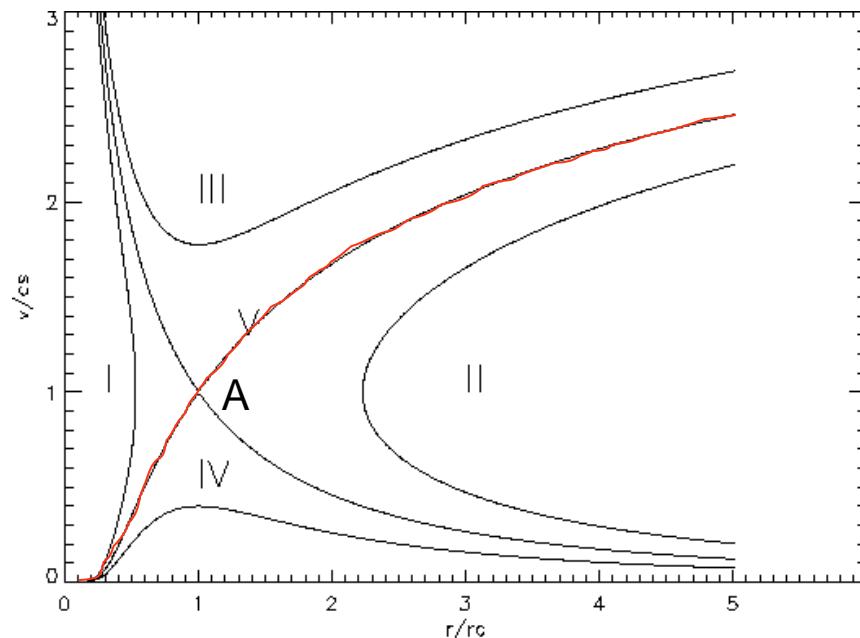
5 solutions are found mathematically (cf. figures), only 3 are meaningful, type III, IV & V

Type V is the solar wind solution: A slow wind accelerating to supersonic speed. It leads to a very small  $p_{\text{inf}}$  compatible with  $p_{\text{ism}}$

A is the sonic point,  $u=c_s$

No fast wind is observed near the surface so III can be discarded.

IV remains subsonic (the solar breeze) but  $p_{\text{inf}}$  still too large Compared to  $p_{\text{ism}}$



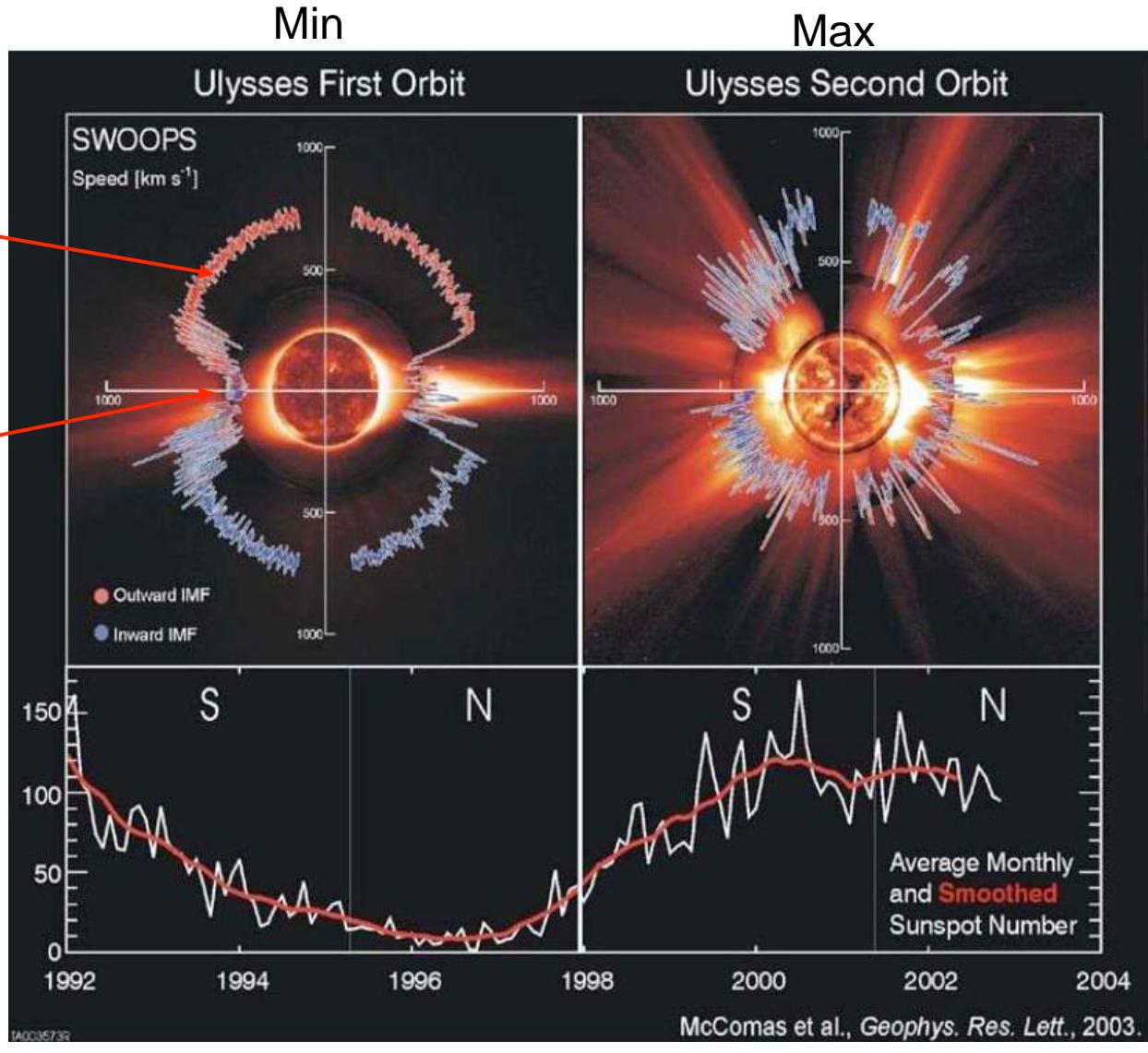
Check white board notes for more details

# Vent solaire et Champ Coronal

Rapide là où les lignes de champ magnétiques sont **ouvertes** (trous coronaux)

Lent là où les lignes de champ magnétiques sont **fermées** (streamers)

Il faut 2.5 à 4.5 jours au vent solaire pour atteindre la Terre.  
Il est composé surtout d'**hydrogène ionisé** (proton + électrons), de 8% d'hélium et de traces



# MHD Wind Simulations

Why are they necessary ?

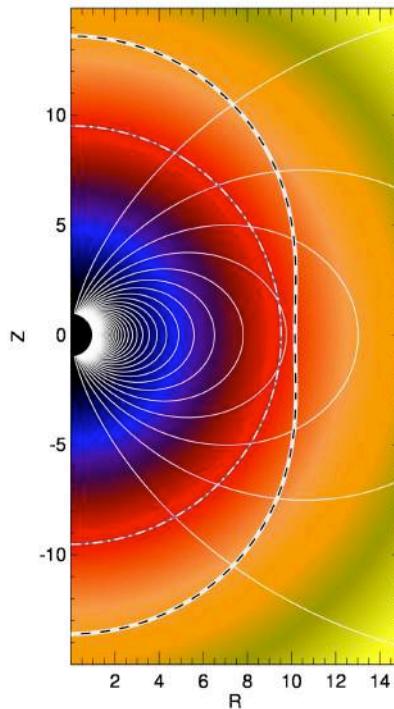
- Magnetic fields > split monopole
- Rotation
- 3D, non-axisymmetry

Decreasing Alfvén surface !

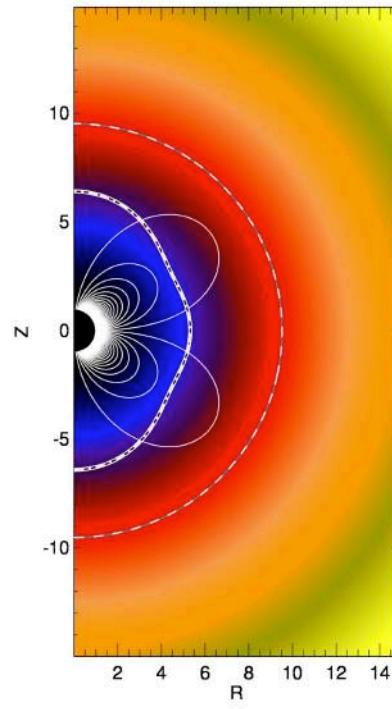
Parametric study of the torque as a function of:

- Rotation
- Magnetic field strength
- Magnetic field topology

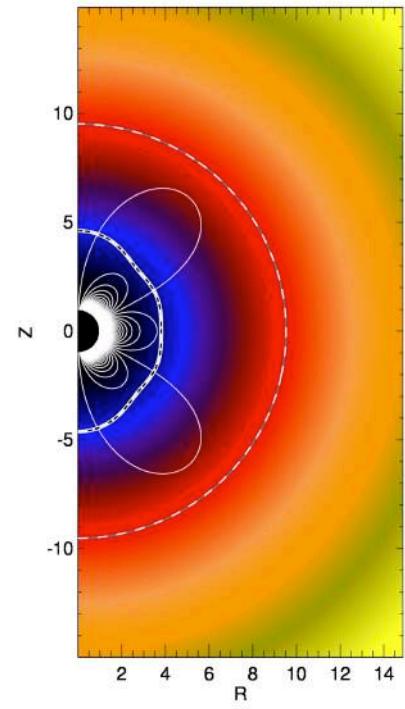
Coronal temperature and gamma held fixed.



Dipole



Quadrupole

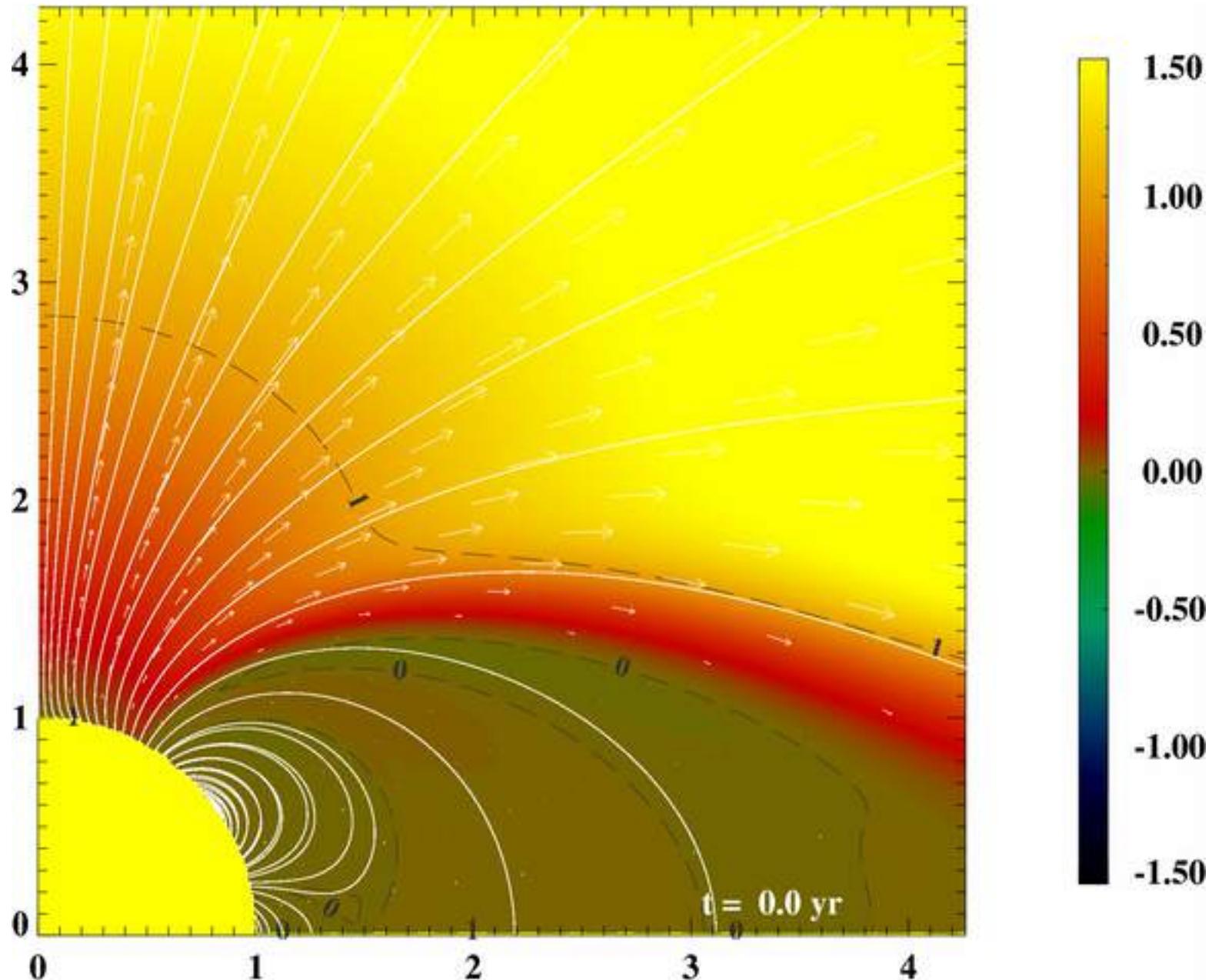


Octupole

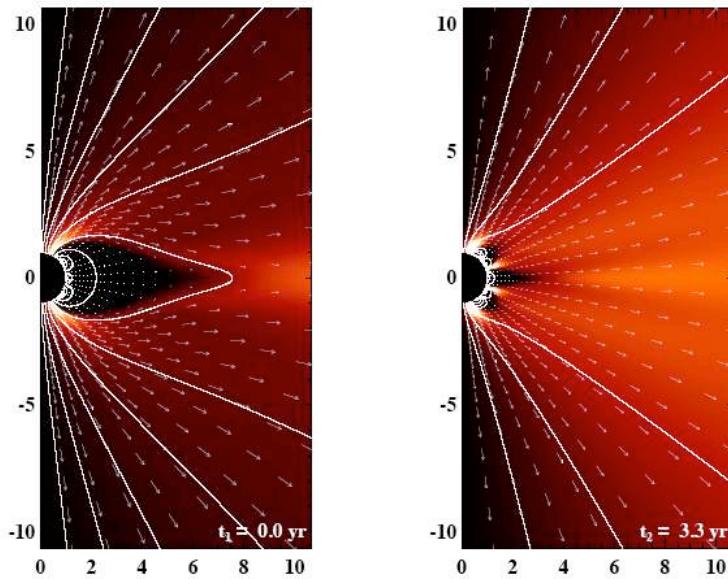
60 cases with compressible MHD code PLUTO

Réville et al. 2015, ApJ 798:116

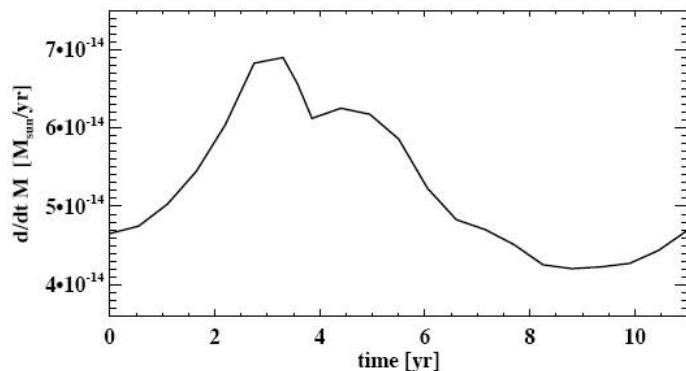
# Modulation Cyclique du Vent Solaire



# Mass and Angular Momentum Loss by Solar Wind



**Figure 7.** Mass flux  $\rho V_r r^2 \sin \theta$  in the meridional plane at  $t = 0$  yr (left) and at  $t = 3.3$  yr, about the polarity inversion (right), that is, respectively, instants  $t_1$  and  $t_2$ . The factor  $r^2 \sin \theta$  is due to the spherical expansion of a surface element normal to the radial direction. Outflows which originate at lower latitude dominate the global mass loss rate.



$$\dot{M} = 2\pi R_0^2 \int_0^\pi \rho V_r \sin \theta d\theta$$

The azimuthal magnetic field does not suddenly change from straight to spiralled. But quantitatively, it all works out *as if* there was a sharp transition. Following this picture, one can define an average Alfvén radius  $\langle r_A \rangle$  — an “effective lever arm length”. The specific angular momentum flux rate is then

$$l = \Omega_0 \langle r_A \rangle^2 . \quad (7)$$

The resulting torque applied on the sun is (Matt & Pudritz 2008)

$$\tau = -\dot{M} \Omega_0 \langle r_A \rangle^2 . \quad (8)$$

The angular momentum per unit volume  $J$  of a parcel of solar wind plasma rotating with azimuthal velocity  $v_\phi$  is

$$J_w = \rho r \sin \theta v_\phi . \quad (9)$$

The angular momentum per unit volume crossing a surface element  $dA$  is then  $\dot{J}_w = J_w v_r dA$ . Integrating over a spherical surface of radius  $r_0$  and assuming axisymmetry translates into

$$\dot{J}_w = 2\pi r_0^3 \int_0^\pi \rho v_r v_\phi \sin^2 \theta d\theta . \quad (10)$$

We then define the magnetic spin-down time-scale as

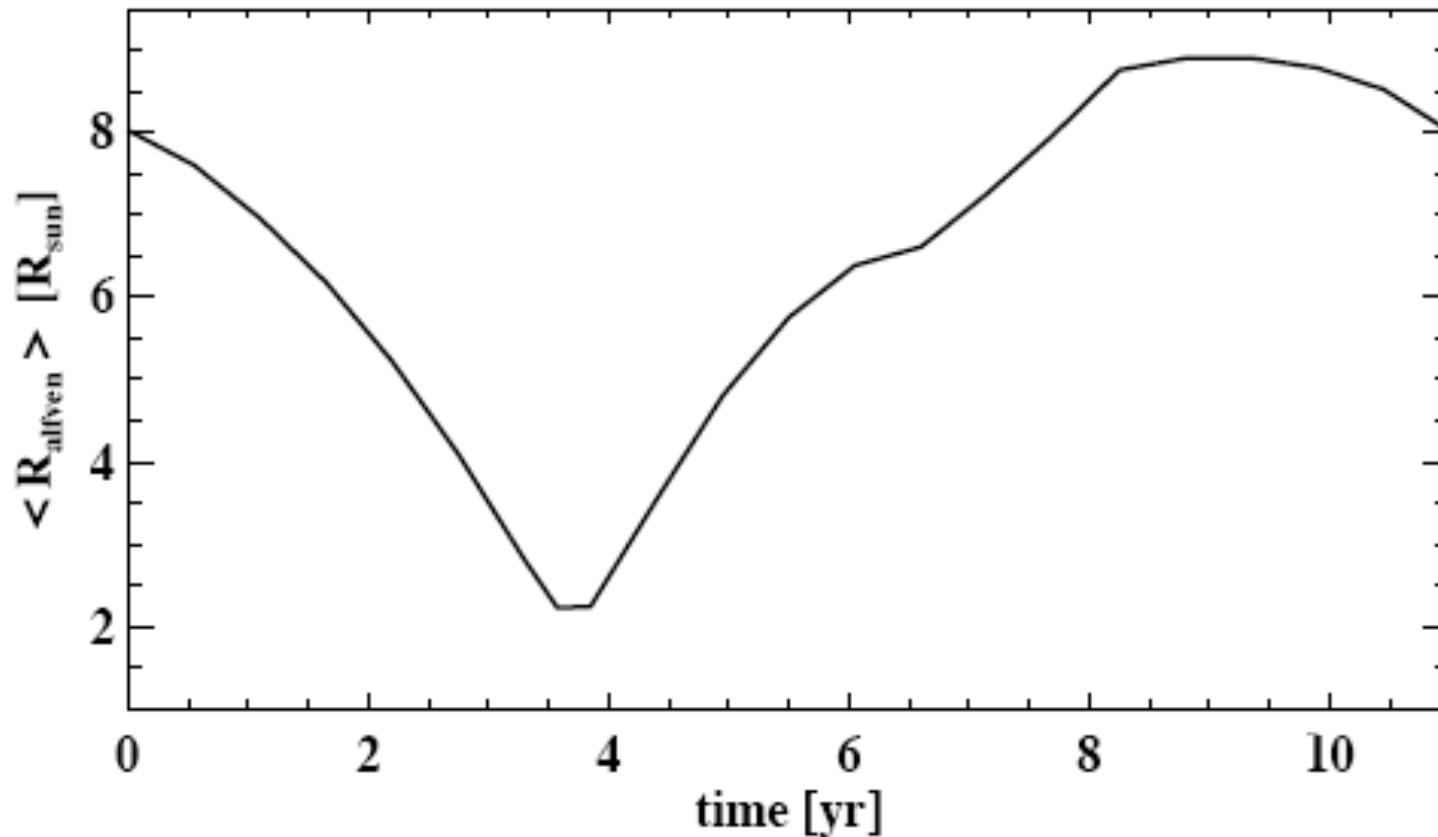
$$\delta t_{sd} = \frac{J_\odot}{\dot{J}_w} , \quad (11)$$

where  $J_\odot$  is the sun’s angular momentum. We estimated

$$J_\odot = \frac{8\pi}{3} \Omega_0 \int_0^{R_\odot} \rho(r) r^4 dr \approx 1.84 \times 10^{48} \text{ g cm}^2 \text{ s}^{-1} \quad (12)$$

# Mass and Angular Momentum Loss by Solar Wind

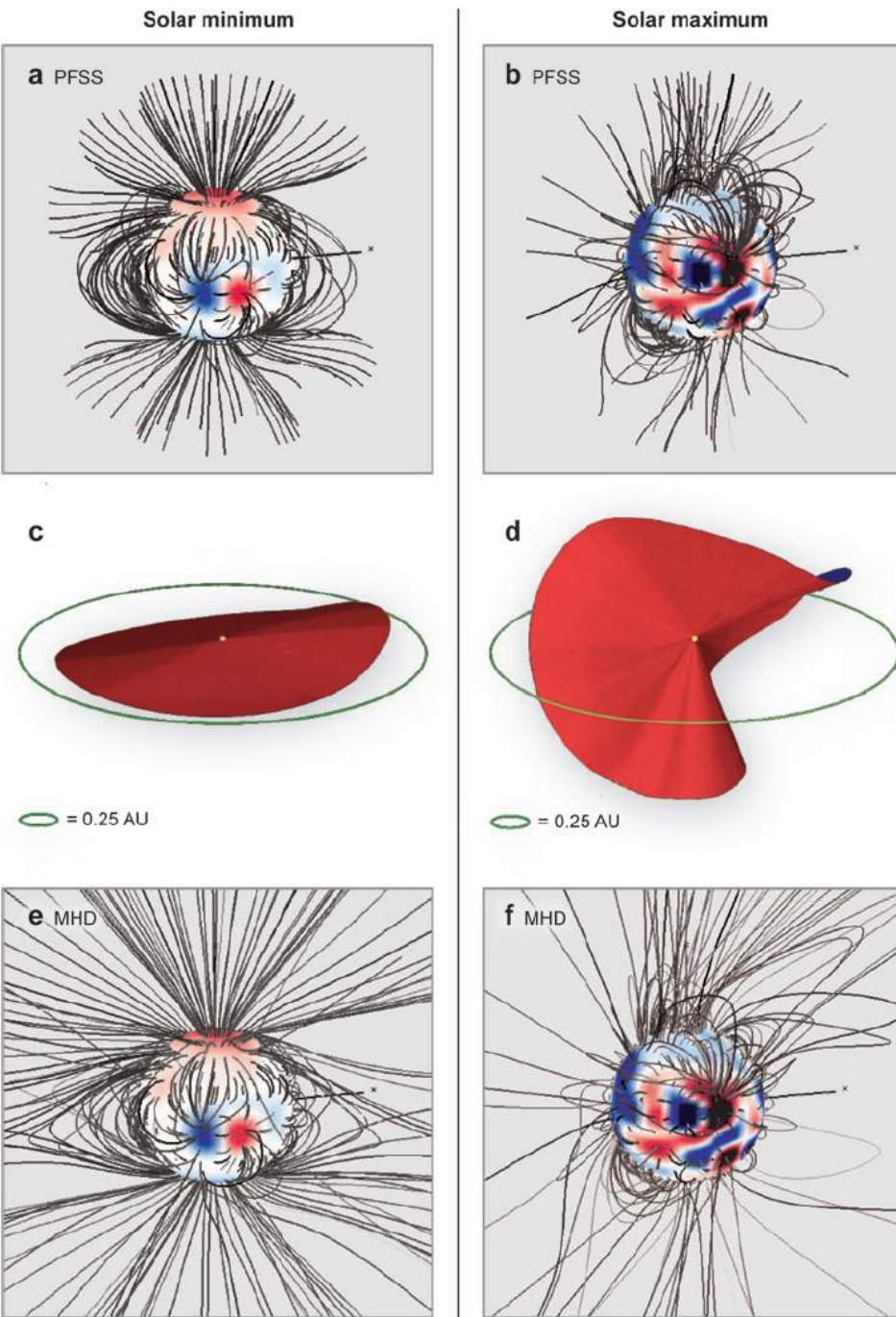
Alfven radius variation vs solar cycle.



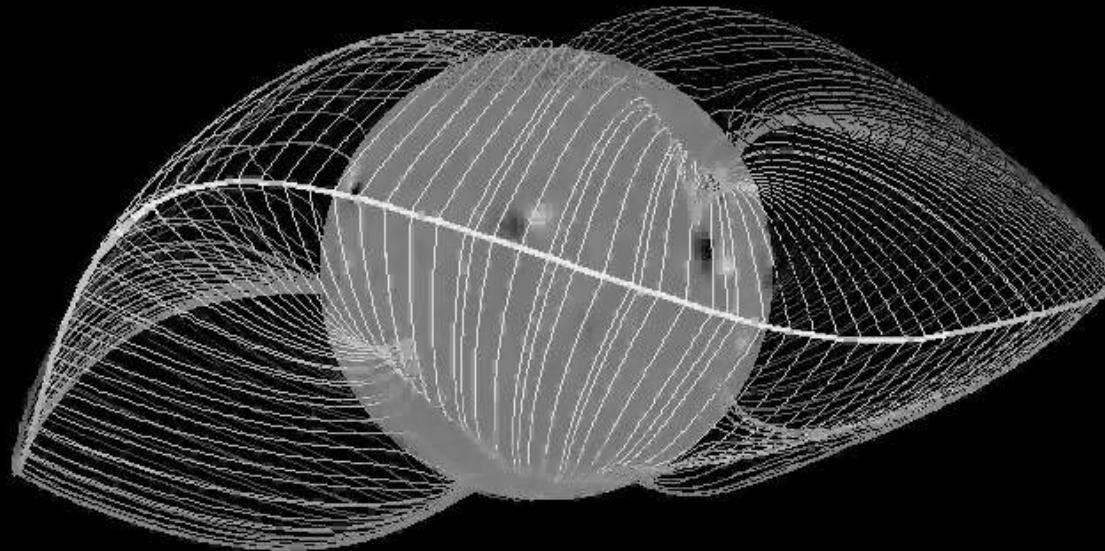
Pinto, Brun et al. 2011, ApJ

Dr. A.S. Brun, UnivEarths Fall School, Santorin – 19/10/15

## Magnetic field in Corona and Neutral current sheet



# Couche de courant neutre du champ solaire interplanétaire

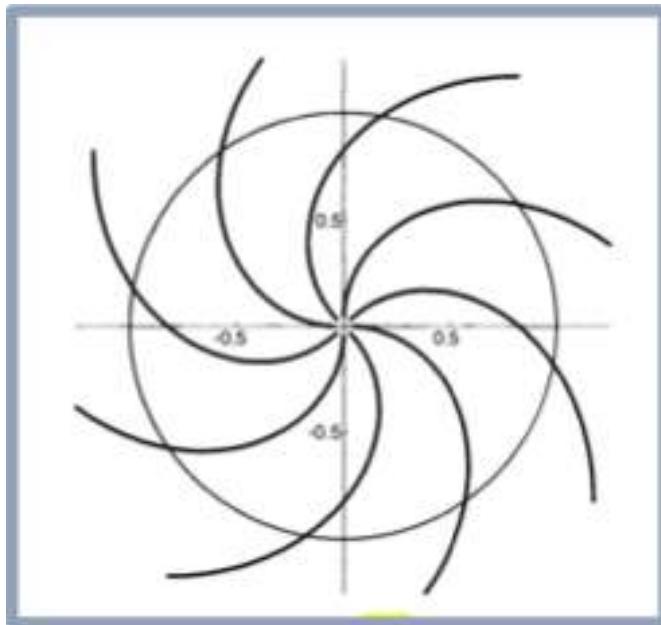


$t = 0.0 \text{ y}$  (27-day synodic reference frame)  $\phi = 0.00$

# Mass and Angular Momentum Loss by Solar Wind

*Spin down through magnetic braking (Schatzmann 1962)*

Weber & Davis (1967)  
Lever arm



$$\frac{dJ}{dt} = \frac{dM}{dt} L = \frac{dM}{dt} r_A^2 \Omega$$

Angular momentum loss

The azimuthal magnetic field does not suddenly change from straight to spiralled. But quantitatively, it all works out *as if* there was a sharp transition. Following this picture, one can define an average Alfvén radius  $\langle r_A \rangle$  — an “effective lever arm length”. The specific angular momentum flux rate is then

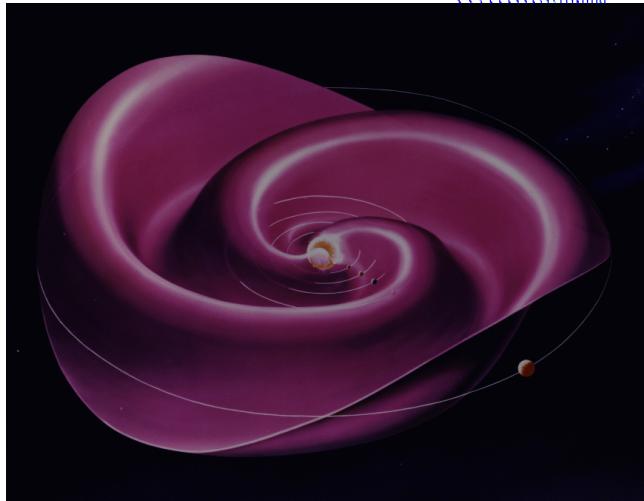
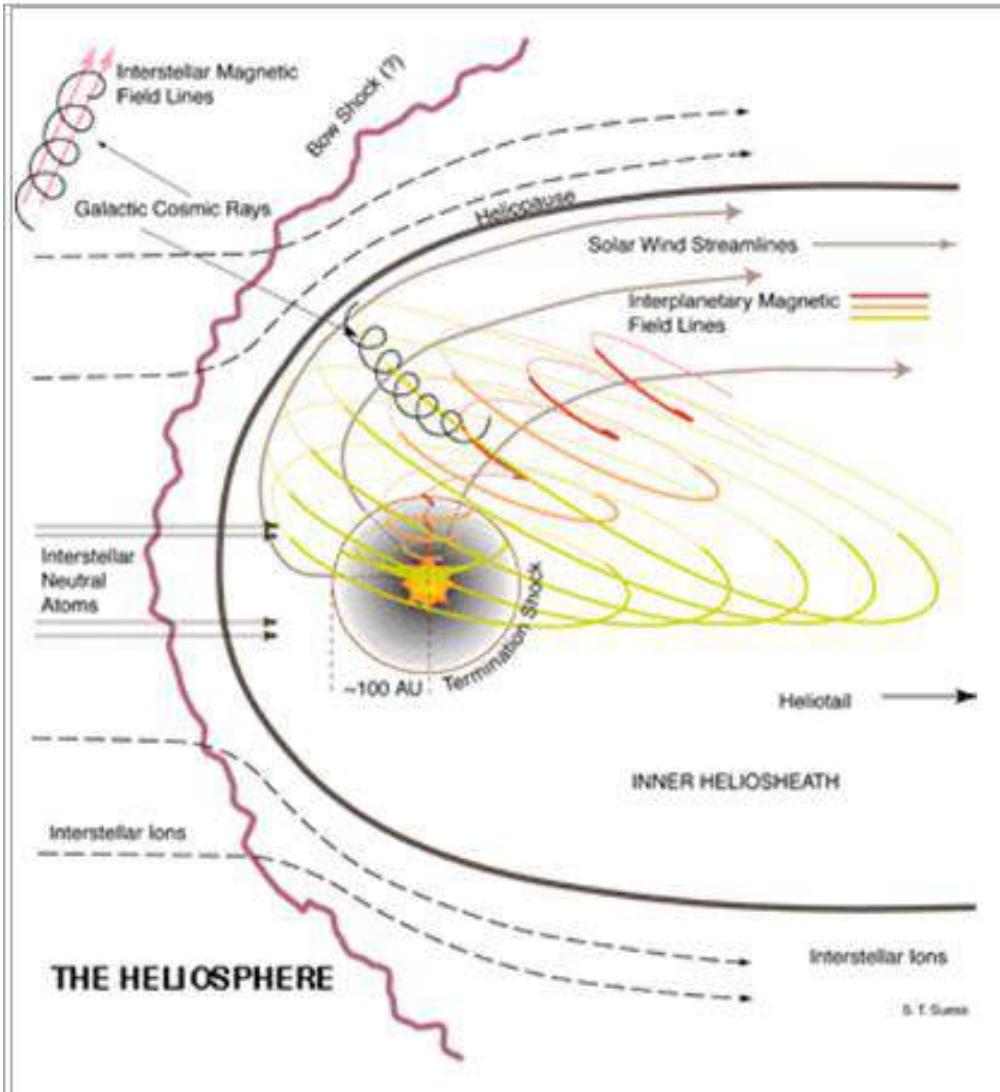
$$l = \Omega_0 \langle r_A \rangle^2 . \quad (7)$$

The resulting torque applied on the sun is (Matt & Pudritz 2008)

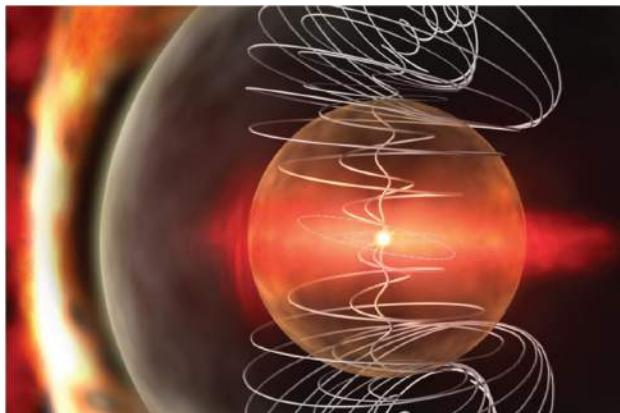
$$\tau = -\dot{M} \Omega_0 \langle r_A \rangle^2 . \quad (8)$$



# Héliosphère



Spirale de Parker et Couche de Courant Neutre Héliosphérique



**Figure 4**

Solar motions projected into the heliosphere. (a) Parker field configuration, produced by a rigidly rotating Sun. There is no transport in latitude. (b) The Heliospheric field under the assumption of differential rotation into an asymmetric corona. Adapted from Zurbuchen, Schwadron & Fisk 1997. (c) The effect of random, diffusive motions in the heliosphere. Adapted from Jokipii & Kóta 1989.

**a Rotation only**



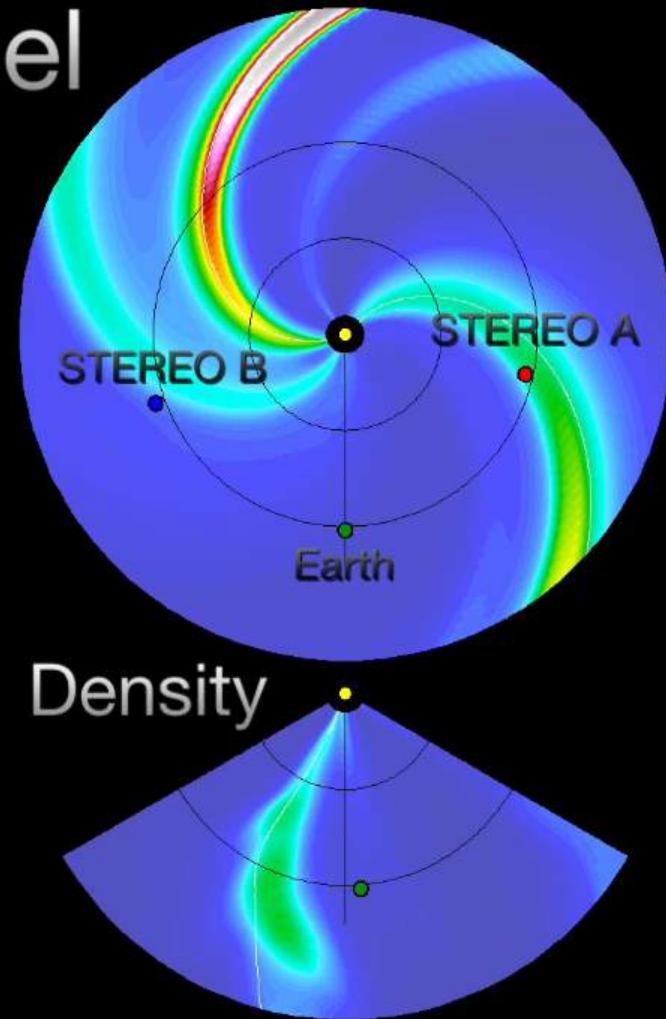
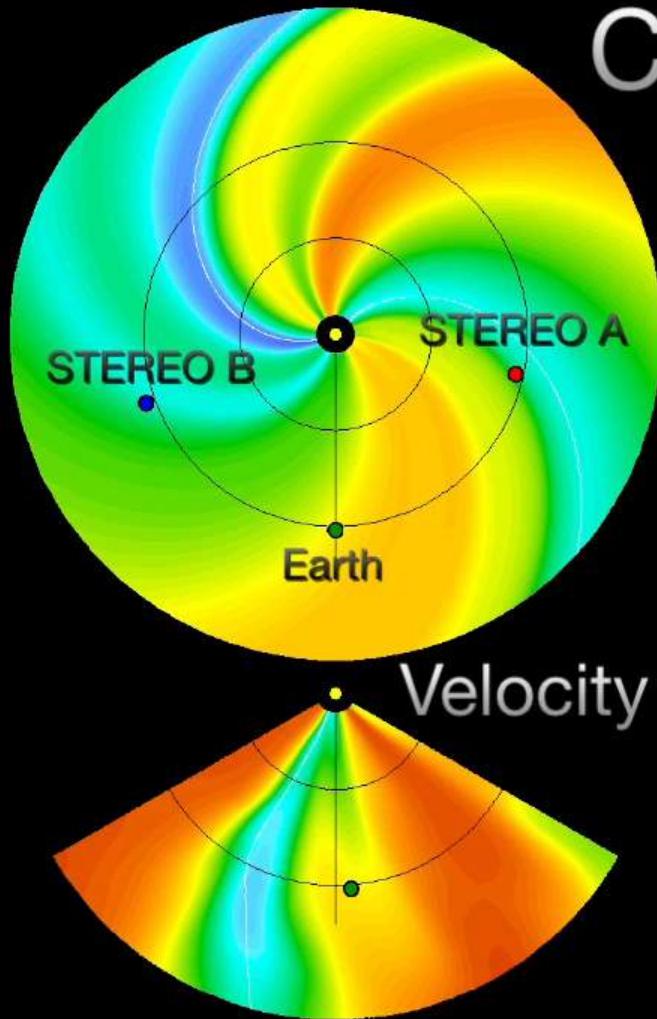
**b Differential rotation with asymmetric expansion**



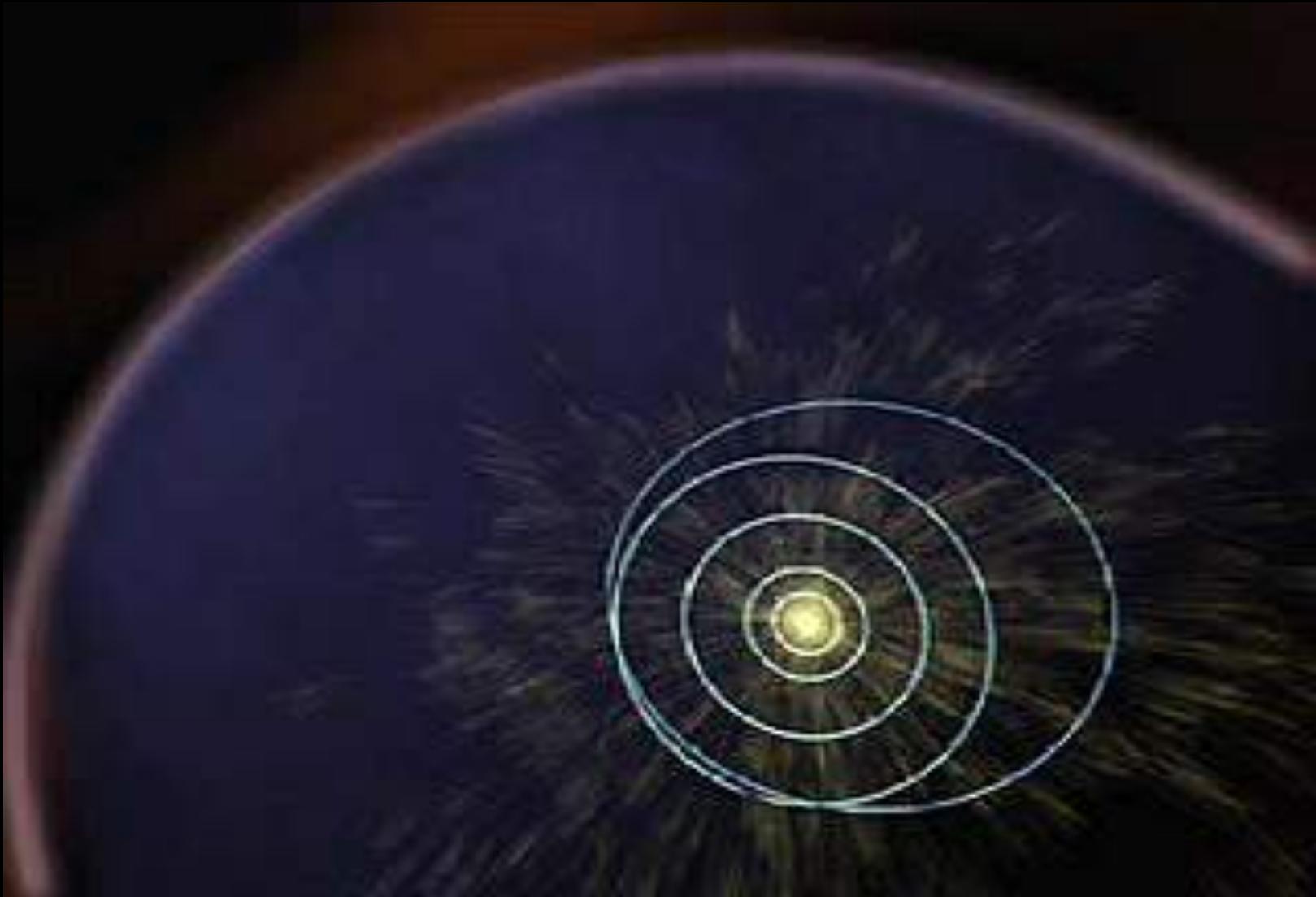
**c Rotation plus random motion**



# CME Model

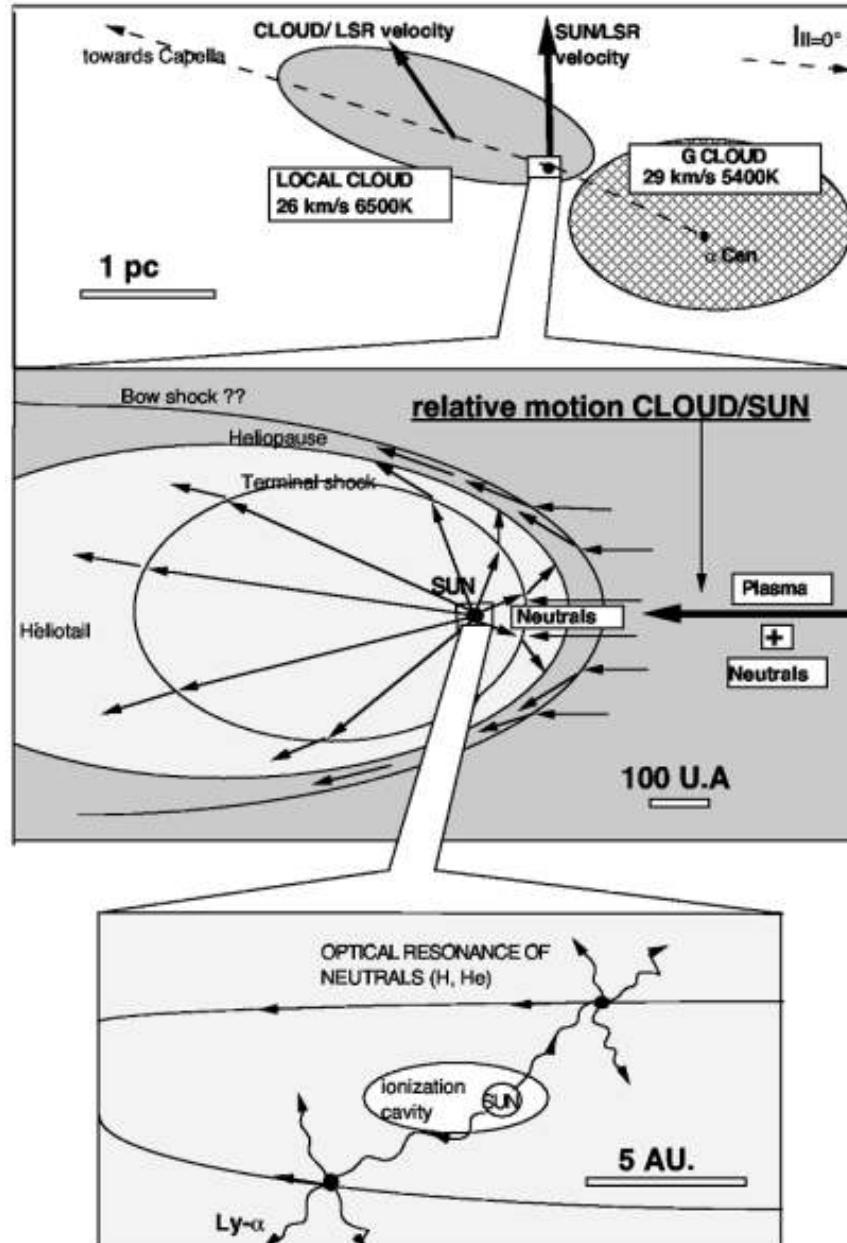


# Héliosphère

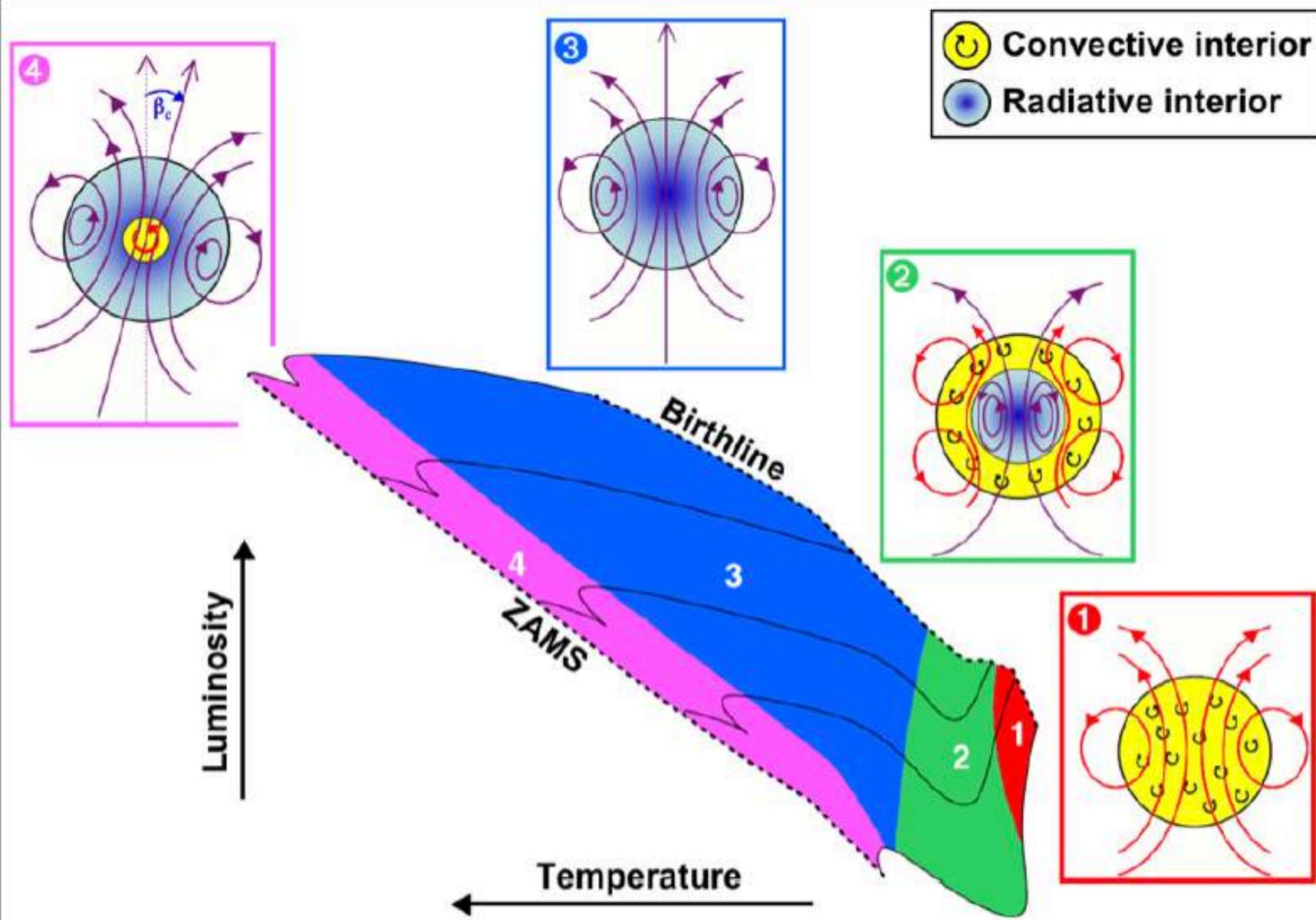


Nasa

# Solar Motion in Local Interstellar Medium (ISM)



# Relaxation of Magnetic Field inside Stars as they Evolve



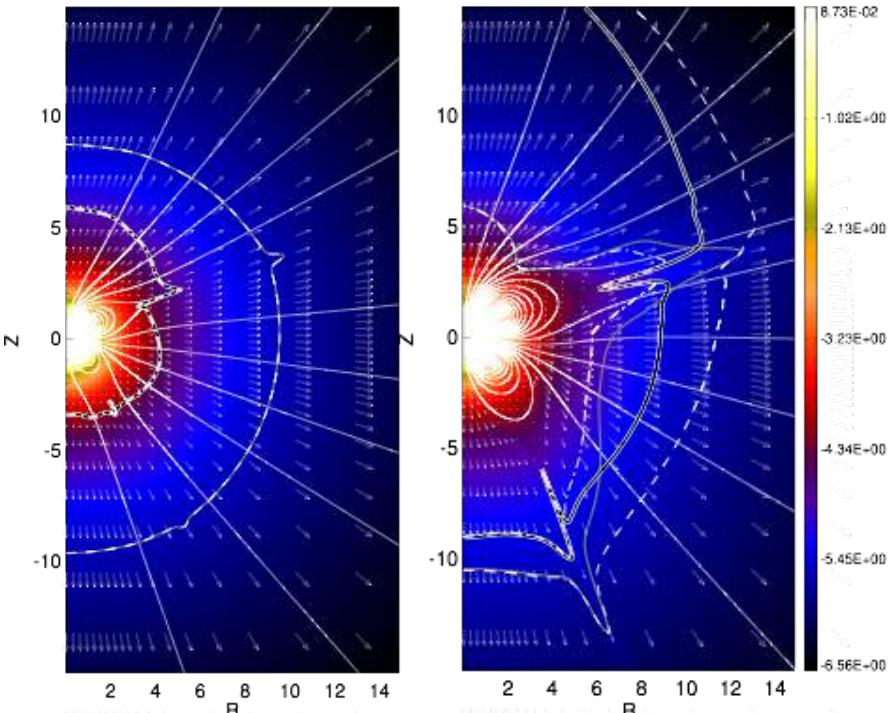
# Surface magnetic field and Zeeman Doppler Imaging

Spectropolarimeters:

Narval 375nm à 1050nm @TBL  
& Espadons (370nm à 1000 nm) @CFHT

*Zeeman Doppler Imaging consist in extracting Stokes parameters as a function of phase, on several wave-lengths to increase signal over noise ratio.*

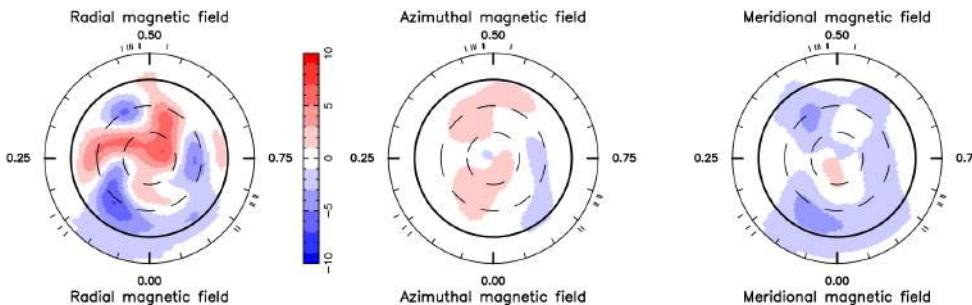
*Works well on fast rotators.*



The Sun at maximum  
of cycle 22

Young K-Star  
TYC-0486-4943-1

May 2009



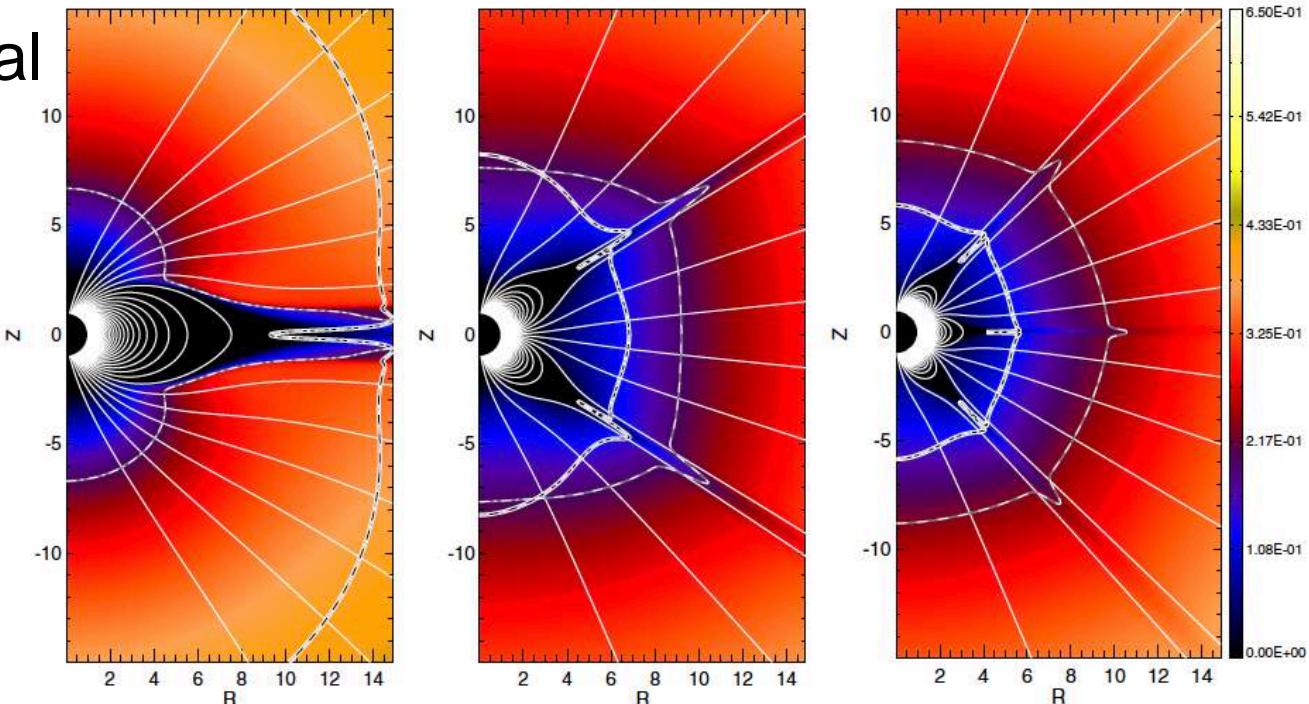
Tau Boo by Fares et al. 2013

*Regression methods ->*

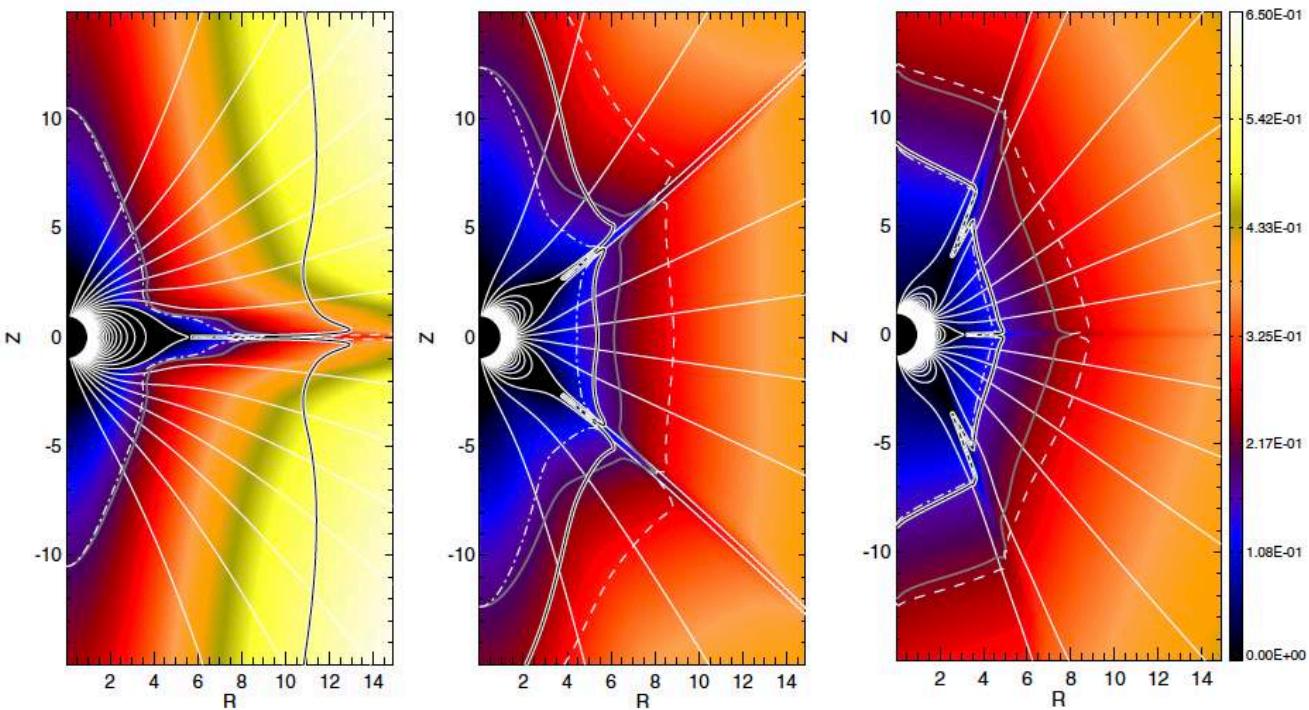
*List of spherical harmonics  
decomposition coefficients.*

# Magneto-Centrifugal Effect

Slow rotation



Fast rotation



Reville et al. 2015a

# MHD Wind Simulations and angular momentum loss law

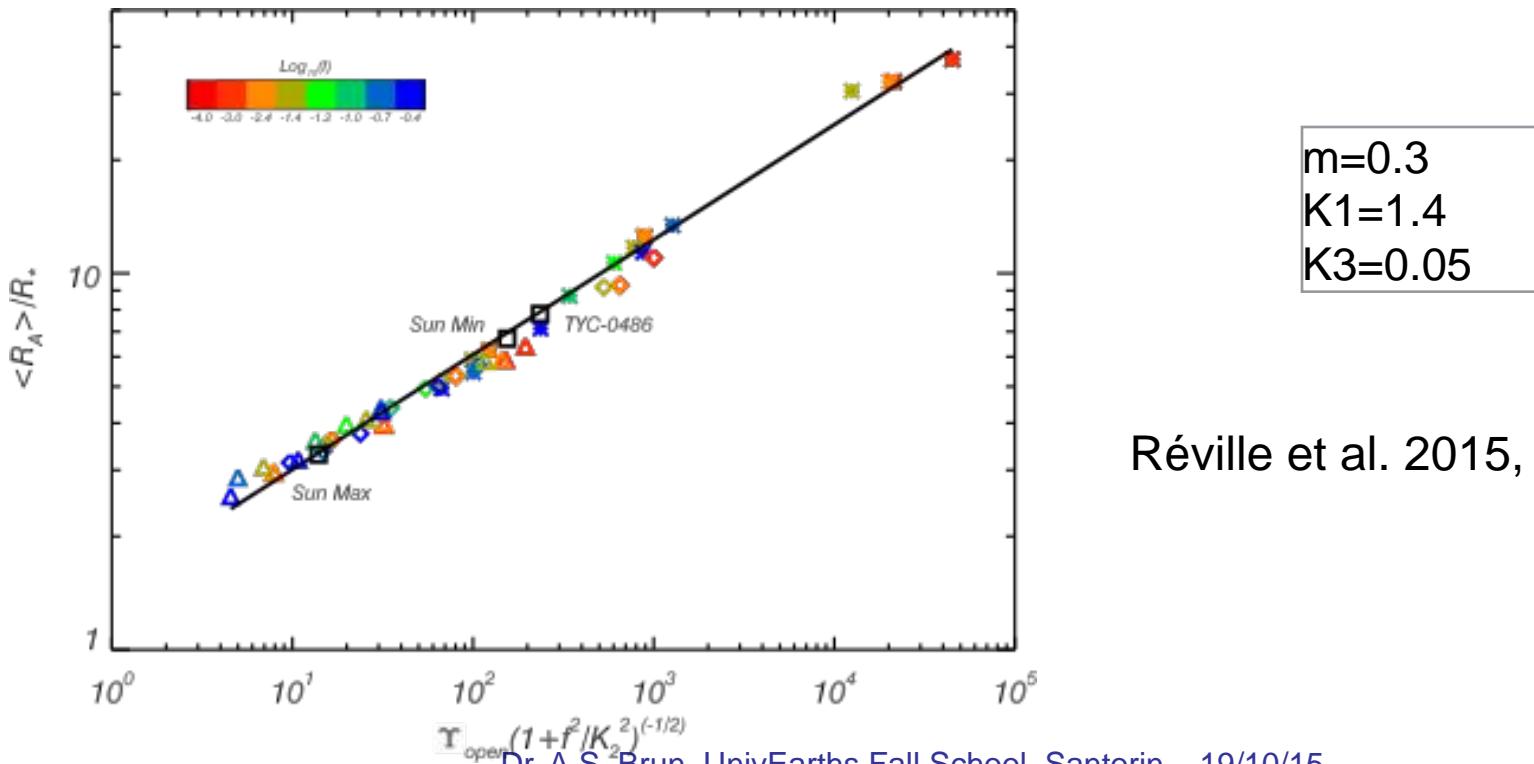
The most general law  
as of today:

$$\frac{dJ}{dt} = \frac{dM}{dt} \Omega_* \langle r_A^2 \rangle$$

open flux

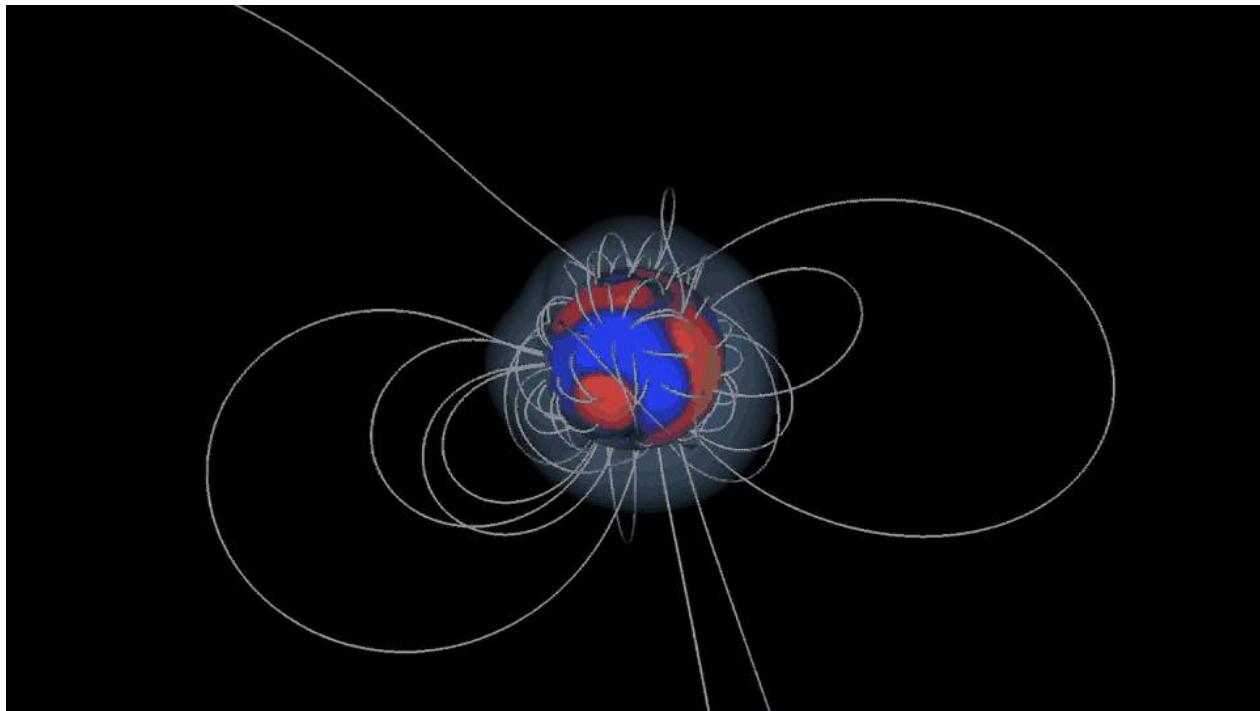
$$\Phi_{open} = \int_S |\vec{B} \cdot d\vec{S}|$$

$$\frac{dJ}{dt} = \frac{dM}{dt}^{1-2m} \Omega_* R_*^{2-4m} K_1^7 \Phi_{open}^{4m} (1 + f^2 / K_2^2)^{-m} v_{esc}^{-2m}$$



# 3D Simulations of an aging K-Star

- BD-16351            27 Myr
- TYC-5164-567    120 Myr
- DX Leo              257 Myr
- AV 2177             584 Myr
- HD 190771           2.7 Gyr
- HD 146233           4.7 Gyr
- HD 3751              8 Gyr

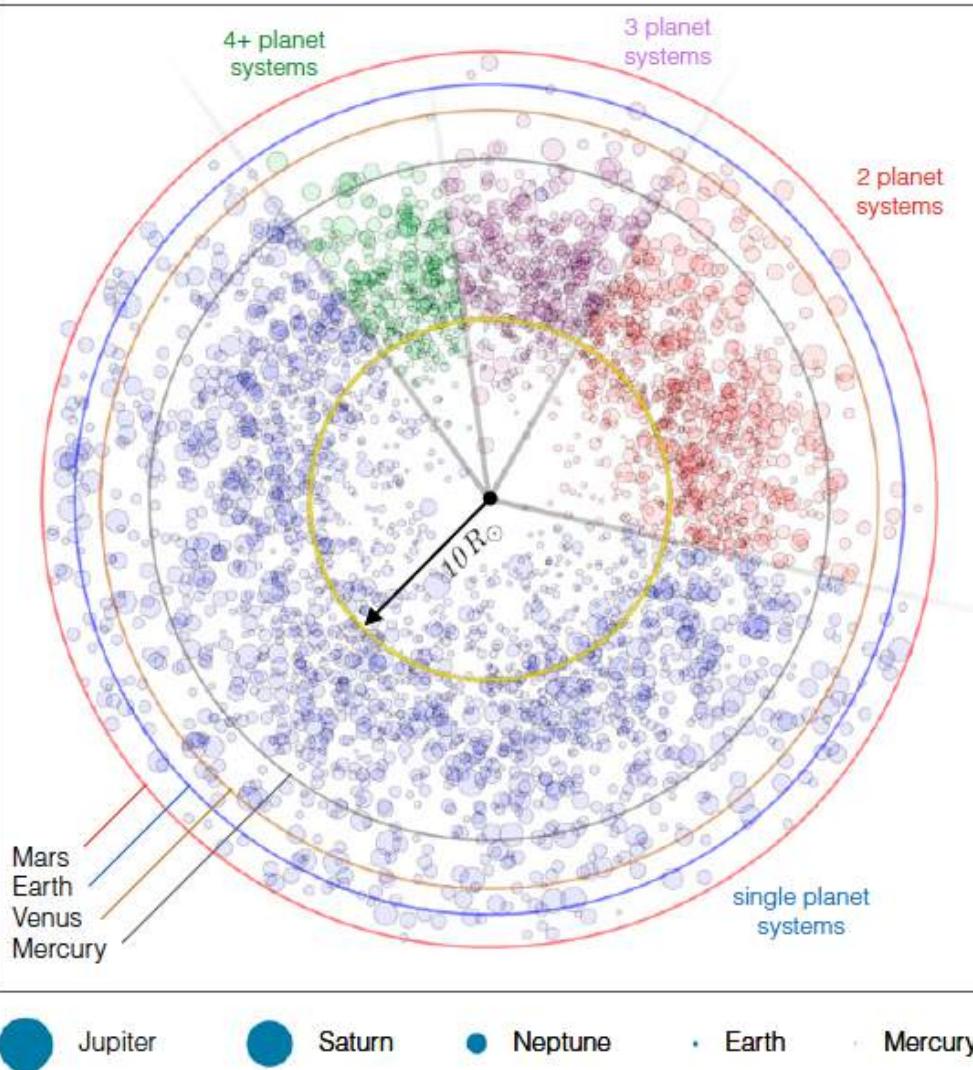


HD 190771

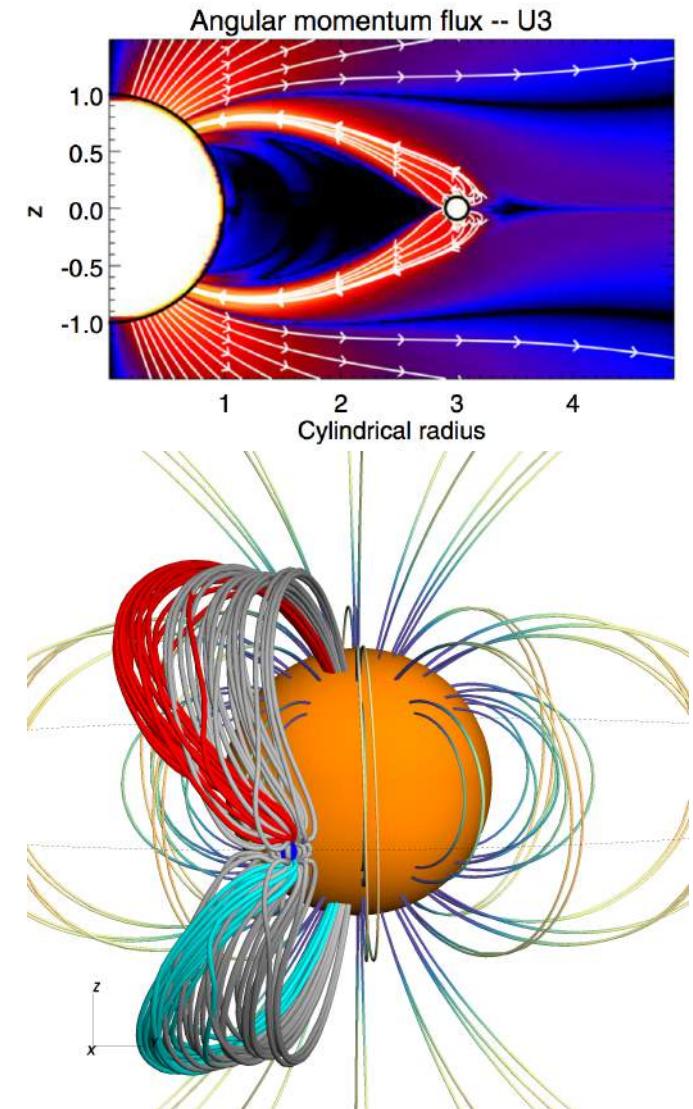
Reville et al. 2015

# What about exoplanets ?

## Exo-Planets Distribution near Host Star



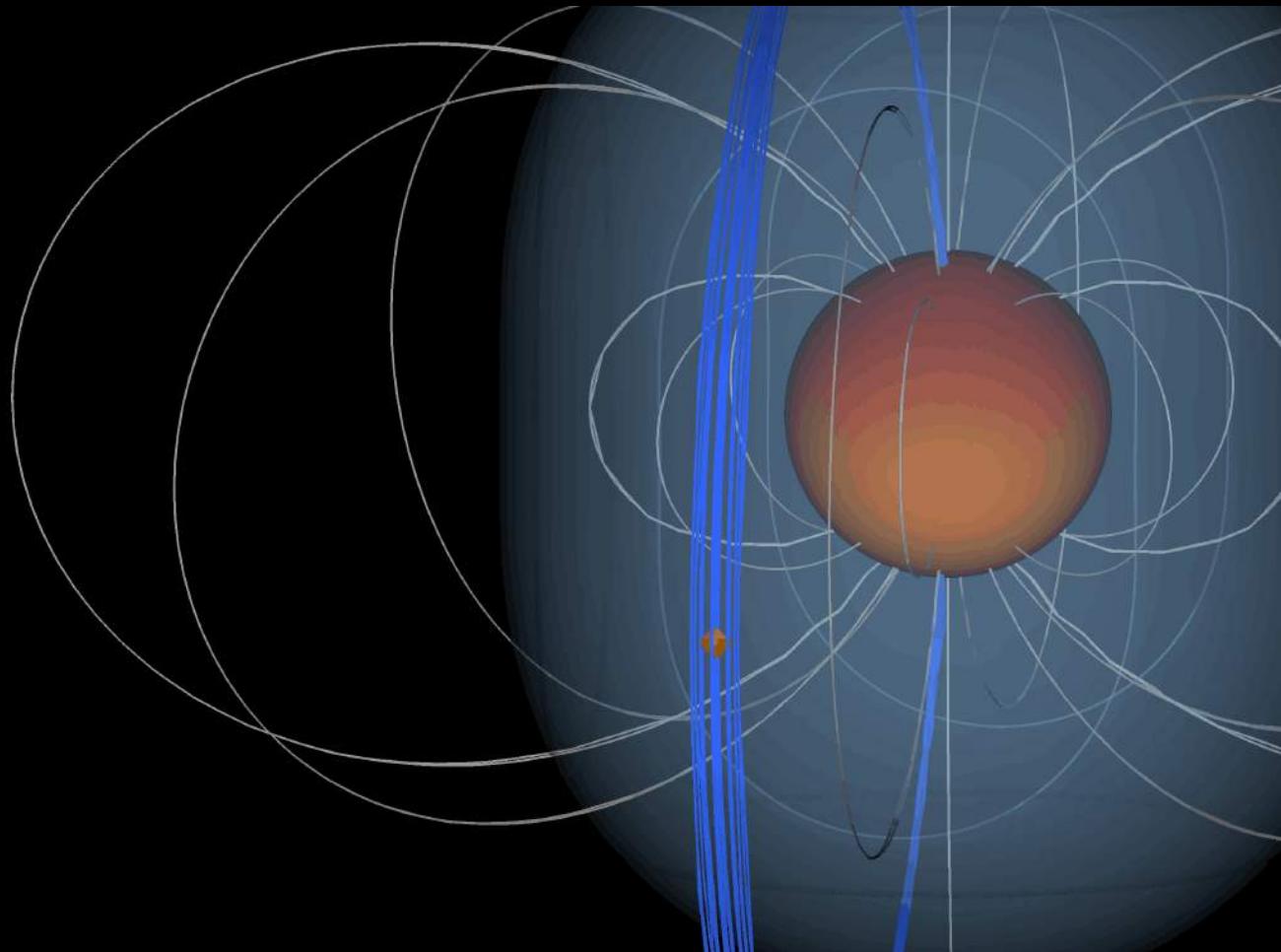
## Alfven wings



Strugarek, Brun, Matt, Réville, 2014, ApJ 795

Strugarek et al. 2015, sub. ApJ

# What about close-in exoplanets ?



Wind interacts with exo-planets + direct magnetic connection: Alfvén wings  
Strugarek et al. 2014, 2015 ApJ



# 3-D MHD Flux Emergence Models

The current solar global dynamo paradigm relies on the so-called:  
interface dynamo

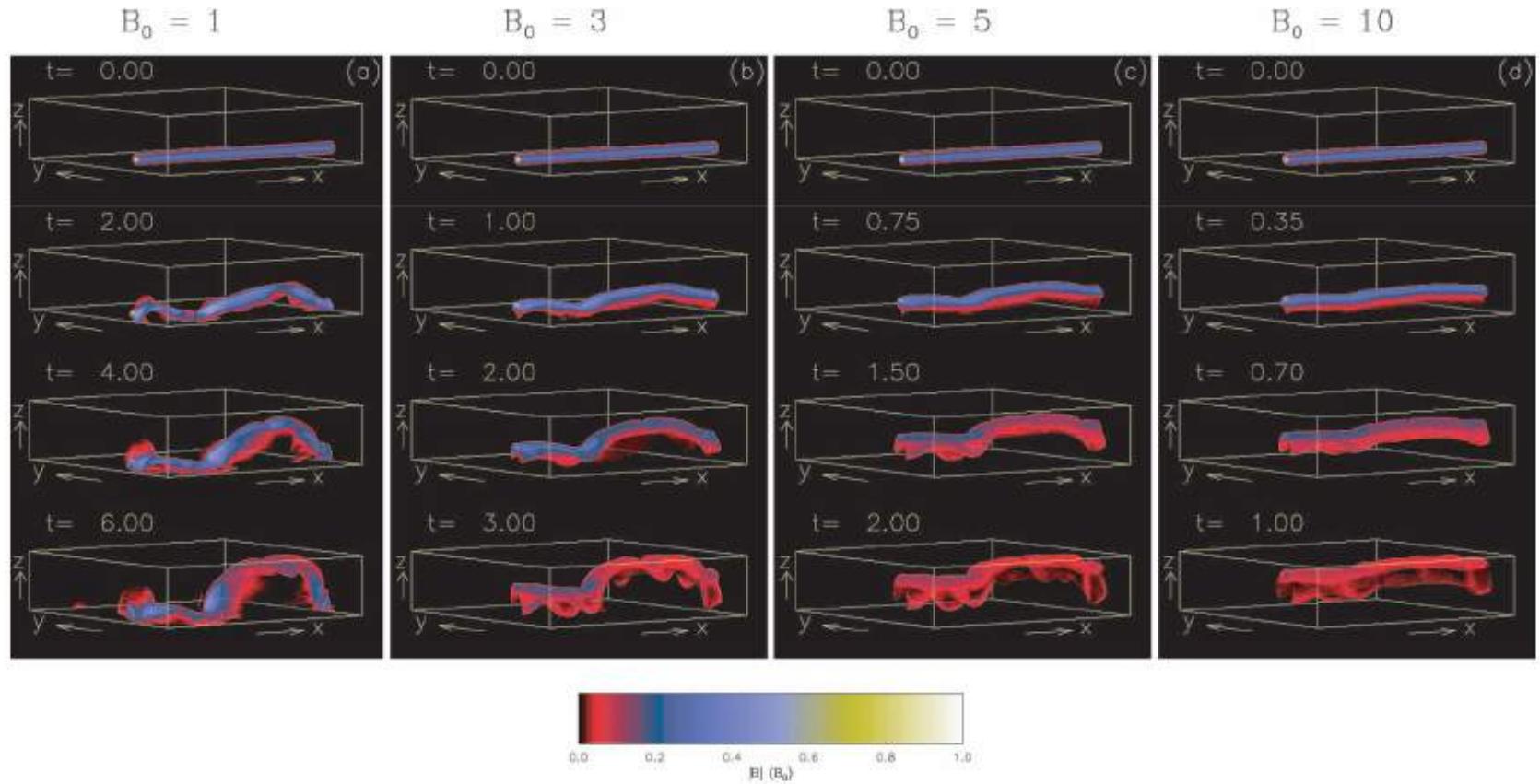
One crucial element of this model is the emergence at the solar surface  
of toroidal like structures, coming from the deep interior, i.e the tachocline

We present the first attempt to compute self-consistently 3-D MHD solar  
convective models of the evolution of such toroidal structures in spherical shells.

We wish to assess how such toroidal structures may pop up at the surface  
as active regions and how turbulent rotating convection may influence their rise

Work done with my PhD student L. Jouve (Jouve & Brun 2007, AN, 328, 1104)

# Cartesian study (Fan, Abbott, Fischer, 2002, ApJ):



# MHD Equations

$$\frac{\partial \rho}{\partial t} + \vec{\nabla} \cdot (\rho \vec{v}) = 0$$

$$\frac{\partial \vec{v}}{\partial t} + (\vec{v} \cdot \vec{\nabla}) \vec{v} = -\frac{\vec{\nabla} p}{\rho} - \frac{\vec{\nabla} \cdot \vec{D}}{\rho} - g \hat{r} + 2 \vec{v} \times \vec{\Omega} + \frac{1}{c} \vec{j} \times \vec{B}$$

$$\frac{\partial S}{\partial t} + \vec{v} \cdot \vec{\nabla} S = \frac{1}{\rho T} \vec{\nabla} \cdot (\kappa \rho T \vec{\nabla} S + \kappa_r \rho c_p \vec{\nabla} T) + \frac{2\nu}{T} [e_{ij} e_{ij} - \cancel{\nu} (\vec{\nabla} \cdot \vec{v})^2] + Q_{ohm}$$

$$\frac{\partial \vec{B}}{\partial t} = \vec{\nabla} \times (\vec{v} \times \vec{B}) - \vec{\nabla} \times (\eta \vec{\nabla} \times \vec{B})$$

**Case of a Stratified Compressible Fluid  
under the influence of Rotation and Magnetic field**

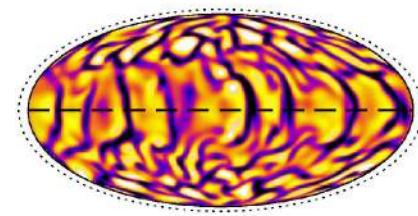
3D MHD Code ASH (Anelastic Spherical Harmonics)  
(Clune et al. 1999, Miesch et al. 2000, Brun et al. 2004)

# A Realistic Model of the Solar Convection Zone

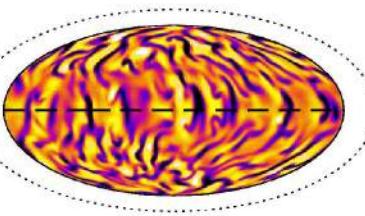
$V_r @ r=0.95 R_\odot$

$V_r @ r=0.84 R_\odot$

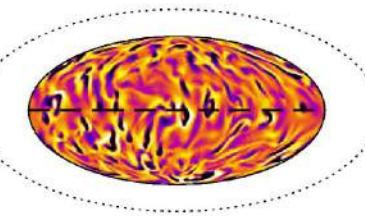
$V_r @ r=0.73 R_\odot$



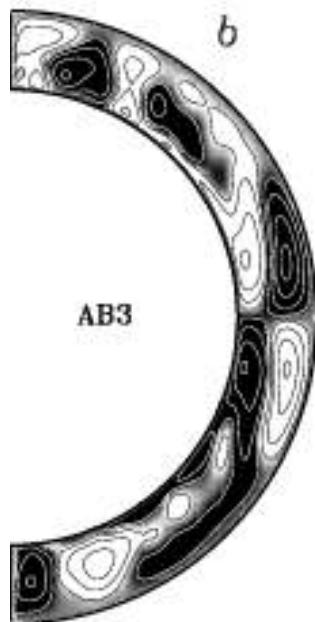
-27.1 0 27.1 m/s



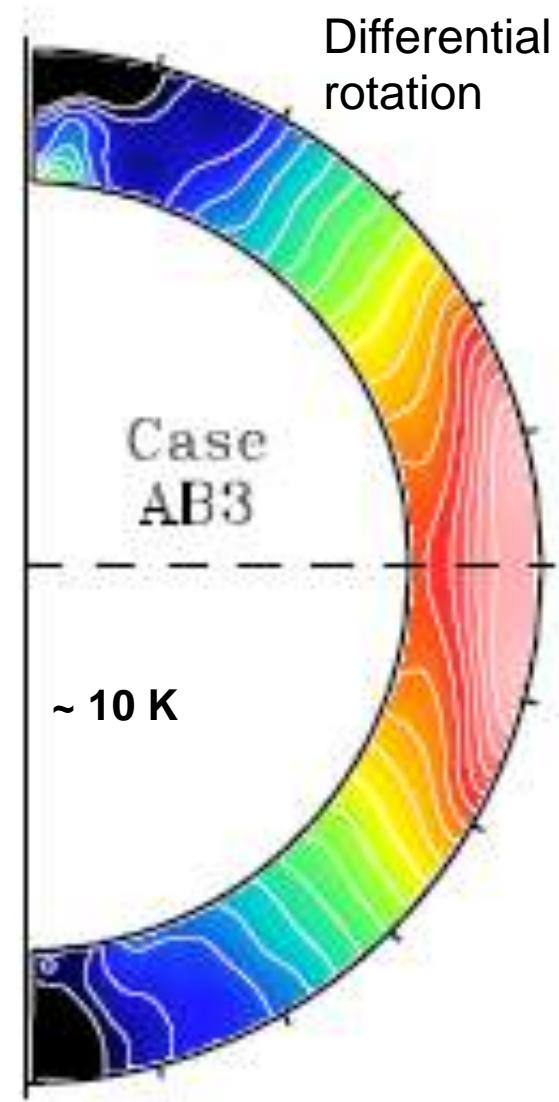
-107. 0 107. m/s



-34.6 0 34.6 m/s



Meridional  
Circulation ( $\mathbf{V}_p = V_r \mathbf{e}_r + V_\theta \mathbf{e}_\theta$ )



Miesch, Brun & Toomre 2006

$$S(r_{bot}, \theta) = a_2 Y_2^0 + a_4 Y_4^0$$

# The Model

Knowing the expression of Yuhong Fan for Bphi and Aphi in an axisymmetric model :

$$\vec{B} = \vec{\nabla} \times \left[ \frac{A_\varphi}{r \sin \theta} \vec{e}_\varphi \right] + B_\varphi \vec{e}_\varphi$$

$$A_\varphi = \frac{1}{2} q a^2 B_0 \exp[-(\omega^2 / a^2)] \quad \text{with}$$

$$B_\varphi = \frac{1}{r \sin \theta} a B_0 \exp[-(\omega^2 / a^2)] \quad \omega^2 = R_T^2 + r^2 - 2rR_T \cos(\theta - \theta_T)$$

We get for our case these expressions for the stream functions:

$$A = r B_0 \exp[-(\frac{r - R_T}{a})^2] [1 + t h(\frac{\theta - \theta_T}{a/R_T})]$$

$$\vec{B} = \vec{\nabla} \times \vec{\nabla} \times (C \vec{e}_r) + \vec{\nabla} \times (A \vec{e}_r)$$

$$C = \frac{a^2}{2} q B_0 \exp[-(\frac{r - R_T}{a})^2] [1 + t h(\frac{\theta - \theta_T}{a/R_T})]$$

# Initializing the Model

TWIST ET DEGRE D' ENROULEMENT DES LIGNES DE CHAMP

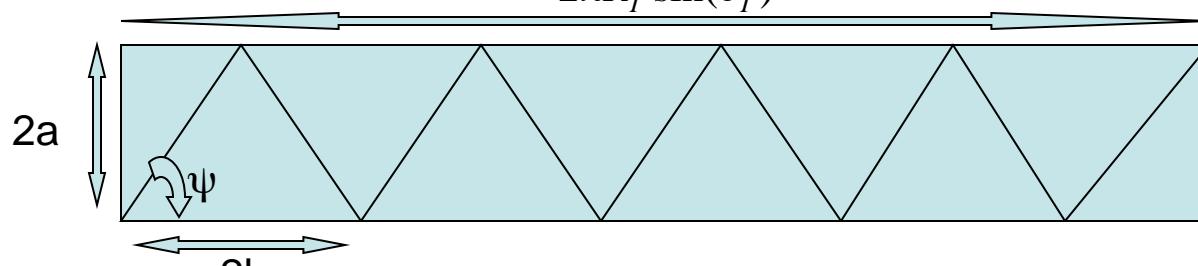
$$\vec{B} = B_r \vec{e}_r + B_\theta \vec{e}_\theta + B_\varphi \vec{e}_\varphi$$

$$\vec{B} = B_t \vec{e}_t + B_\varphi \vec{e}_\varphi \quad \text{where} \quad B_t \vec{e}_t = B_r \vec{e}_r + B_\theta \vec{e}_\theta$$

We can define the pitch angle or twist for us as the angle between the transverse field and the longitudinal field in the tube so that  $\tan(\psi) = B_t / B_j$ . We have a value of the threshold of  $(a/H_p)^{1/2}$ .

In our case, we have  $(a/H_p)^{1/2} \approx 0.57$  so we take  $\tan(\psi) \approx 0.6$  to be above the threshold.

We can have a relation between this twist and the winding degree of the field lines:



$$\tan(\psi) = \frac{2a}{h}$$

$$n = \frac{\pi R_T \sin(\theta_T)}{h} = \frac{\pi R_T \tan(\psi) \sin(\theta_T)}{2a}$$

It gives a winding number of 17

# Initializing the Model

We are trying to understand the influence of two significant parameters on the tube behaviour evolving in a self-consistently developed convection: the initial tube twist and field strength.

To do so, we are studying 4 different cases:

- A twisted weak B case, a twisted strong B case
- An untwisted weak B case, an untwisted strong B case

$B_{eq}$  is approximately  $3.5 \cdot 10^4$  G

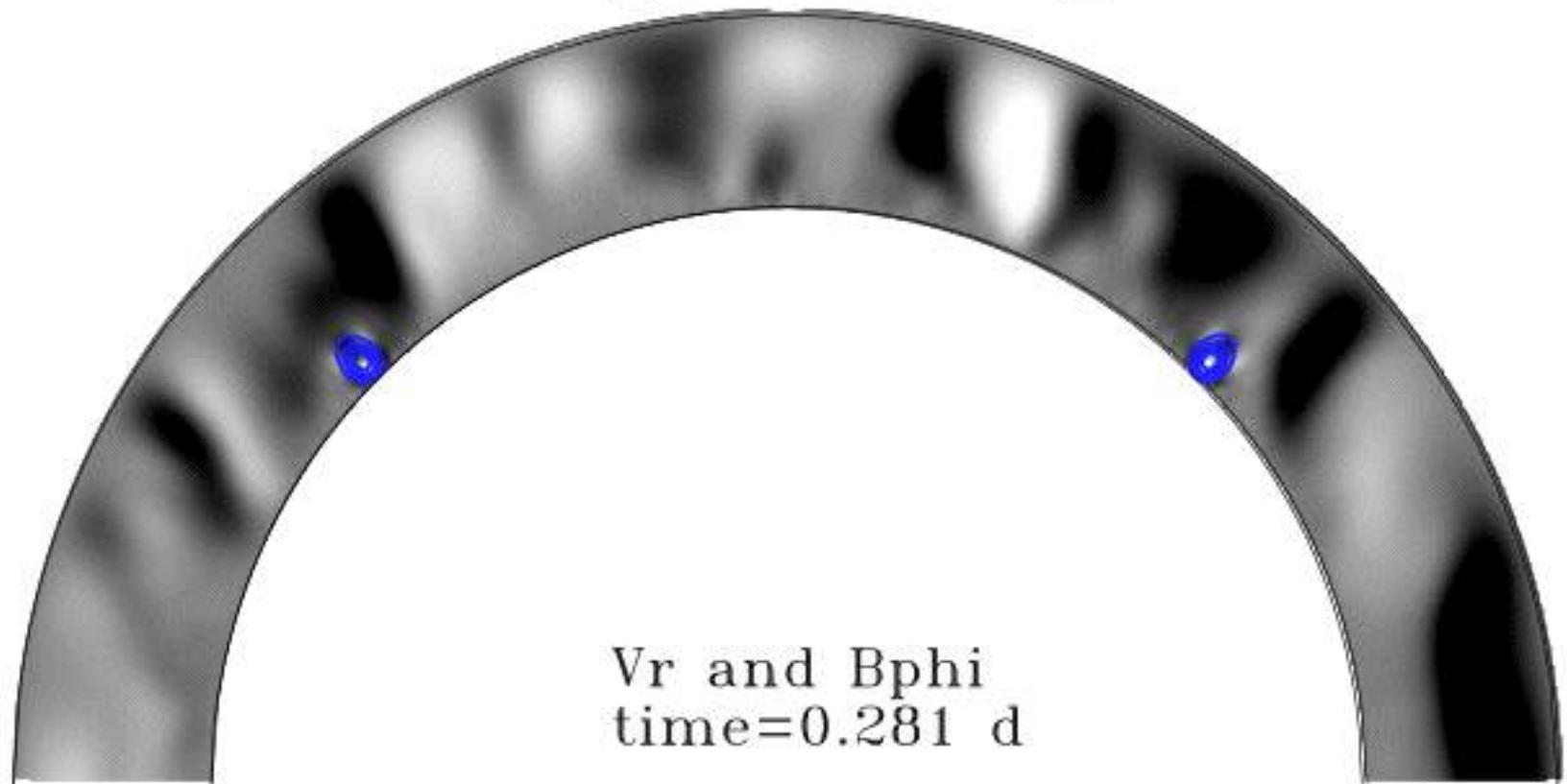
For the twisted case, the twist is set to a value above the threshold quoted in Fan, Living Review Sol. Phys., 2004 which is  $(a/H_p)^{1/2}$ .

Case	$B_0/B_{eq}$	Twist	$a/H_p$	$v_{rise}(m/s)$	$t_{rise}(days)$	$R_e = \frac{v_{conve}R}{\nu}$	$R_m = \frac{v_{rise}a}{\eta}$	$P_r$	$P_m$	$a^2/\eta(days)$
NoTwistFaiblePm1	4.3	0	0.36	>100	<10	150	20	0.25	1	46
NoTwistFortPm1	10.7	0	0.36	>300	<3.5	150	60	0.25	1	46
TwistFaiblePm1	4.3	0.6	0.36	100	10	150	20	0.25	1	46
TwistFortPm1	10.7	0.6	0.36	300	3.5	150	60	0.25	1	46

# Results: influence of twist

Vorticity generation in the untwisted case due to the lack of magnetic tension.

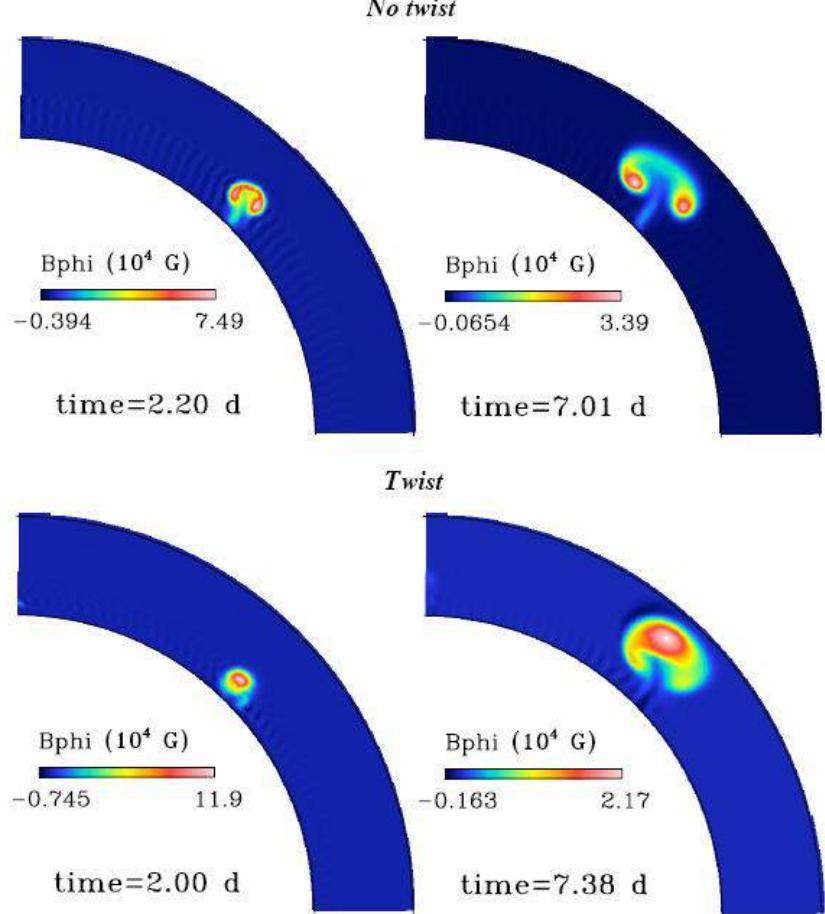
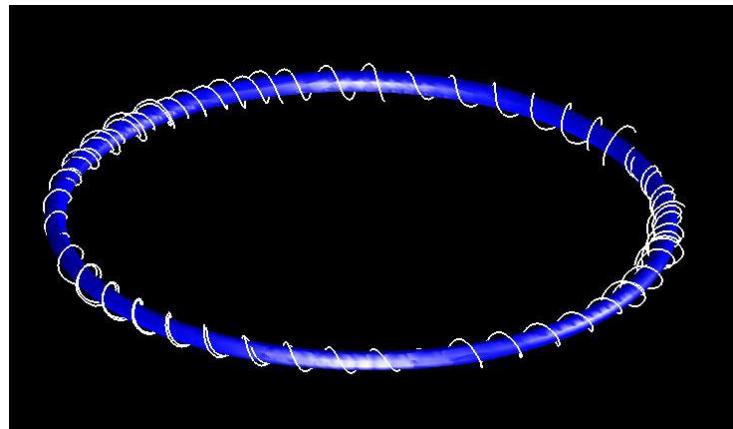
Long = 22.9 deg



No twist      Twist

# Results: influence of twist

Vorticity generation in the untwisted case due to the lack of magnetic tension.



**Fig. 1** (online colour at: [www.an-journal.org](http://www.an-journal.org)) The four panels are snapshots of  $B_\phi$  for the untwisted case (two upper panels) and the twisted case (two lower panels), cut at a specific longitude, shown in a northern quadrant of the sphere, after 2 days (left panels) and 7 days (right panels) of evolution.

# Influence du twist

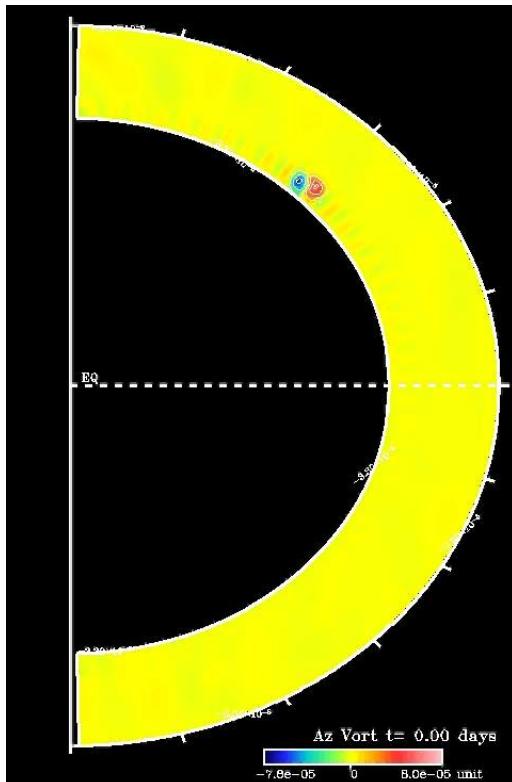
Création de vorticité (Emonet & Moreno-Insertis, 1998):

$$\rho \frac{D}{Dt} \left( \frac{\omega_l}{\rho} \right) = \nabla \left( \frac{\Delta \rho}{\rho} \right) \times \mathbf{g} + \frac{\nabla \times \mathbf{F}_{Lt}}{\rho} + \nabla \left( \frac{1}{\rho} \right) \times \left[ -\nabla \left( \Delta p + \frac{B_l^2}{8\pi} \right) + \mathbf{F}_{Lt} \right]$$

Source de vorticité

Puits de vorticité  
(terme de tension magnétique)

Terme négligeable

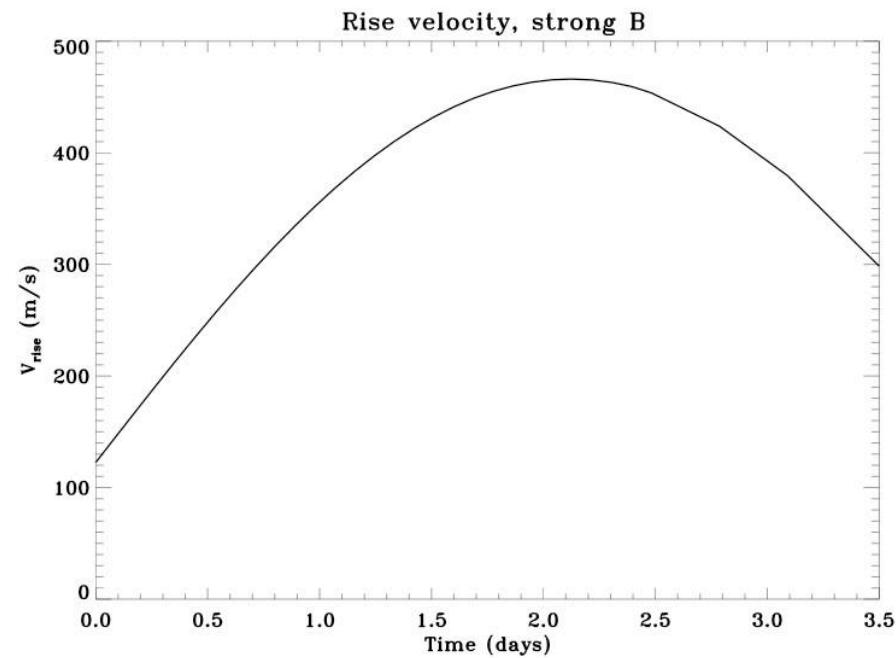
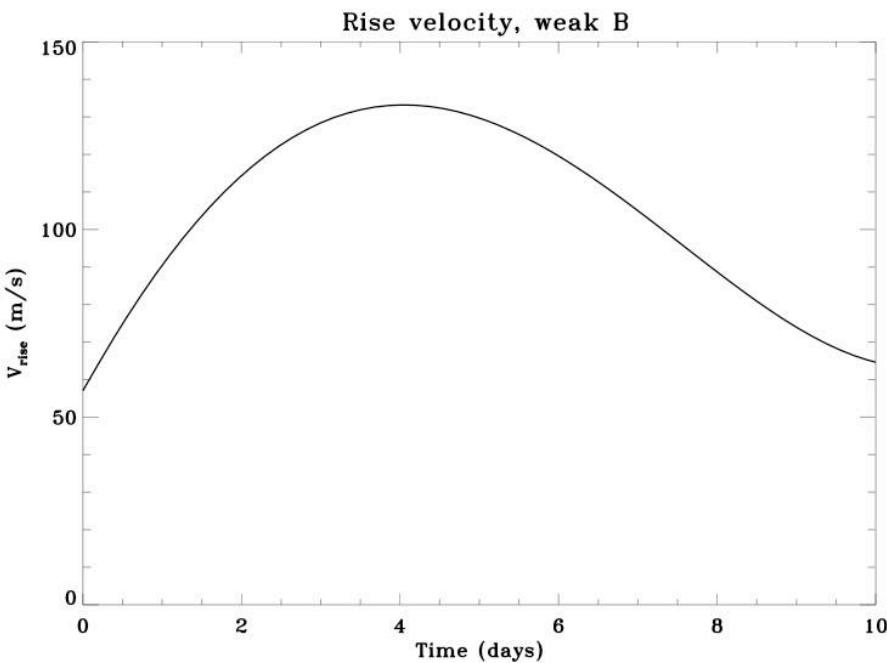


On doit avoir un twist suffisant pour contrer la création de vorticité due au couple gravitationel.

Si on écrit que le terme de source de vorticité est égal au terme de puits, on trouve un seuil pour le paramètre de twist au-dessus duquel le tube monte dans la ZC sans création de vortex:

$$\sin \psi = \frac{\sqrt{(B_r^2 + B_\theta^2)}}{B} \geq \sqrt{\frac{a}{H_p}} \times \sqrt{\left| \frac{\Delta \rho}{\rho} \right| \frac{\beta}{2}}$$

# Results: Influence of the field strength



The tube acceleration in the first phase is due to the buoyancy force which is directly linked to the density deficit in the tube.

Thus we have in the acceleration phase:

$$\text{acceleration} \propto \Delta\rho \propto B_0^2$$

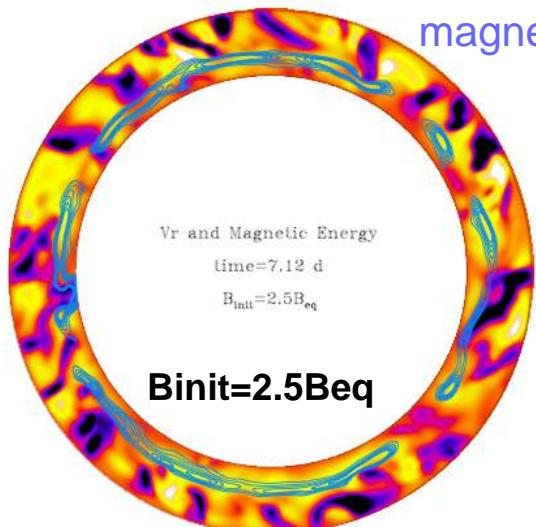
# Convective cases

## Influence of the initial magnetic intensity

Jouve & Brun,  
2009, ApJ,  
701. 1300

If  $B$  is weak, the evolution of the flux tube is much more influenced by convective motions.

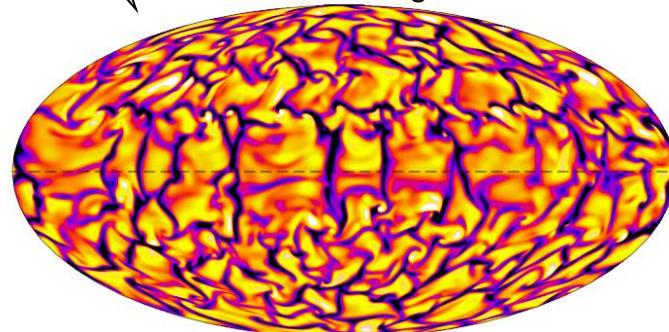
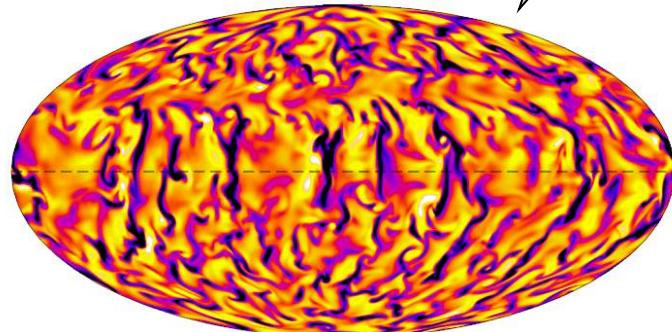
Radial velocity and  
magnetic energy

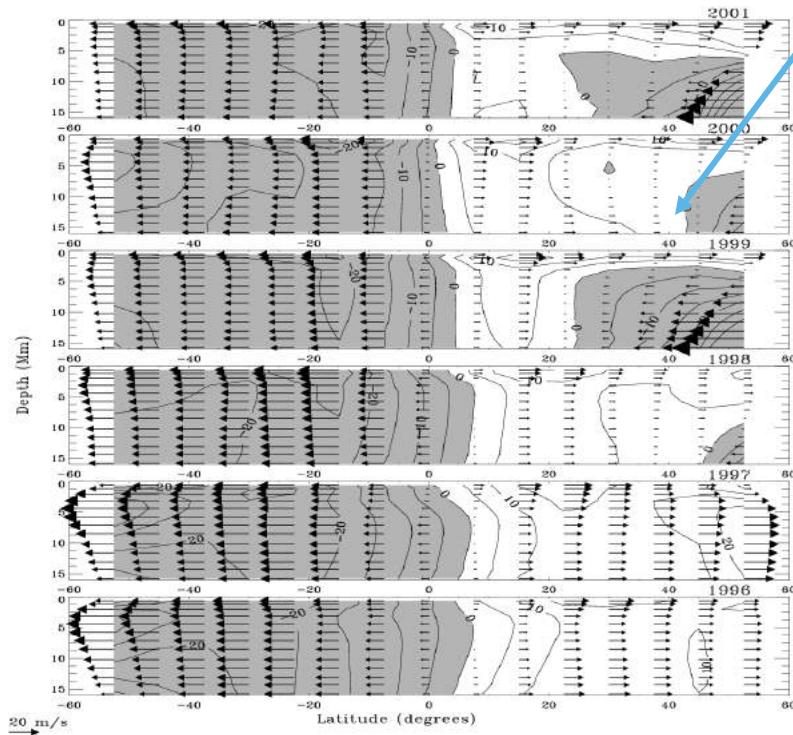
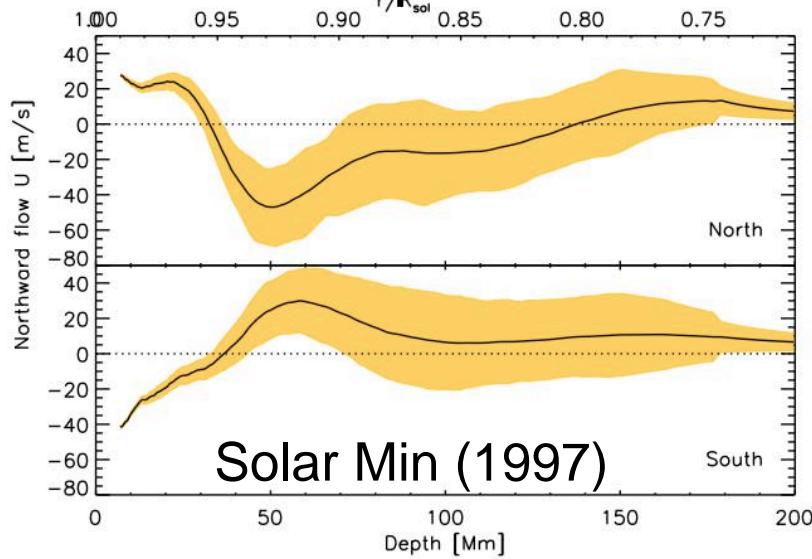


$R=0.87 R_s$

$R=0.93 R_s$

Radial  
velocity





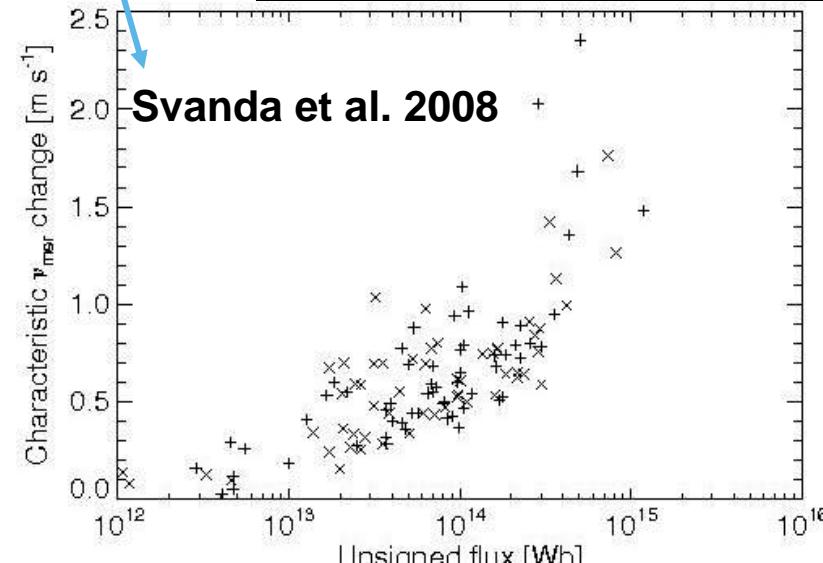
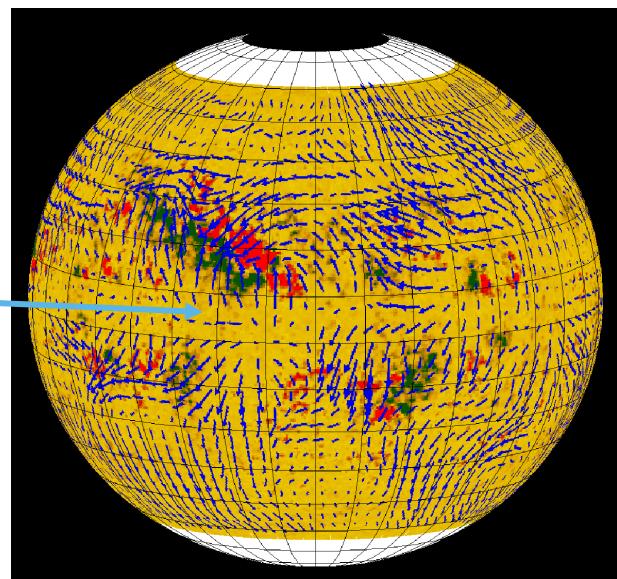
(Haber et al. 2002)

Dr. A.S. Brun, UnivEarthS Fall School, Santorin – 19/10/15

# Meridional Circulation

More & more evidence for multi cellular MC

Influence of B  
(active region)  
on MC

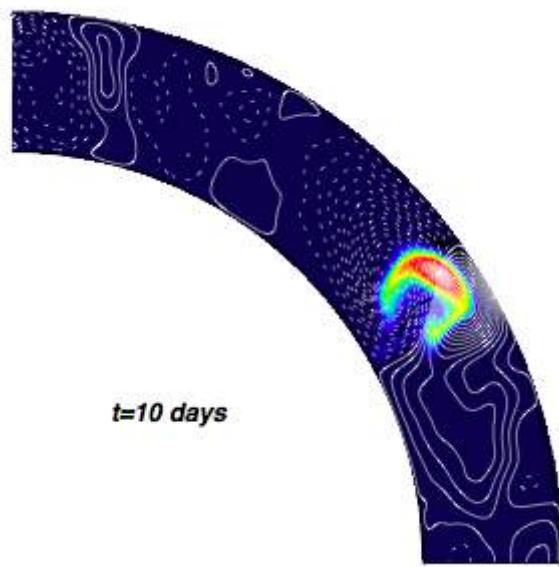


See also Hathaway et al. 1996, Gizon 2004, Zhao & Kosovichev 2004, etc...

# Convective cases

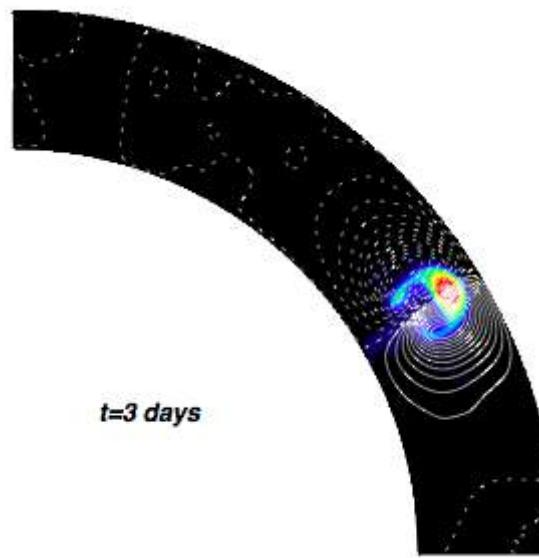
## *Influence of meridional circulation*

*Weak B*



*t=10 days*

*Strong B*



*t=3 days*

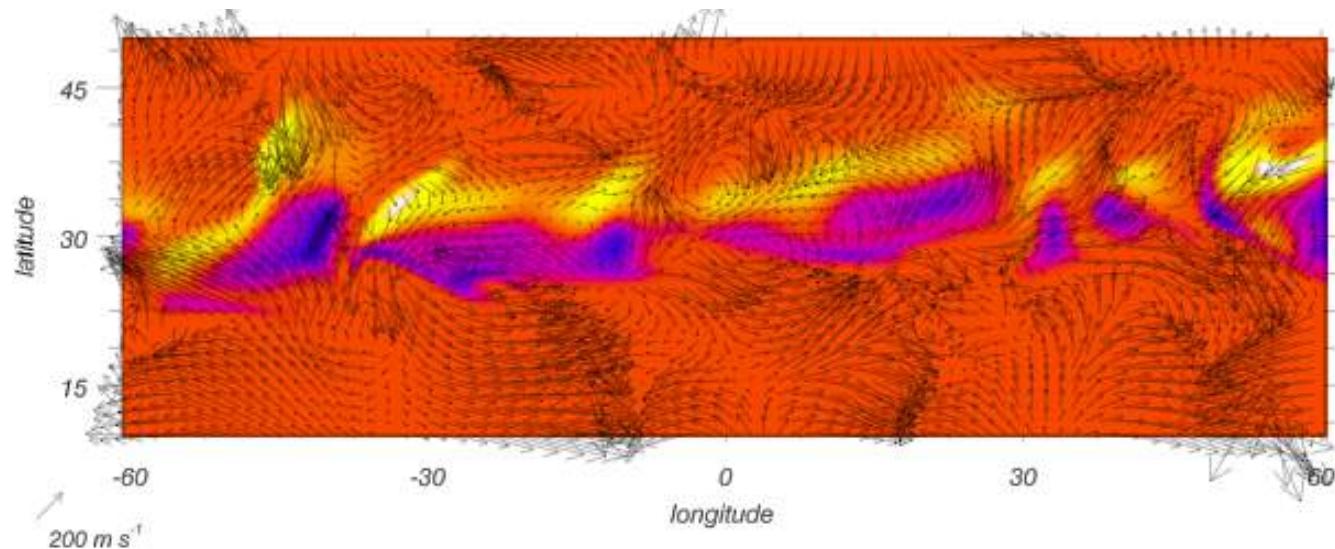
### **Strong B:**

the MC produced by the Lorentz force dominates

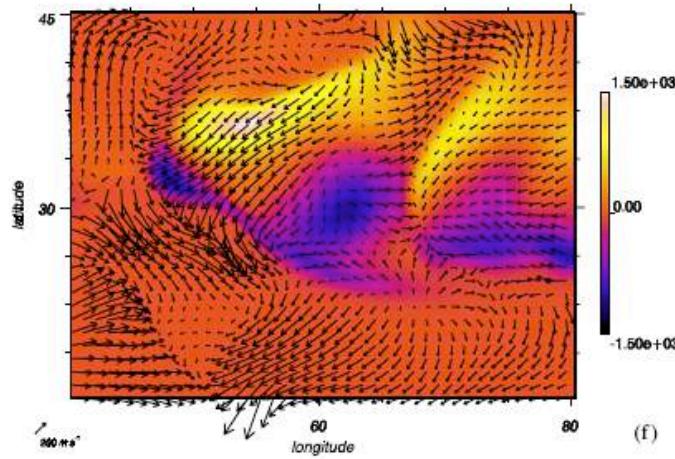
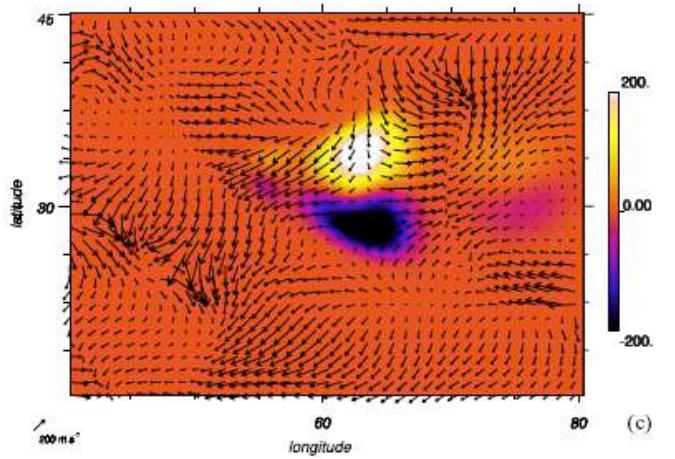
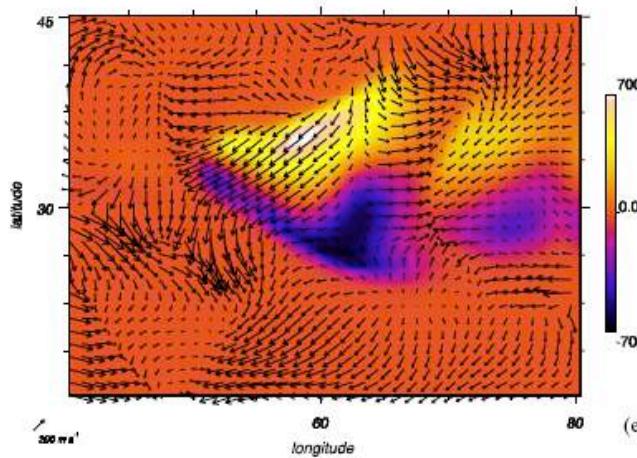
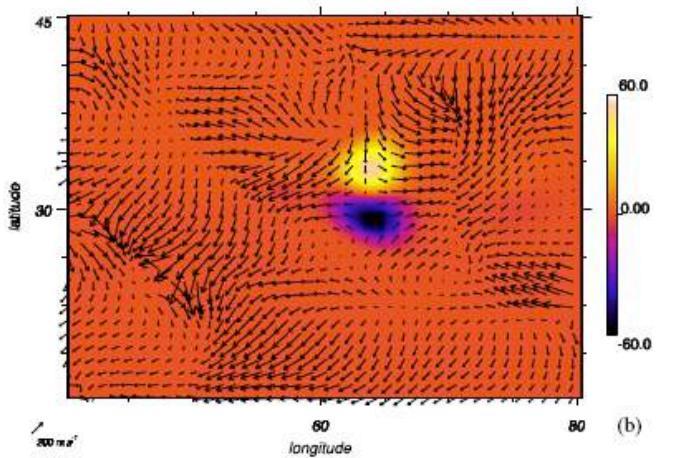
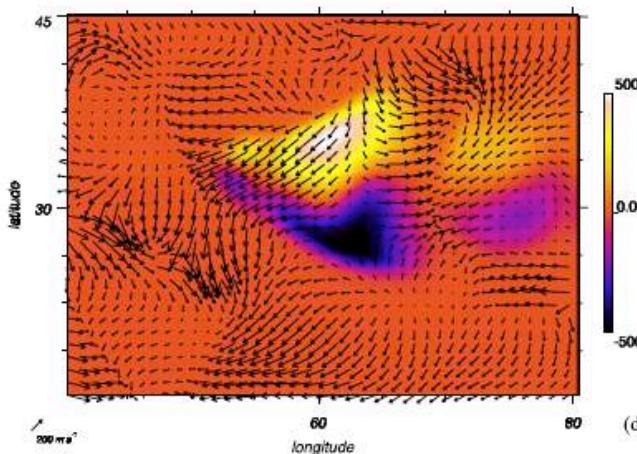
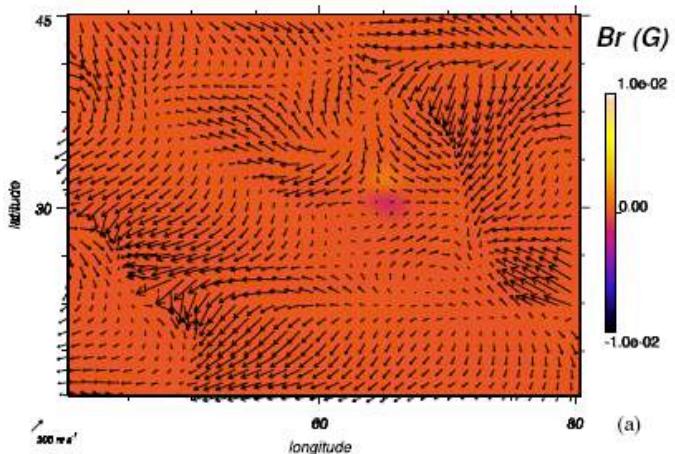
### **Weak B:**

the MC produced by the Lorentz force is of the same order as the background MC

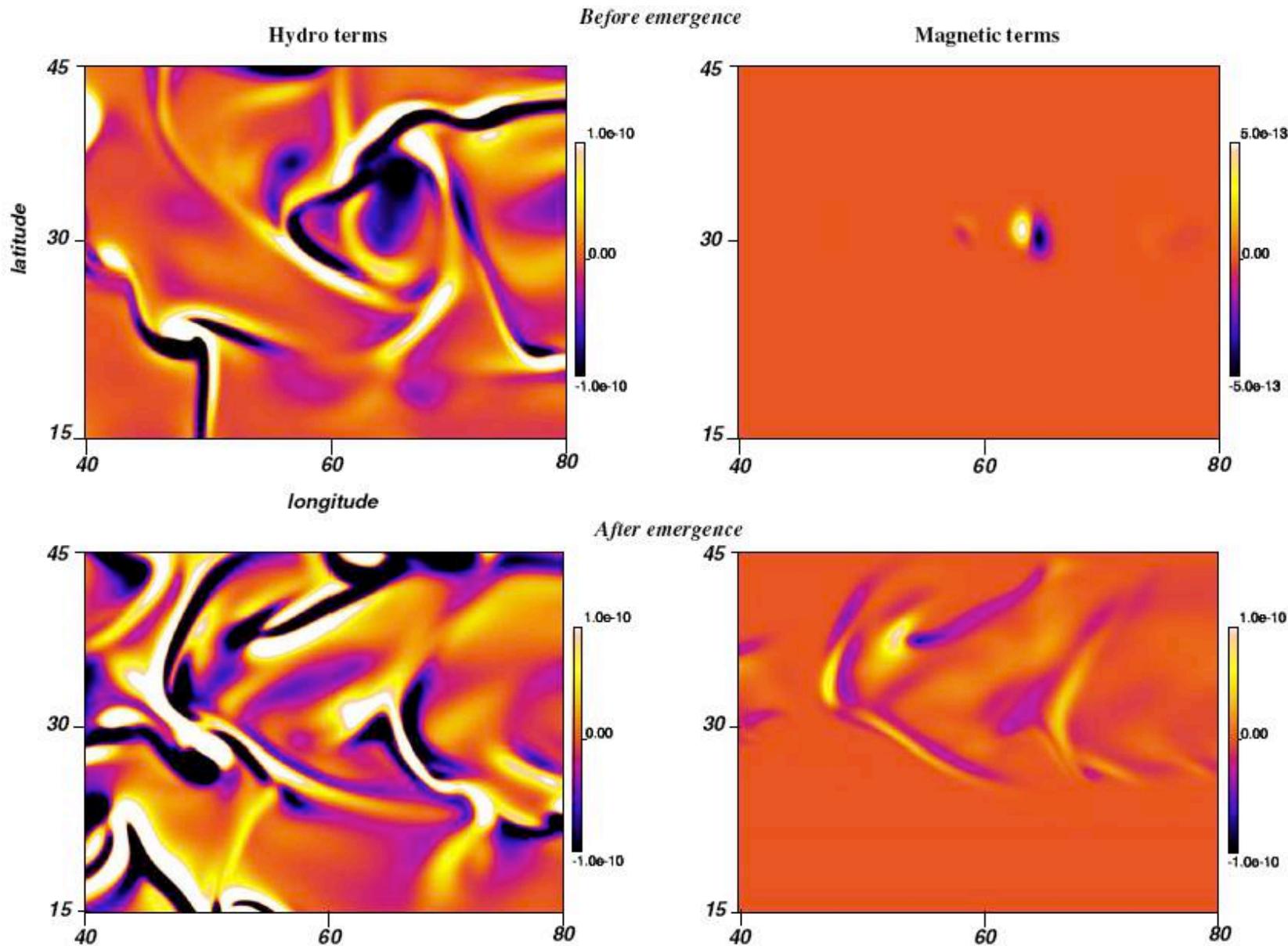
**Sub-surface weather:**  
Emerging regions modify  
the sub-surface flow field



$200 \text{ m s}^{-1}$

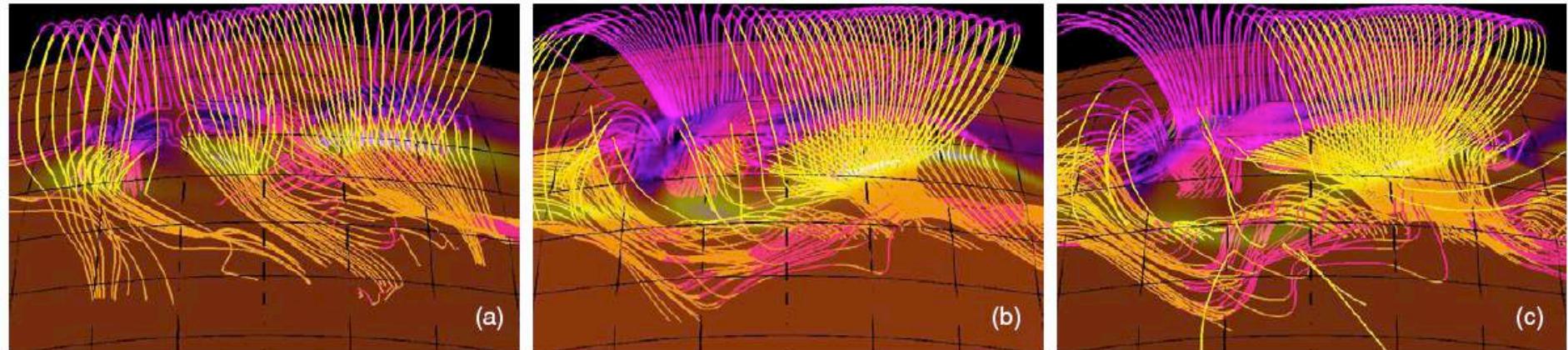


# Flux emergence feed back on horizontal flow



# Structure of emerging regions

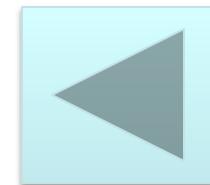
Potential field extrapolation in the corona:



Initial orientation of field lines is linked to twist of structure, but subsequently evolves with dynamical action of convection flows. Partial emergence of tube structure (see Hood et al. 2009 for a specific study of that pb).

# *Summary of 3-D Simulations*

- We need a sufficient twist to be able to keep a coherent rising fluxtube.
- We need a sufficient field strength to go from a convection dominated regime to a magnetic buoyancy dominated regime.
- But to get magnetic flux emerging at specific longitudes as active regions, we need to keep a reasonably low field strength otherwise the tube is rising as in a stratified layer and emerges at all longitudes without being affected by convection.
- Meridional flow seems to have a significant impact on the tube behaviour when the magnetic field intensity is sufficiently small.
- We do not see any clear effect of differential rotation and of the initial latitude of the tube but it still has to be worked on.



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